

# Reviewing tensions between Planck and other data

**Silvia Galli**

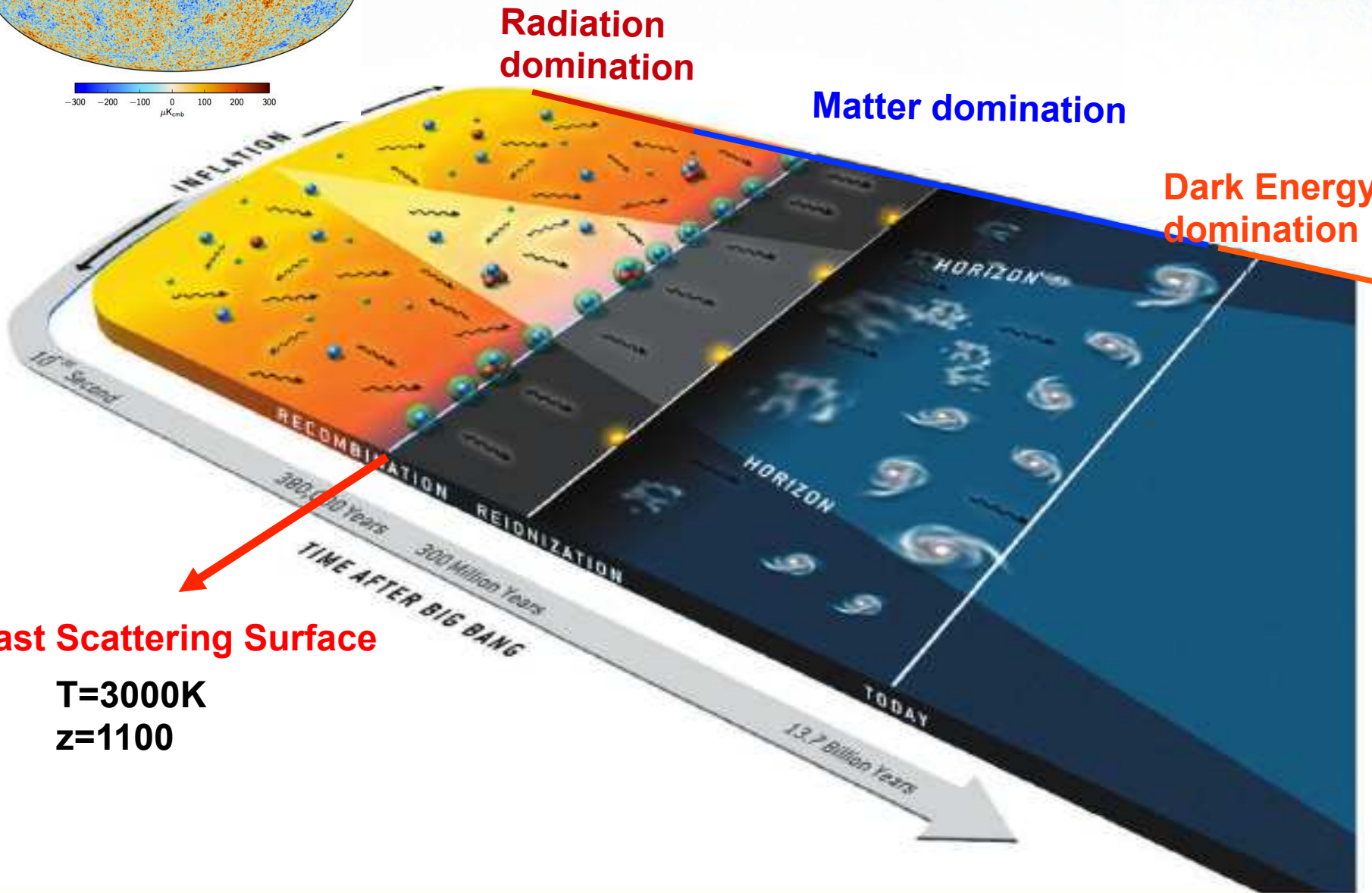
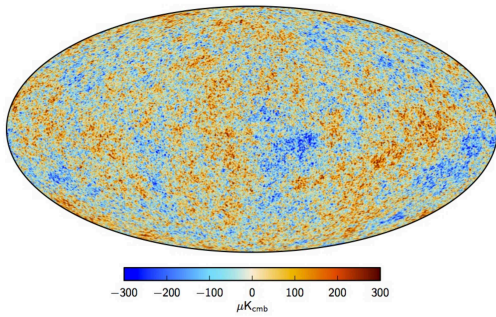
IAP-Paris

“Planck 2016 intermediate results. LI. Features in the cosmic microwave background temperature power spectrum and shifts in cosmological parameters ”

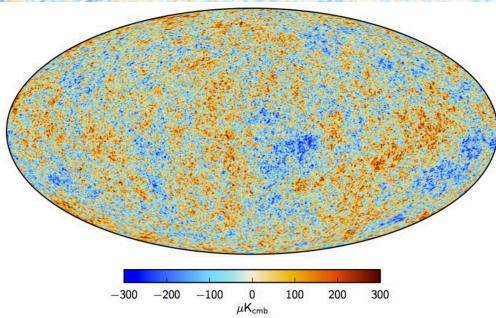
[arXiv:1608.02487](https://arxiv.org/abs/1608.02487)

Helsinki, 03/05/2017

# Cosmic History



# Cosmic History



Radiation  
domination

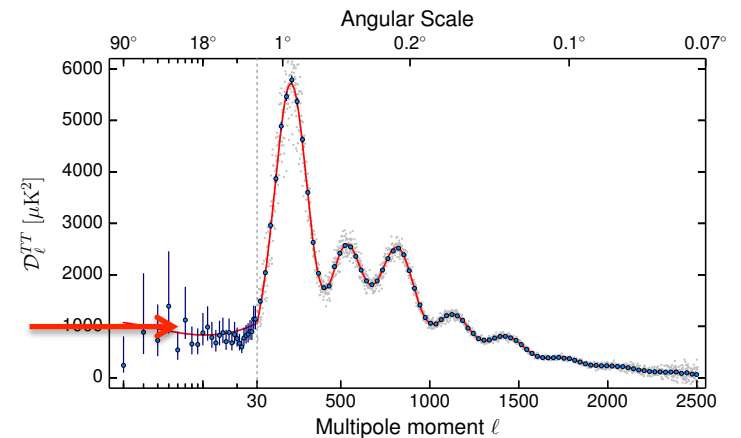
Matter domination

Dark Energy  
domination

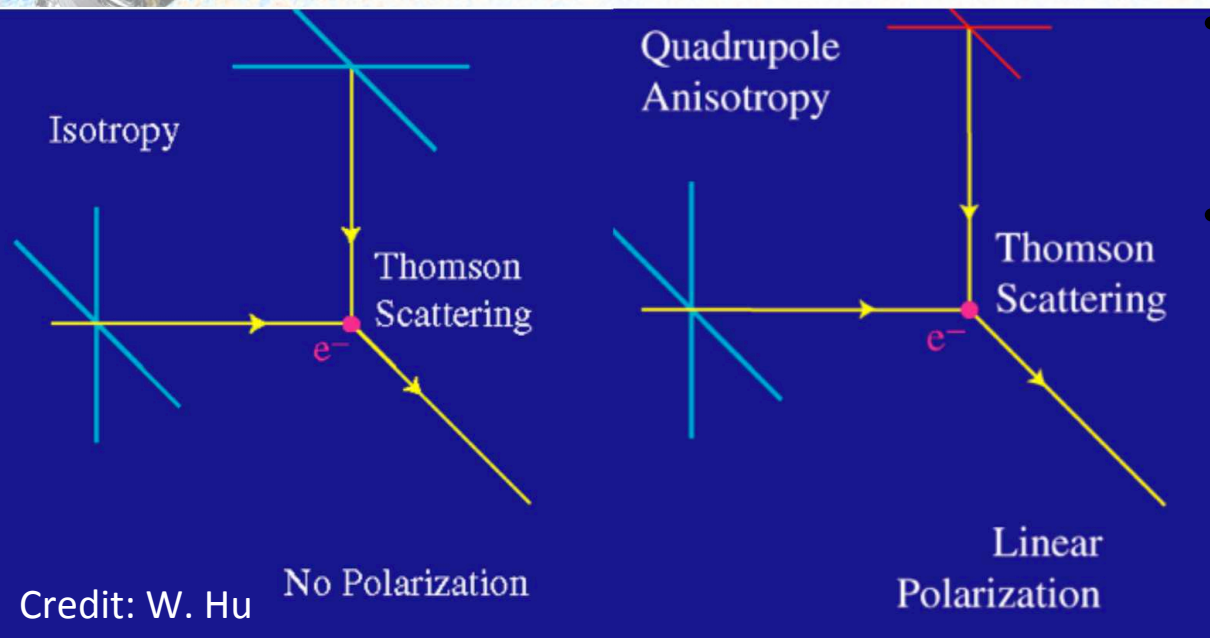
CMB is an extremely rich  
source of information about our universe!

$$\Theta(\vec{x}, \hat{p}, \eta) = \sum_{l=1}^{\infty} \sum_{m=-l}^l a_{lm}(\vec{x}, \eta) Y_{lm}(\hat{p})$$

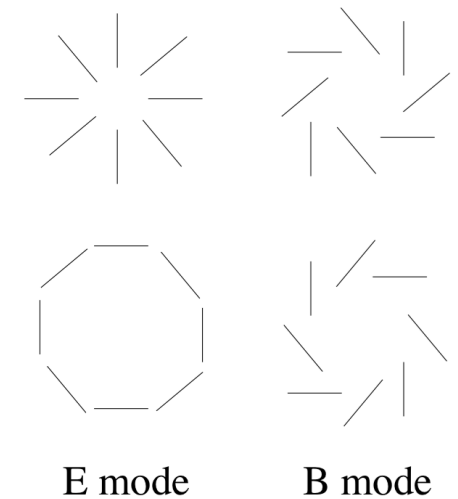
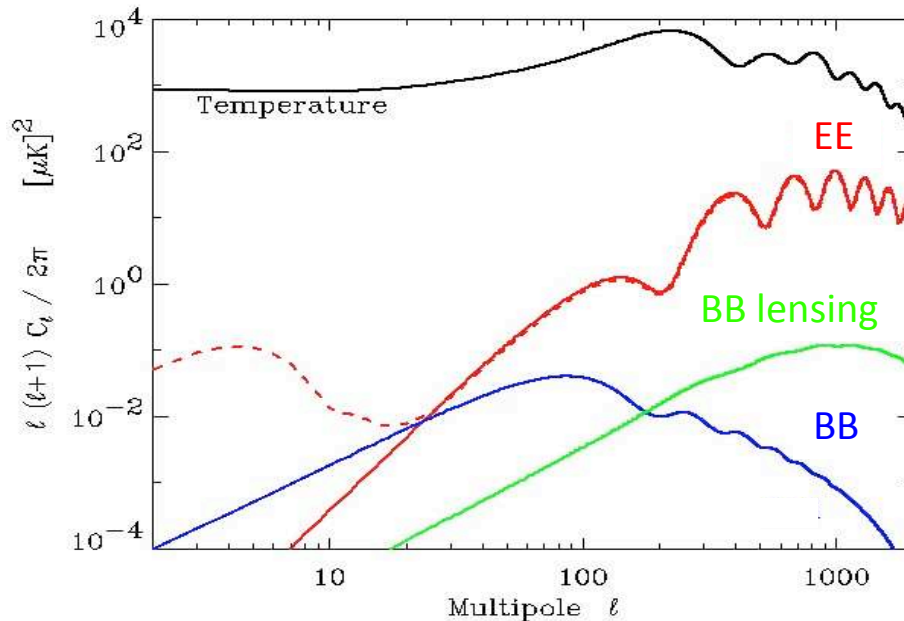
$$\langle a_{lm} a_{l'm'}^* \rangle = \delta_{ll'} \delta_{mm'} C_l$$

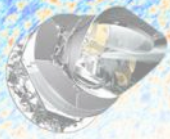


# CMB Polarization



- Polarization generated by local quadrupole in temperature.
- Sources of quadrupole:
  - Scalar: E-mode
  - Tensor: E-mode and B-mode





# The Planck satellite



Launched in 2009, operated till 2013.  
2 Instruments, 9 frequencies.

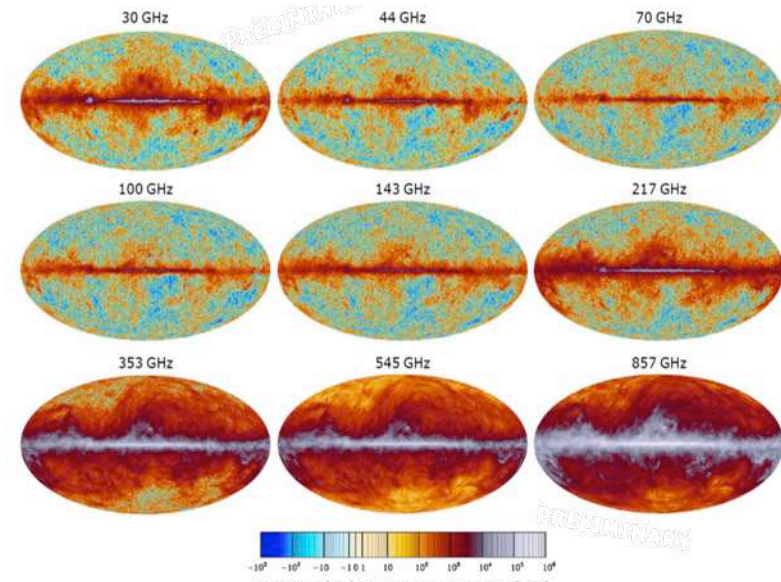
## LFI:

- 22 radiometers at  
**30, 44, 70 Ghz.**

## HFI:

- 50 bolometers (32 polarized) at  
**100, 143, 217, 353, 545, 857 Ghz.**
- **30-353 Ghz polarized.**

- **1<sup>st</sup> release 2013: Nominal mission, 15.5 months, Temperature only.**
- **2<sup>nd</sup> release 2015: Full mission, 29 months for HFI, 48 months for LFI, Temperature + Polarization**

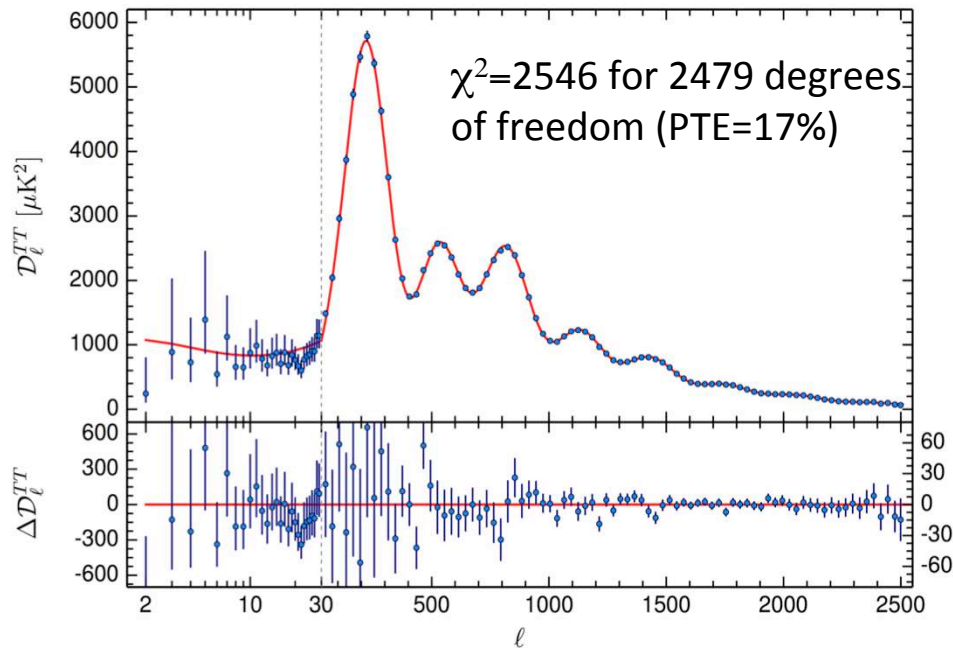




# $\Lambda$ CDM and Planck

General relativity+standard model particles. Homogeneous and isotropic universe.  
 Cold dark matter, dark energy, baryons, radiation (photons+3 neutrinos).  
 Basic  $\Lambda$ CDM controlled by 6 parameters:  $\omega_m, \omega_b, A_s, n_s, \tau, \theta$

**Excellent fit to the data**



**Most of parameters at the ~1% level.**

**No significant deviation from  $\Lambda$ CDM in extended models**

**Curvature:**

Compatible with flatness at the level of  $10^{-3}$

$$\Omega_K = 0.000 \pm 0.005 \text{ (95\%)} \\ \text{(PlanckTT+lowP+Lensing+BAO)}$$

**Sum of neutrino masses:**

Bound already stronger than what achievable by Katrin (tritium beta decay)

$$\sum m_\nu < 0.23 \text{ eV} \\ \text{(PlanckTT+lowP+Lensing+ext)}$$

**Number of relativistic species:**

Compatible with standard prediction  $N_{\text{eff}}=3.046$  with 3 active neutrinos

$$N_{\text{eff}} = 3.13 \pm 0.32 \\ \text{(PlanckTT+lowP)}$$

**Helium abundance**

Good agreement with measurements of primordial abundances and BBN predictions

$$Y_{\text{P}}^{\text{BBN}} = 0.253 \pm 0.021 \\ \text{(PlanckTT+lowP)}$$

**Running of the scalar spectral index**

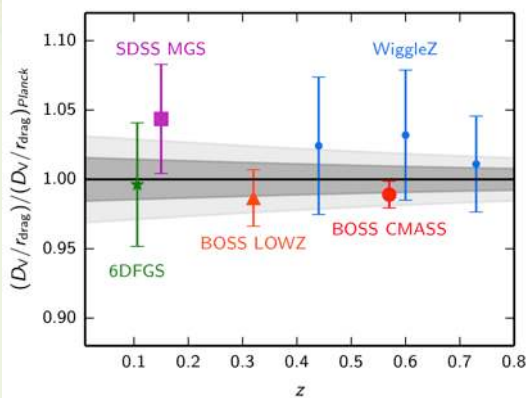
Compatible with no running

$$\frac{dn_s}{d \ln k} = -0.0084 \pm 0.0082 \\ \text{(PlanckTT+lowP)}$$

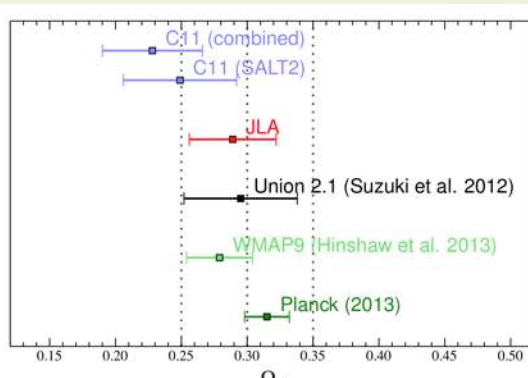


# Comparison with other datasets:

## BAO

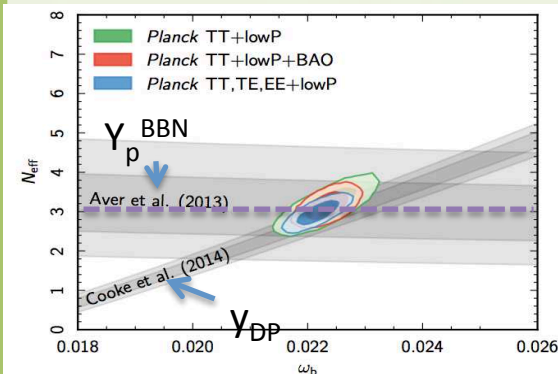


## Supernovae ( $\Omega_m$ )

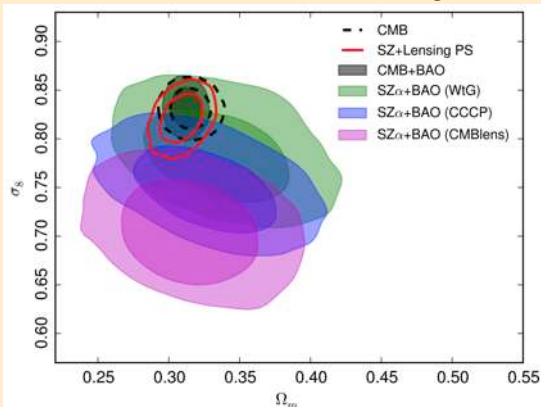


Betoule et al. 2014

## BBN

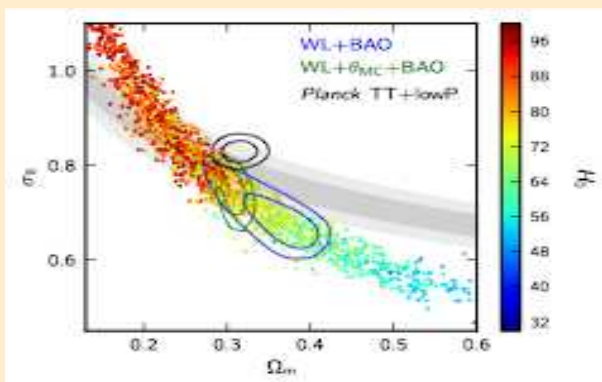


## Cluster counts ( $\sigma_8$ - $\Omega_m$ )



Planck collaboration XXIV

## Weak Lensing ( $\sigma_8$ - $\Omega_m$ )



## Direct measurements $H_0$

$H_0 = 67.8 \pm 0.92$  [Km/s/Mpc]  
(Planck TT+lowP+lensing)

$H_0 = 72.8 \pm 2.4$  [ $2\sigma$  tension]  
(Riess+11)

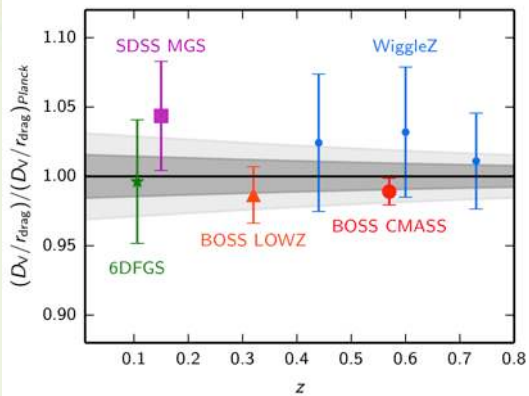
$H_0 = 70.6 \pm 3.3$  [ $1\sigma$  tension]  
(Efstathiou+14)

$H_0 = 74.3 \pm 2.6$  [ $2.5\sigma$  tension]  
(Freedman+12)

$H_0 = 73. \pm 1.8$  [ $2.7\sigma$  tension]  
(Riess+16)

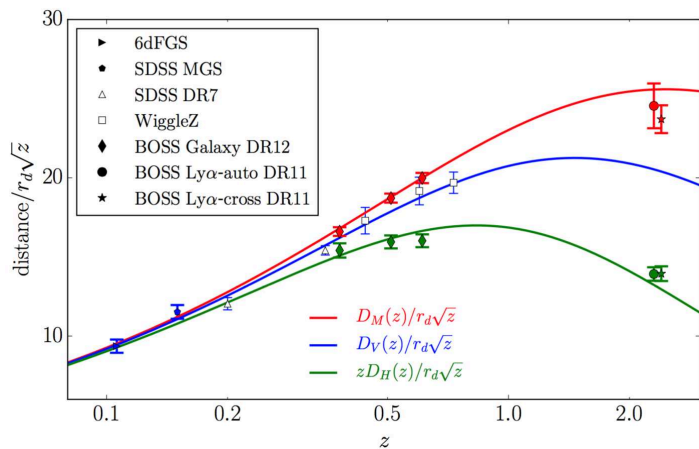
# Comparison with other datasets:

## BAO

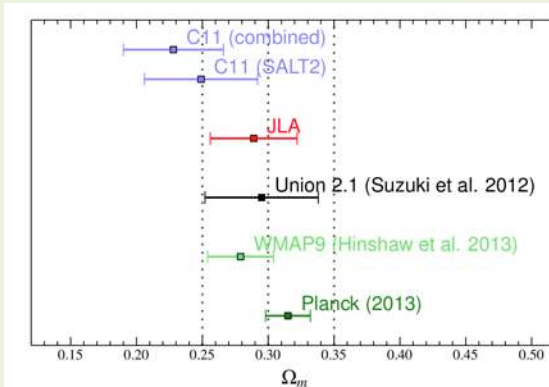


Baryon acoustic oscillations measure sound horizon/ distance ratio.

BOSS RD12 Alam+ 2016, arXiv:1607.03155v1

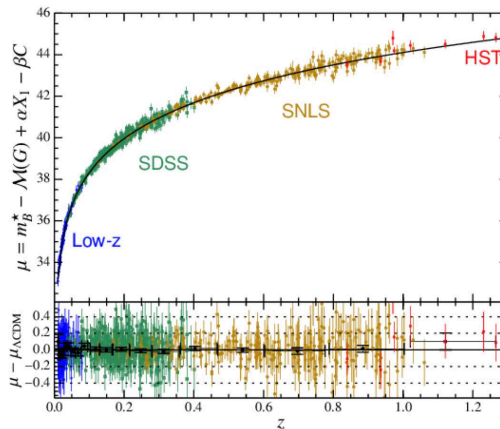


## Supernovae ( $\Omega_m$ )

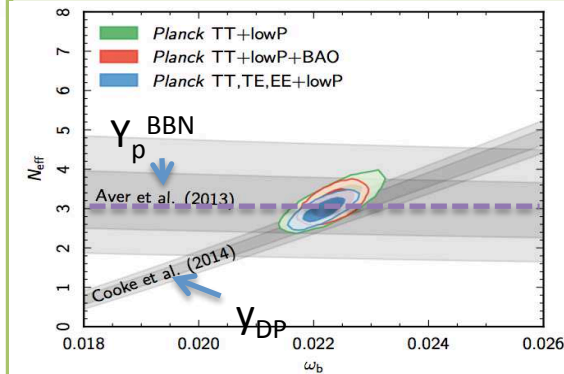


Measure relative luminosity distance with  $z$ ,  $z=0-1.4$

Betoule et al. 2014

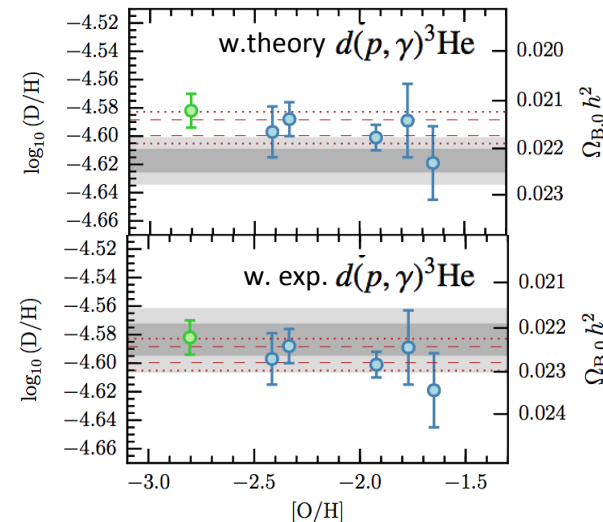


## BBN



Primordial Helium and deuterium abundances good agreement with BBN+Planck (but  $2.3\sigma$  w. latest  $Y_{dp}$ ).

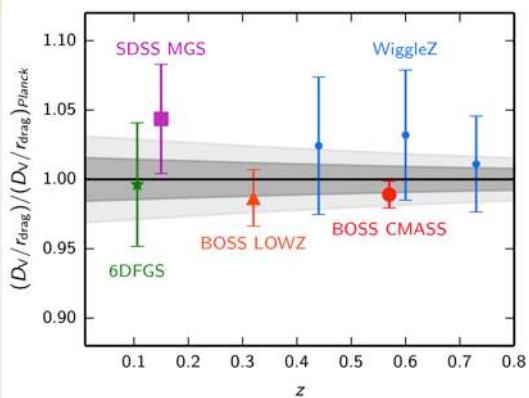
Cooke + 2016 arXiv:1607.03900v1



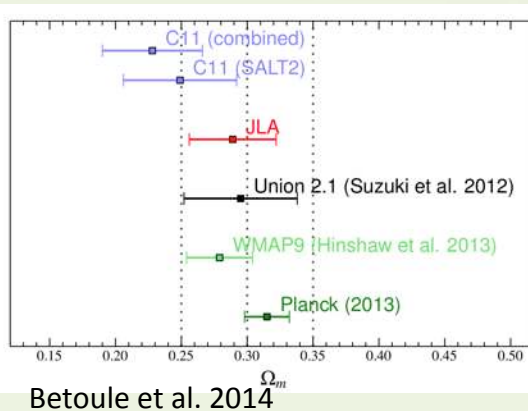


# Comparison with other datasets:

## BAO

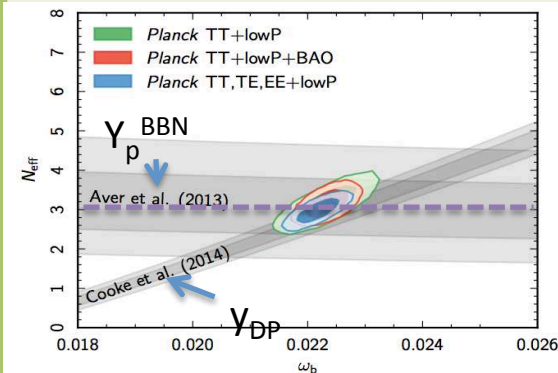


## Supernovae ( $\Omega_m$ )

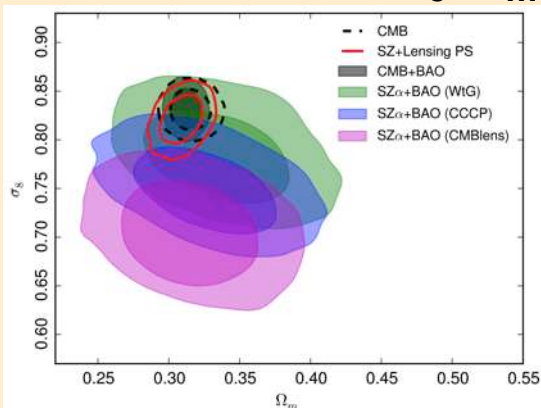


Betoule et al. 2014

## BBN

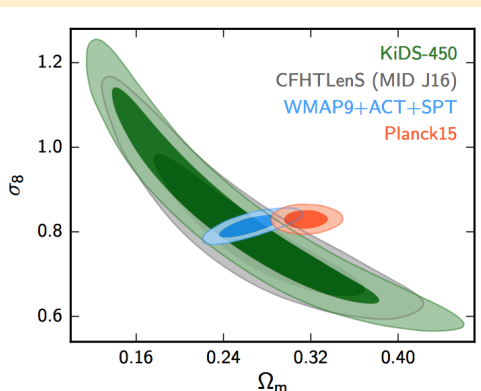


## Cluster counts ( $\sigma_8$ - $\Omega_m$ )



Planck collaboration XXIV

## Weak Lensing ( $\sigma_8$ - $\Omega_m$ )



Hildebrandt+ 16

## Direct measurements $H_0$

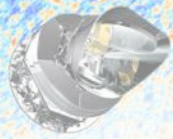
$H_0 = 66.9 \pm 0.91$  [in Km/s/Mpc]  
(PlanckTT+SIMlowHFI)

$H_0 = 72.8 \pm 2.4$  [ $2\sigma$  tension]  
(Riess+11)

$H_0 = 70.6 \pm 3.3$  [ $1\sigma$  tension]  
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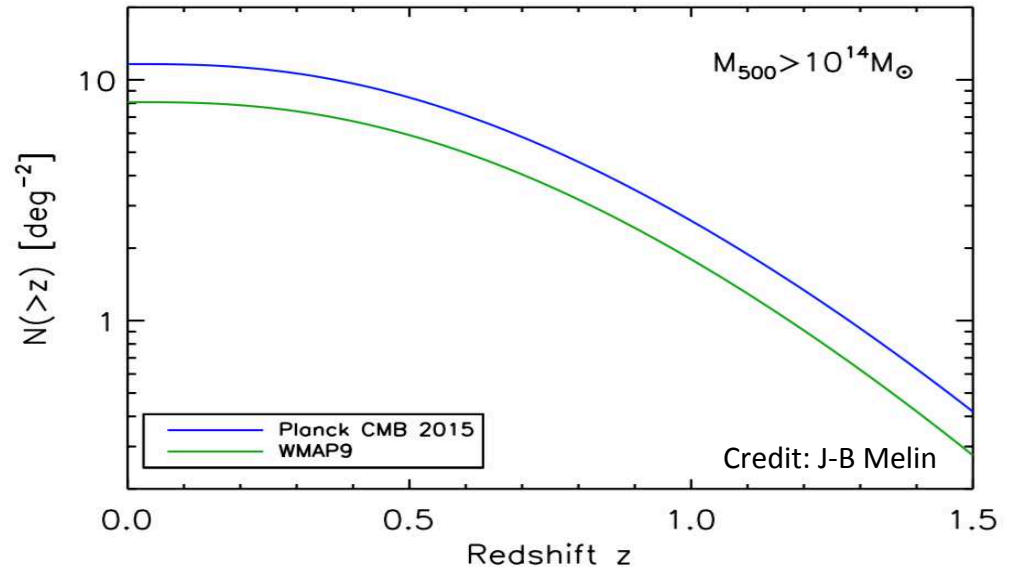
$H_0 = 74.3 \pm 2.6$  [ $2.5\sigma$  tension]  
(Freedman+12)

$H_0 = 73. \pm 1.8$  [ $3\sigma$  tension]  
(Riess+16)



# Counts of clusters of galaxies

- **Number of clusters** as a function of  $z$  sensitive to cosmological parameters.
- Clusters can be detected through **Sunyaev-Zeldovitch effect in CMB** surveys (e.g. Planck, ACT, SPT).
- To compare observations to predictions, we need to know the **redshift and the mass** of the observed clusters.
- Relation between SZ observables and mass **calibrated on X-ray observations**. Mass estimate assume hydrostatic equilibrium and is thus biased.
- Amplitude of **mass bias** is **KEY** quantity.



$$\frac{dN}{dz} = \int d\Omega \int dM_{500} \hat{\chi}(z, M_{500}, l, b) \frac{dN}{dz dM_{500} d\Omega}$$

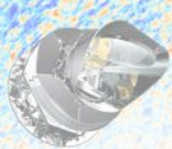
Completeness!      Mass function

$$E^{-\beta}(z) \left[ \frac{D_A^2(z) \bar{Y}_{500}}{10^{-4} \text{ Mpc}^2} \right] = Y_* \left[ \frac{h}{0.7} \right]^{-2+\alpha} \left[ \frac{(1-b) M_{500}}{6 \times 10^{14} M_{\text{sol}}} \right]^\alpha$$

SZ observable  
(Integrated thermal pressure)

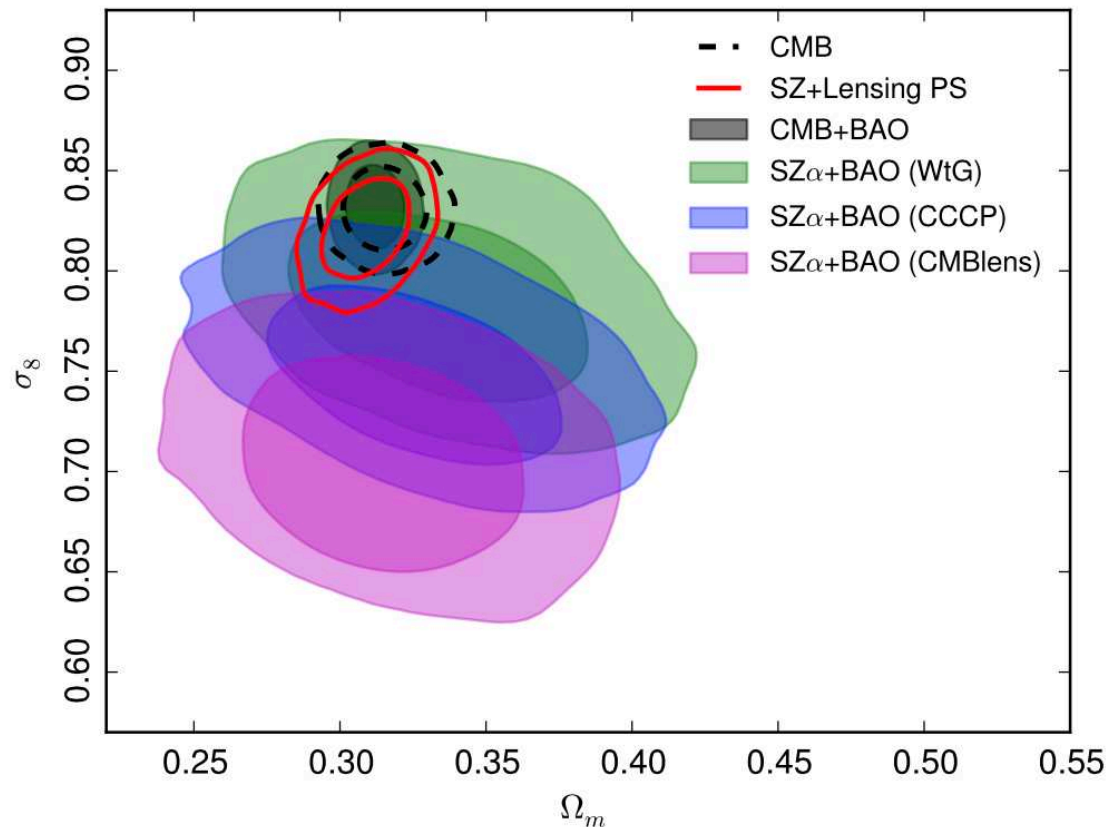
Bias  
 $M_x = M_{\text{true}} (1-b)$

True  
Cluster  
Mass



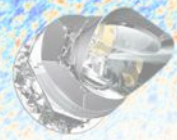
# Cluster counts with Planck 2015

- **Number of clusters** as a function of  $z$  sensitive to cosmology.
- Detected through **Sunyaev-Zeldovitch effect in CMB** surveys.
- Need to know the **mass** of the observed clusters -> Need  $Y_{sz}$ -mass relation-> Calibrated with **X-ray observations**-> Assume hydrostatic equilibrium-> **mass bias!**
- Mass bias can be measured from lensing measurements.

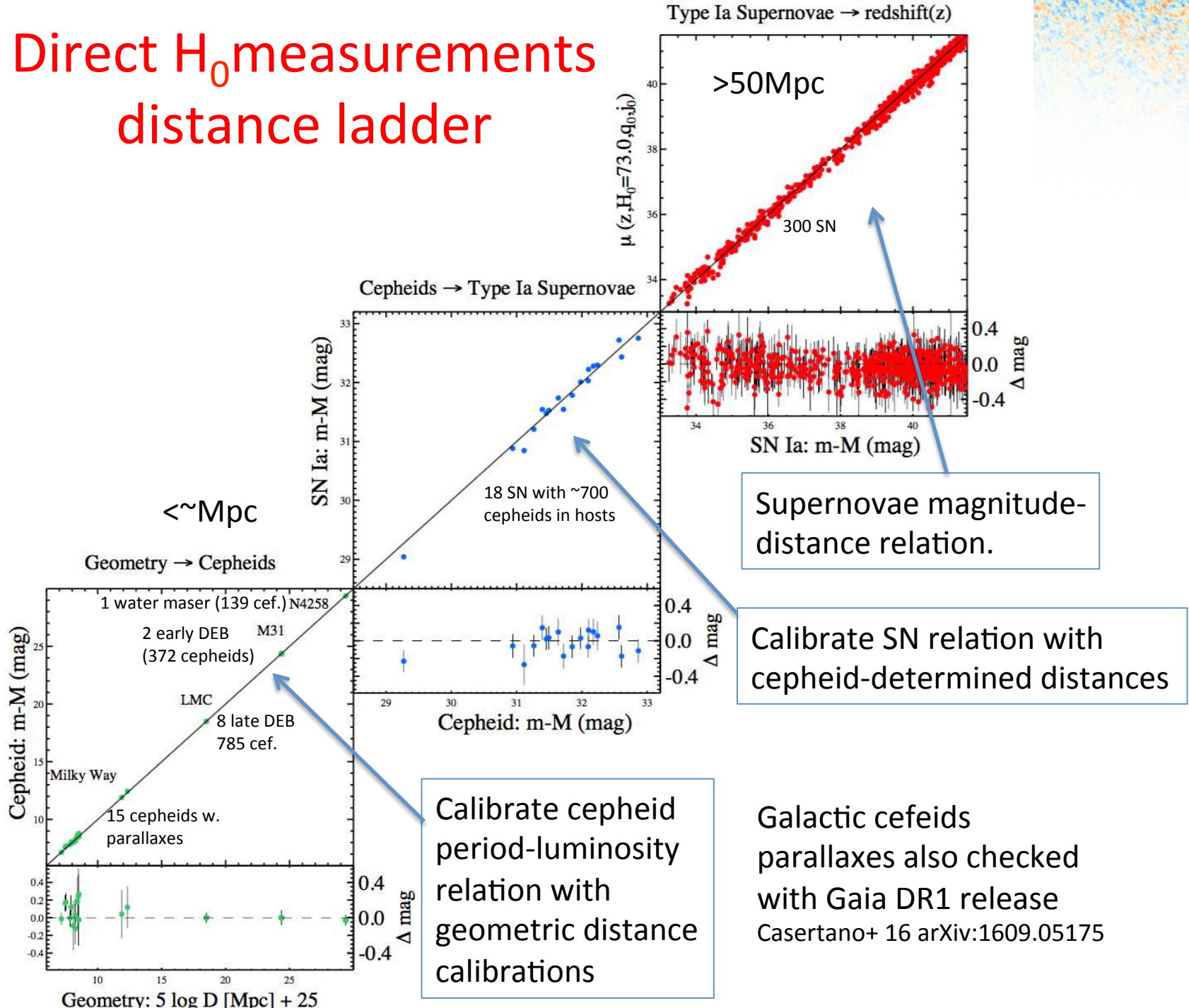


Prior name	Quantity	Value & Gaussian errors
Weighing the Giants (WtG)	$1 - b$	$0.688 \pm 0.072$
Canadian Cluster Comparison Project (CCCP)	$1 - b$	$0.780 \pm 0.092$
CMB lensing (LENS)	$1/(1 - b)$	$0.99 \pm 0.19$

- For perfect agreement with CMB,  $(1 - b) = 0.58 \pm 0.04$ .  $1\sigma$  lower than WtG.
- Tension can be relieved with non-zero neutrino mass, but detection disappears if BAO data is also included.



# Direct $H_0$ measurements distance ladder



# Direct measurements $H_0$

## Direct measurements $H_0$

$H_0 = 67.3 \pm 0.96$  [in Km/s/Mpc]  
(PlanckTT+lowP\_LFI)

$H_0 = 66.9 \pm 0.91$   
(PlanckTT+SIMlow\_HFI)

$H_0 = 73. \pm 1.8$  [ $\sim 3\sigma$  tension]  
(Riess+16)

Anchor(s)	Value [km s <sup>-1</sup> Mpc <sup>-1</sup> ]
One anchor	
NGC 4258: Masers	$72.39 \pm 2.56$
MW: 15 Cepheid Parallaxes	$76.09 \pm 2.41$
LMC: 8 Late-type DEBs	$71.93 \pm 2.70$
M31: 2 Early-type DEBs	$74.45 \pm 3.34$
Two anchors	
NGC 4258 + MW	$73.85 \pm 1.97$
<b>Three anchors (preferred)</b>	
<b>NGC 4258 + MW + LMC</b>	<b><math>73.02 \pm 1.79</math> km s<sup>-1</sup> Mpc<sup>-1</sup></b>
Four anchors	
NGC 4258 + MW + LMC + M31	$73.24 \pm 1.75$
Optical only (no NIR), three anchors	
NGC 4258 + MW + LMC	$71.19 \pm 2.55$

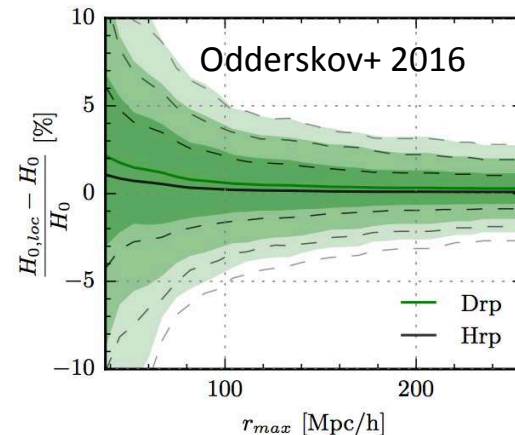
Riess+ 16

$H_0$  can be also measured from multiply-imaged quasar systems with measured gravitational time delays. H0licow project from 3 lenses:  $H_0 = 71.9_{-3.0}^{+2.4}$  km s<sup>-1</sup> Mpc<sup>-1</sup>

Bonvin et al.arXiv:1607.01790

# What if it's not systematics?

- **Extensions of LCDM.** Since CMB measurements of  $H_0$  are indirect and assume LCDM, one might consider extensions of LCDM (e.g. extra relativistic species). It was shown however that there is no easy extension of LCDM that can accommodate all the observations (see Di Valentino+ 2016, Bernal+ 2016 )
- **Peculiar velocities.** If we live in a large void and peculiar velocities are not properly taken into account when measuring redshifts, the local measurements of  $H_0$  might be biased (e.g. Keenan 2013, Romano+ 2016). However, simulations show it would need to be a very atypical void (e.g. Marra+ 2013, Odderskov+ 2016).





# Not only a Planck tension

Planck15

$$H_0 = 66.9 \pm 0.9$$

+SIMlowHFI

Riess+ 2016

$$H_0 = 73.02 \pm 1.79$$

} 3 $\sigma$  tension

WMAP

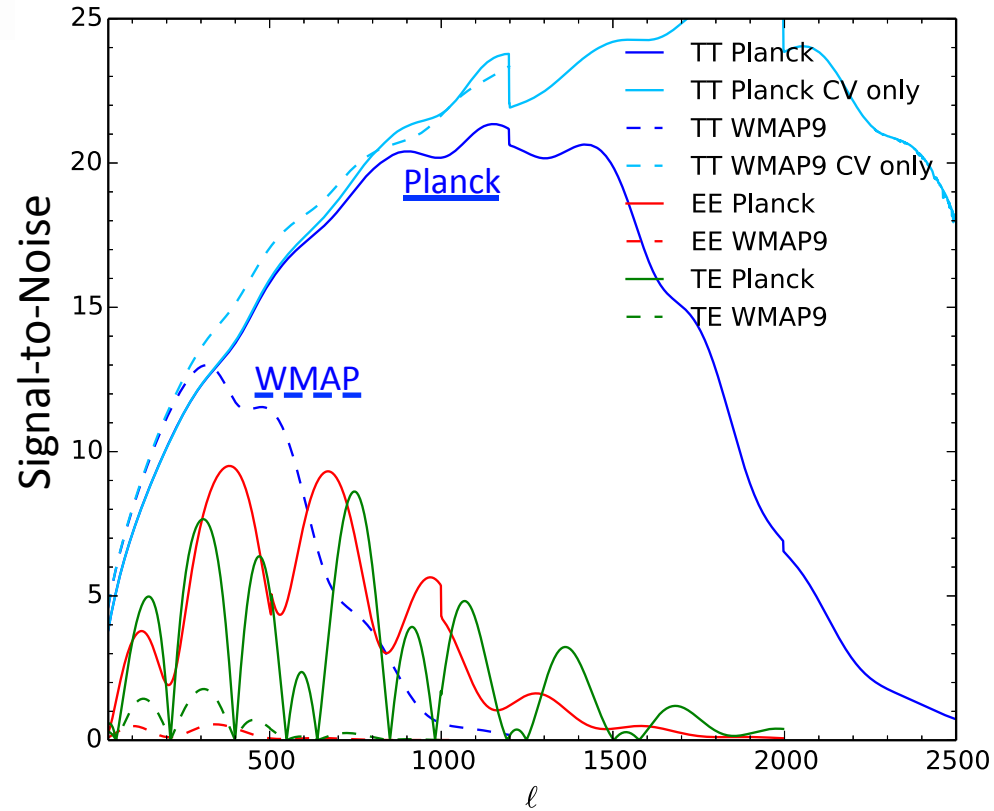
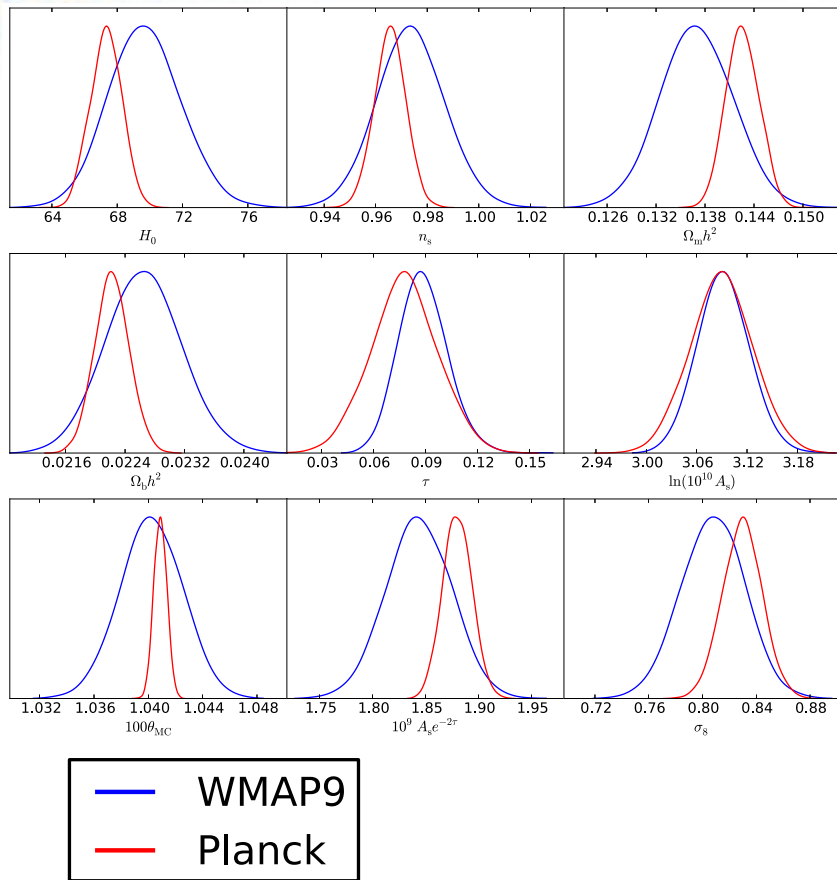
$$H_0 = 69.7 \pm 2.1 \text{ [Km/s/Mpc]}$$

\*The direct measurement tension is *NOT only* a Planck problem:

- **WMAP9+BAO** (BOSSDR11+6dFGS+Lyman  $\alpha$ )+high-z SNe  
 $H_0 = 68.1 \pm 0.7$  (2.5 $\sigma$  tension) (Aubourg+ 2015)
- **WMAP9+ACT+SPT + BAO** (BOSSDR11+6dFGS)  
 $H_0 = 69.3 \pm 0.7$  (1.9 $\sigma$  tension) (Bennet+ 2014)
- **SPT** alone prefers very high  $H_0 = 75.0 \pm 3.5$



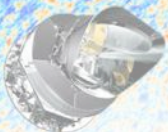
# Planck and WMAP



**Planck** sample variance limited till  $l \sim 1600$  (data points till  $\sim 2500$ , fsky  $\sim 40-70\%$ )

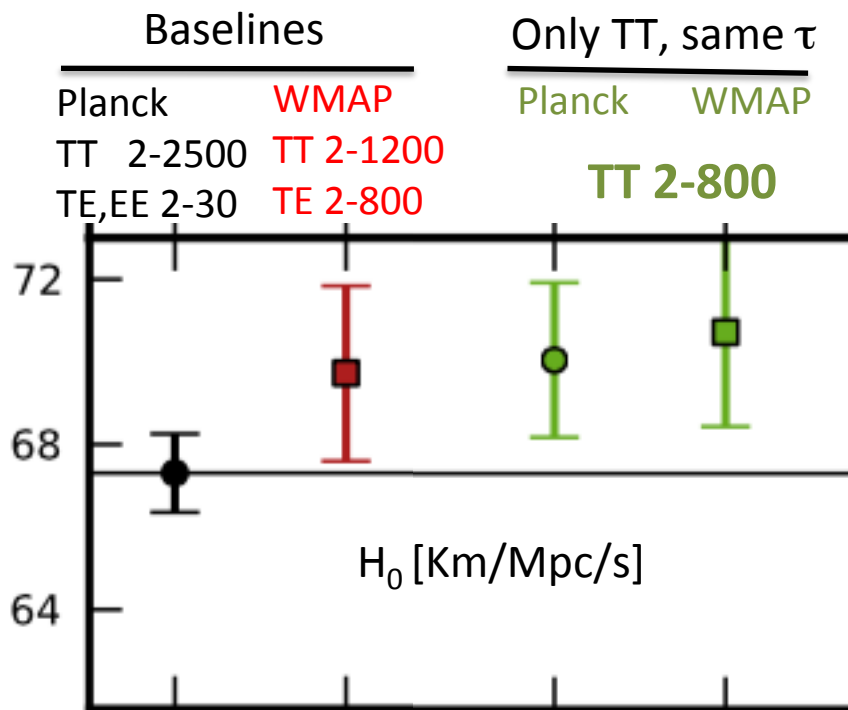
**WMAP** sample variance limited till  $l \sim 600$  (data points till  $l \sim 1200$ )



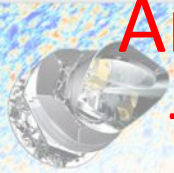


# Compare apples to apples

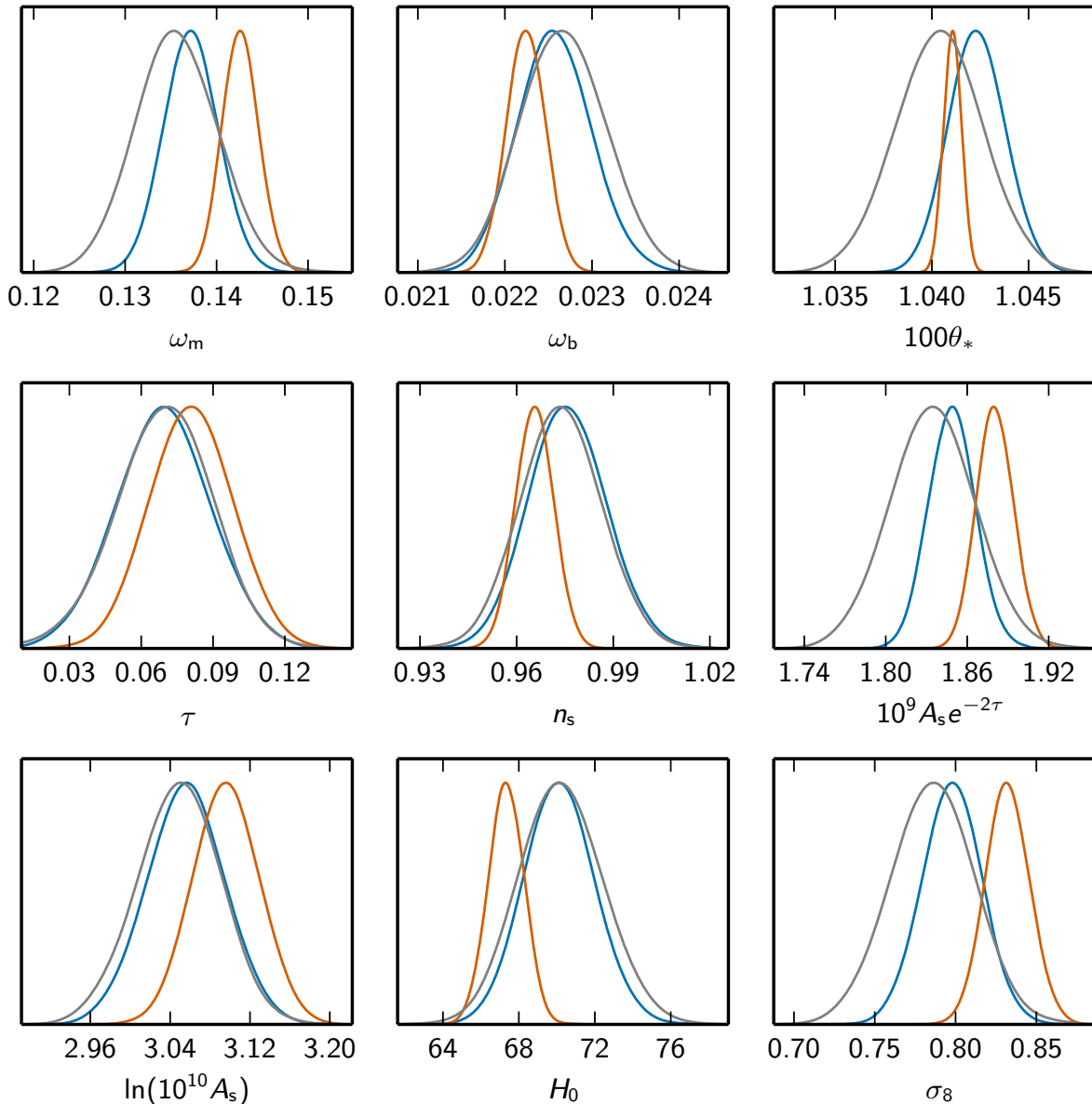
- Same prior on the optical depth, temperature only, same multipole region (although noise properties and fsky are still different).



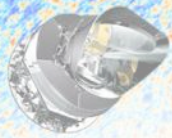
- Planck and WMAP agree very well when compared properly.
- This confirms the findings of comparison at map/power spectrum level.
- **Still need to prove that shifts between  $l_{\max}=800$  and  $l_{\max}=2500$  for Planck itself are consistent with expectations!**



# Are the cosmological parameters inferred from the low ( $l < 800$ ) and the ( $l < 2500$ ) consistent?



Planck  $l < 800$   
Planck  $l < 2500$   
WMAP



# Simulations

- We simulate  $\sim 5000$  TT power spectra and estimate cosmological parameters from each different  $l$ -ranges (e.g.  $l < 800$  and  $l < 2500$ ).
- We only use **TT data** and use a prior on the optical depth  $\tau = 0.07 \pm 0.02$  as a proxy of the large scale polarization data (but we also tested the a prior  $\tau = 0.055 \pm 0.01$ , compatible with the latest HFI results 2016 ).

“Planck 2016 intermediate results. LI. Features in the cosmic microwave background temperature power spectrum and shifts in cosmological parameters ”

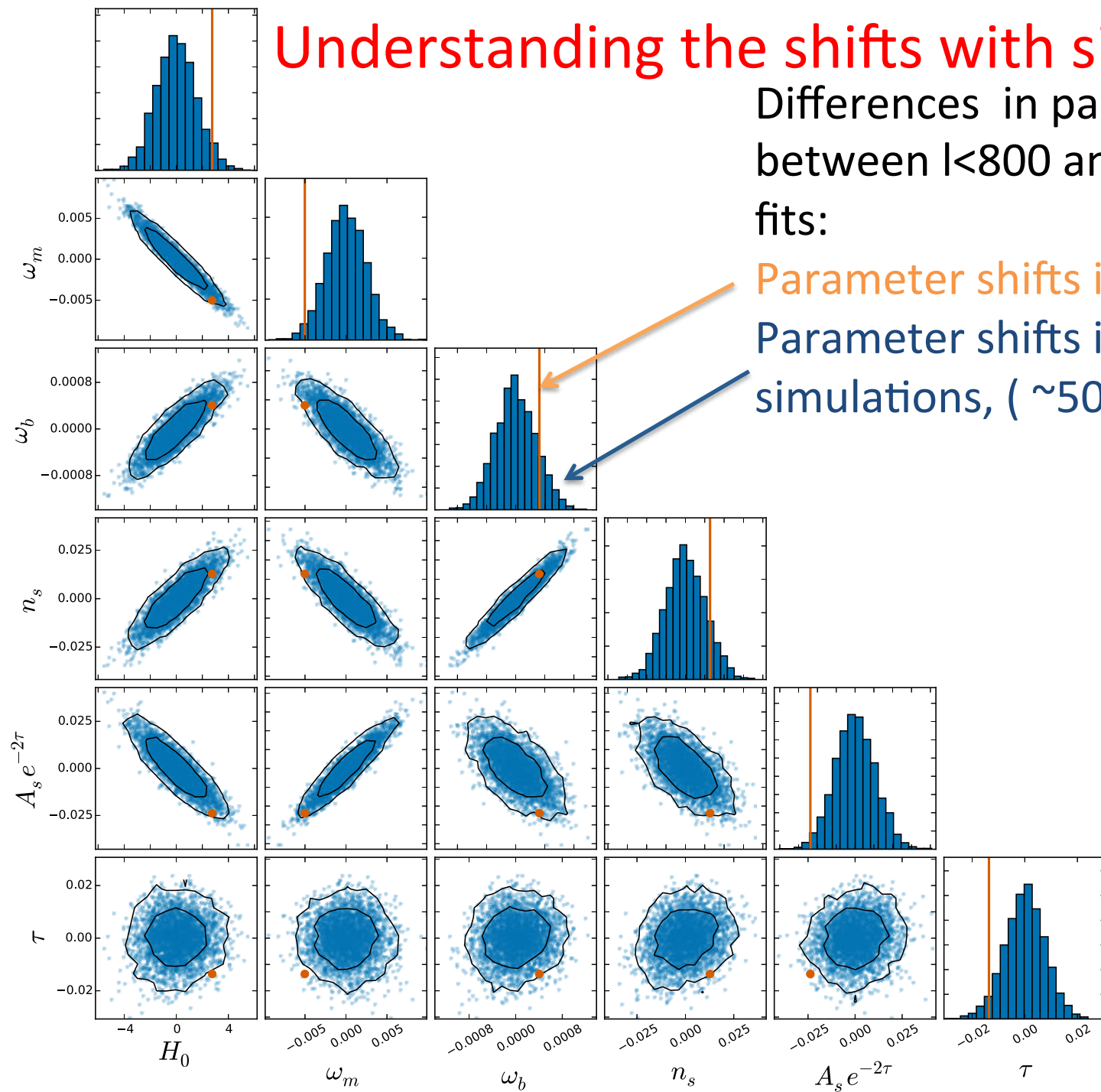
[arXiv:1608.02487](https://arxiv.org/abs/1608.02487)

# Understanding the shifts with simulations

Differences in parameters between  $l < 800$  and  $l < 2500$  best-fits:

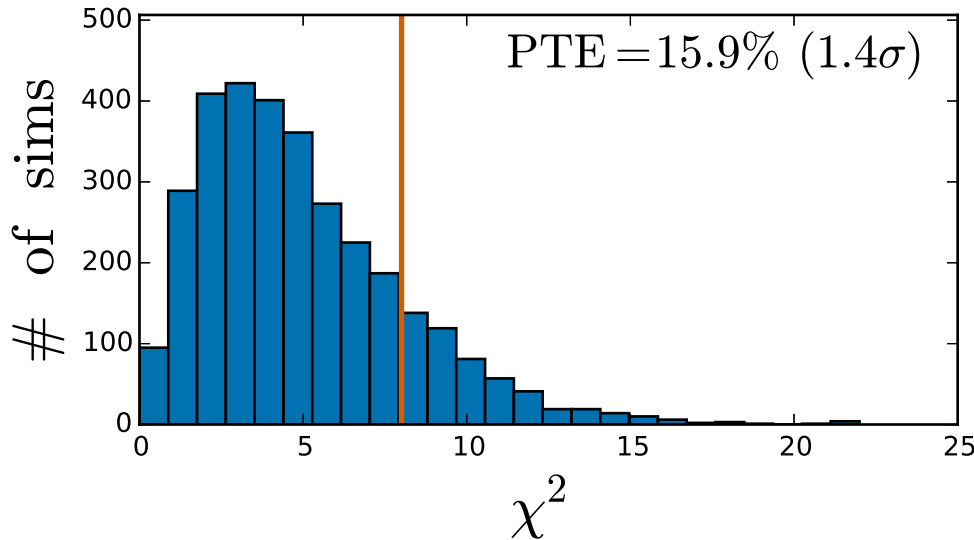
Parameter shifts in the data

Parameter shifts in the simulations, ( $\sim 5000$  sims)





# Parameter shifts and their statistical significance



**PTE=15.9%, equivalent to 1.4 $\sigma$ .**

i.e. 15.9% of the sims exceed the data. Corresponds to the number of outliers larger than 1.4 $\sigma$  for a 1D gaussian.

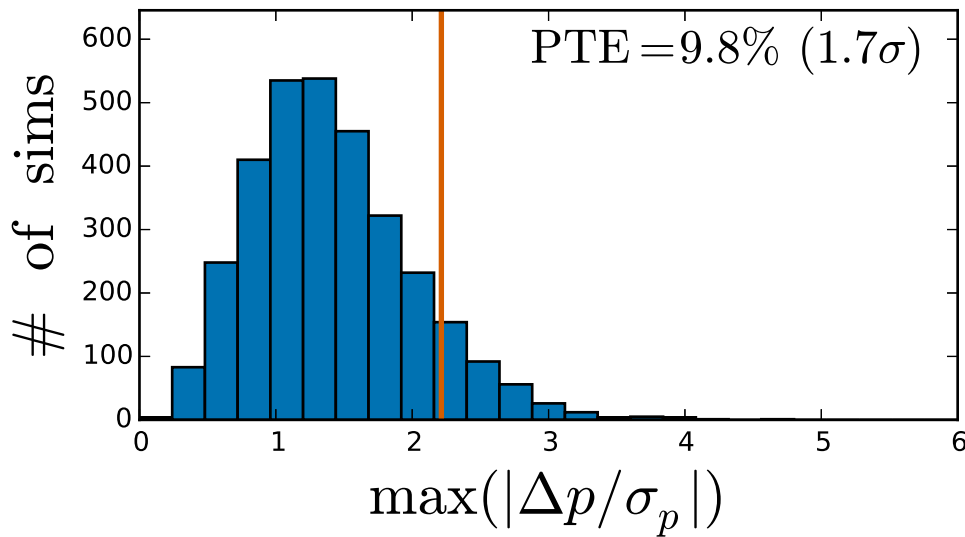
The difference is **not** statistically very significant.

$\chi^2$  of the parameter differences

$$\chi^2 = \Delta p^T \Sigma^{-1} \Delta p$$

$$\Delta p = p[2-2500] - p[2-800]$$

# Significance of biggest outlier



- The largest outlier in the data is  $A_s e^{-2\tau}$ , at  $1.7 \sigma$ .
- This includes look elsewhere effect (there are 6 cosmo. parameters, we picked the one with the largest shift). Without look-elsewhere is  $2.2\sigma$ .



# Significances

Data set 1	Data set 2	Test	
		$\chi^2$	max-param
$\ell < 800$ . . . . .	$\ell < 2500$ . . . . .	$1.4 \sigma^\dagger$	$1.7 \sigma (A_s e^{-2\tau})$
$\ell < 800$ . . . . .	$\ell > 800$ . . . . .	$1.6 \sigma$	$2.1 \sigma (A_s e^{-2\tau})$
$\ell < 1000$ . . . . .	$\ell < 2500$ . . . . .	$1.8 \sigma^\dagger$	$1.5 \sigma (A_s e^{-2\tau})$
$\ell < 1000$ . . . . .	$\ell > 1000$ . . . . .	$1.6 \sigma$	$1.6 \sigma (\omega_m)$

The differences are not statistically very significant.



# Effect of lower tau-prior

Using  $\tau = 0.055 \pm 0.01$  instead of  $\tau = 0.07 \pm 0.02$

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Data set 1	Data set 2	Test	
		$\chi^2$	max-param
$\ell < 800$ . . . . .	$\ell < 2500$ . . . . .	$1.8 \sigma^\dagger$	$2.1 \sigma$ ( $A_s e^{-2\tau}$ )
$\ell < 800$ . . . . .	$\ell > 800$ . . . . .	$1.9 \sigma$	$2.2 \sigma$ ( $A_s e^{-2\tau}$ )
$\ell < 1000$ . . . . .	$\ell < 2500$ . . . . .	$1.9 \sigma^\dagger$	$1.9 \sigma$ ( $A_s e^{-2\tau}$ )
$\ell < 1000$ . . . . .	$\ell > 1000$ . . . . .	$1.9 \sigma$	$1.5 \sigma$ ( $\omega_m$ )

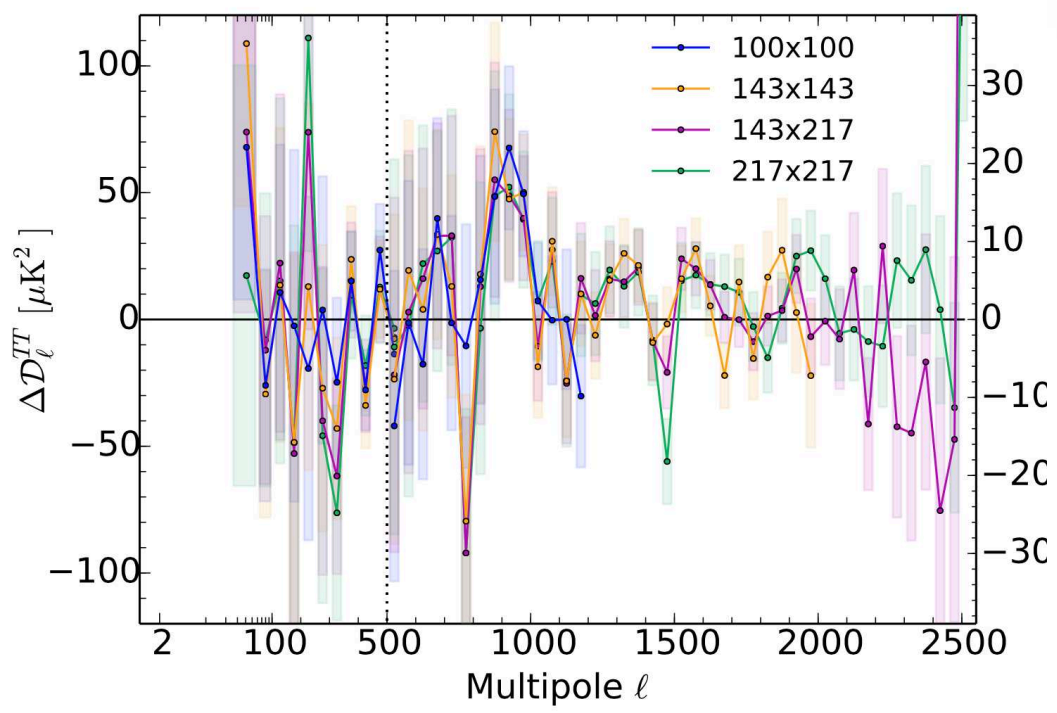
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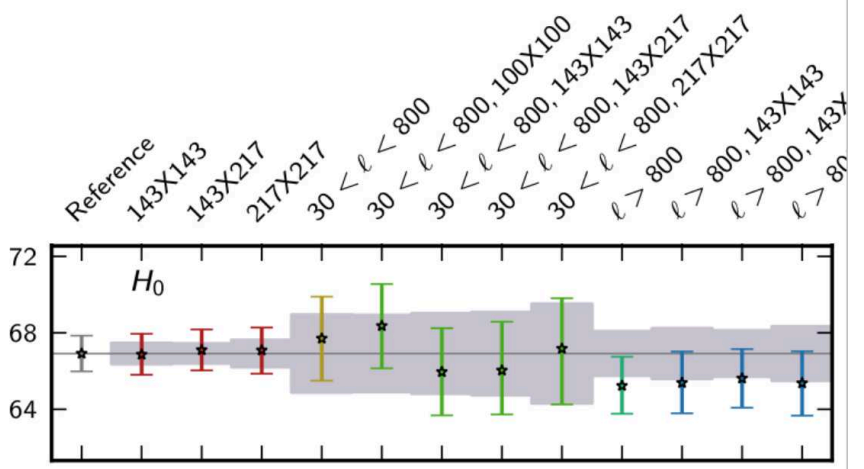
$[-0.1\sigma, 0.3\sigma]$  changes



# Consistency between frequencies



Power spectrum features are very similar across frequencies. Cosmological parameters inferred from different frequencies are in very good agreement.

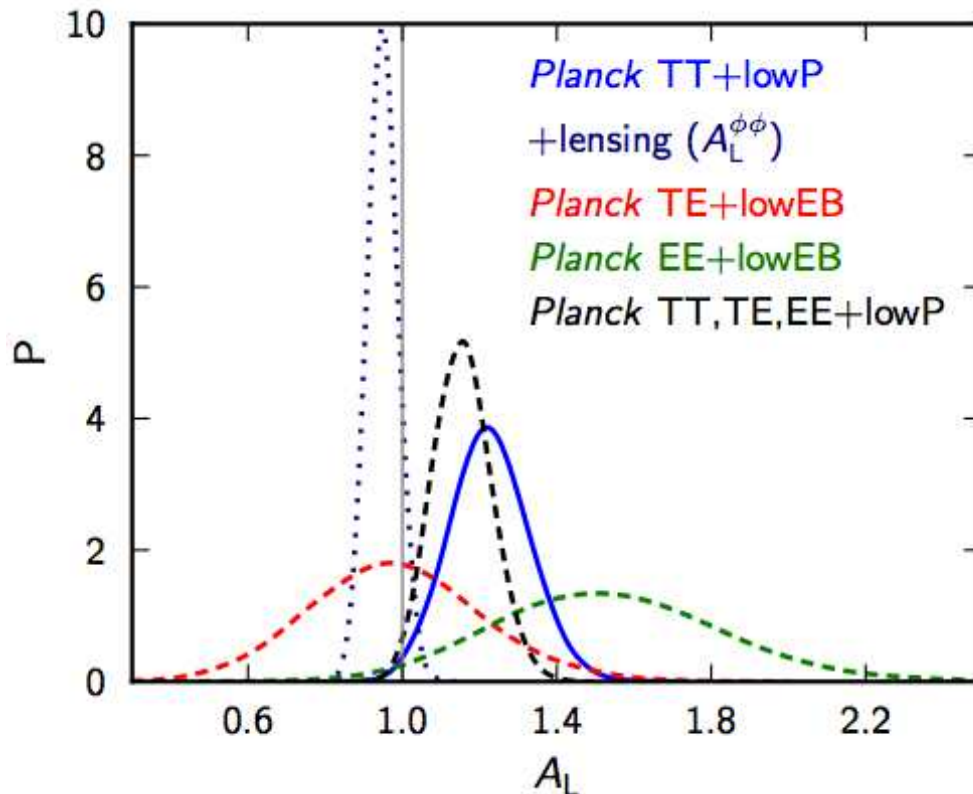
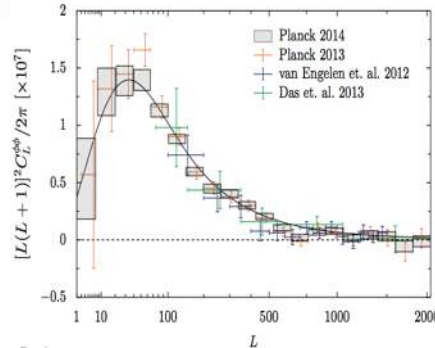
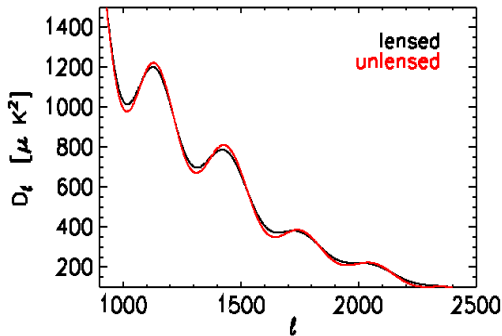




# What is driving the shifts between $l_{\max}=800$ and $l_{\max}=2500$ ?

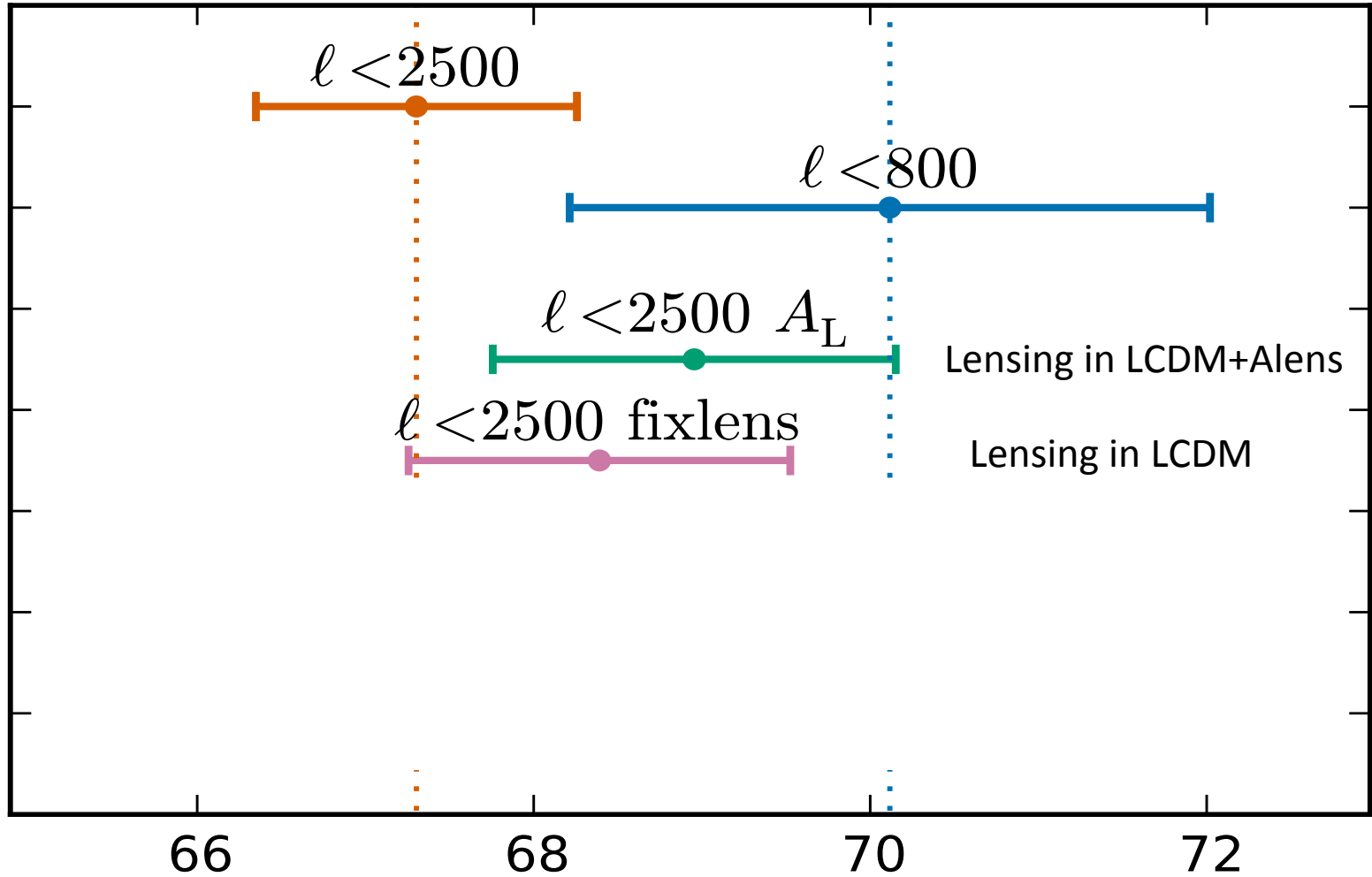
1. Is there a preference for extra-lensing?
2. Is it the low- $l$  anomaly?

# A slight preference for high lensing in the power spectrum

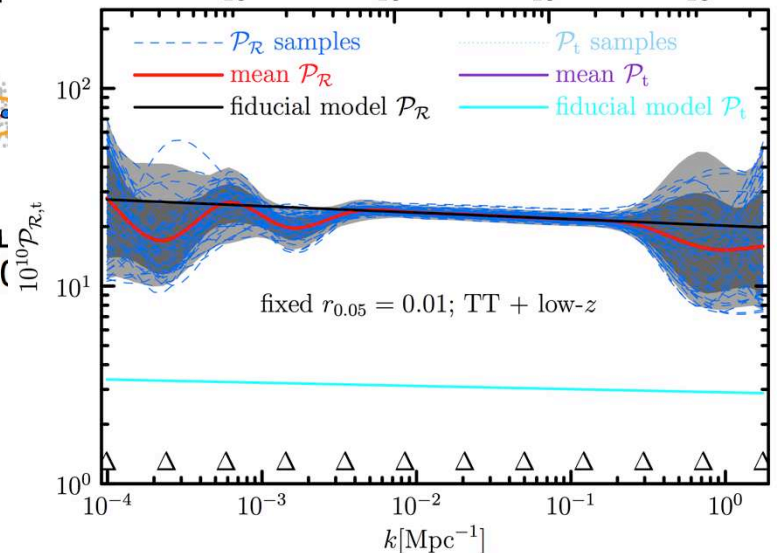
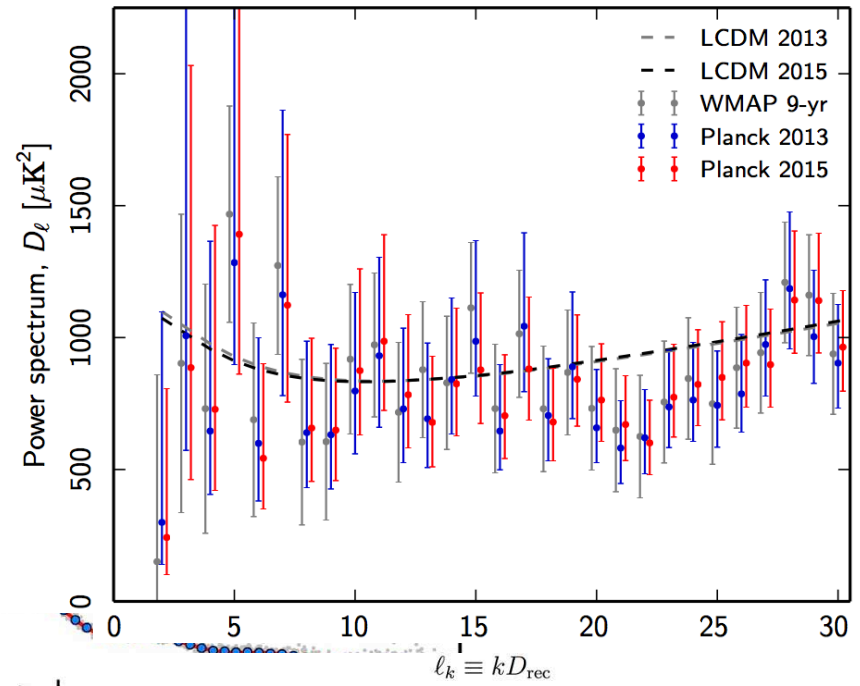
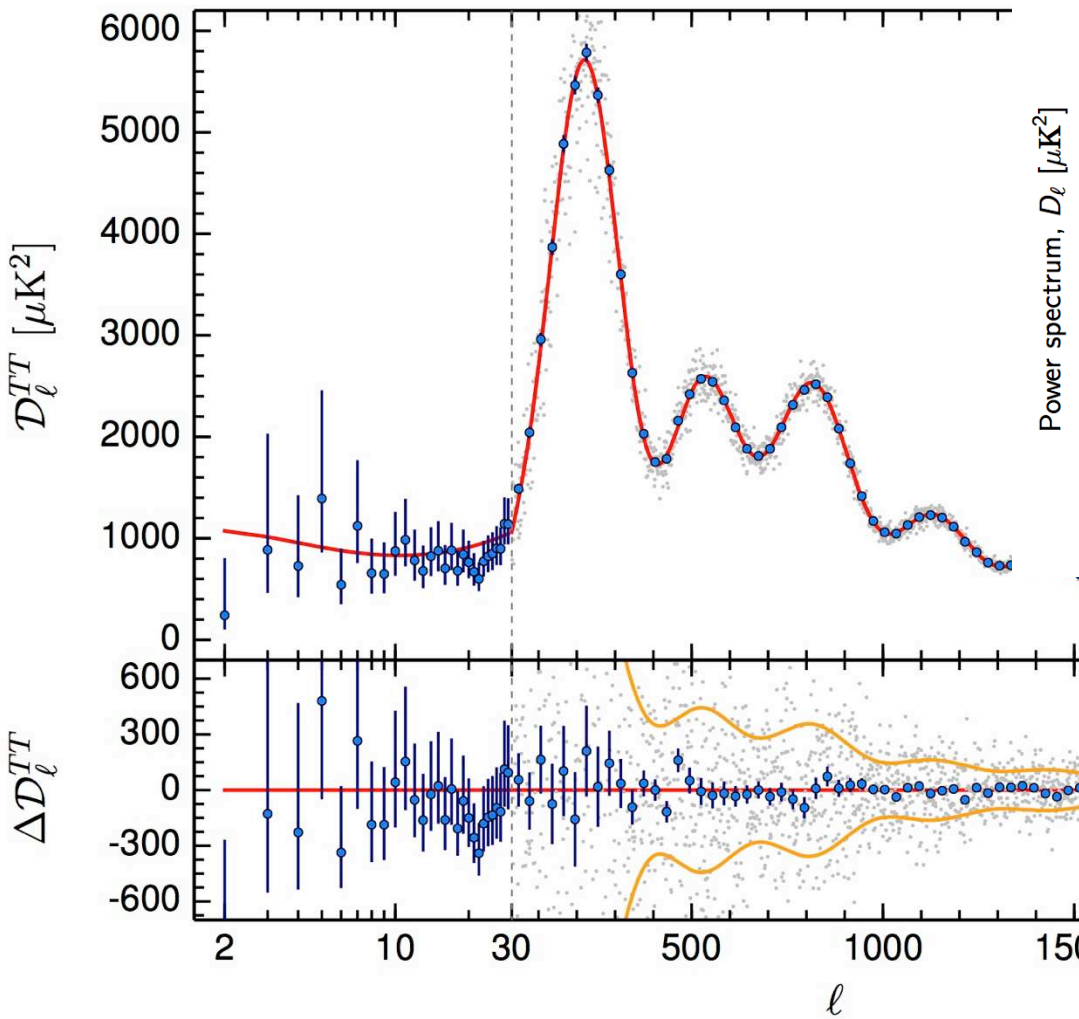


- $A_L$  parametrizes amplitude of lensing power spectrum.
- In  $\Lambda$ CDM+ $A_L$  model, TT power spectrum prefers a  $\sim 2$ -sigma larger lensing amplitude than  $\Lambda$ CDM prediction.
- We do not think this is physical, because the lensing reconstruction does not share this preference for high amplitude.
- **This could just be a statistical fluctuation in the data.**

# $H_0$

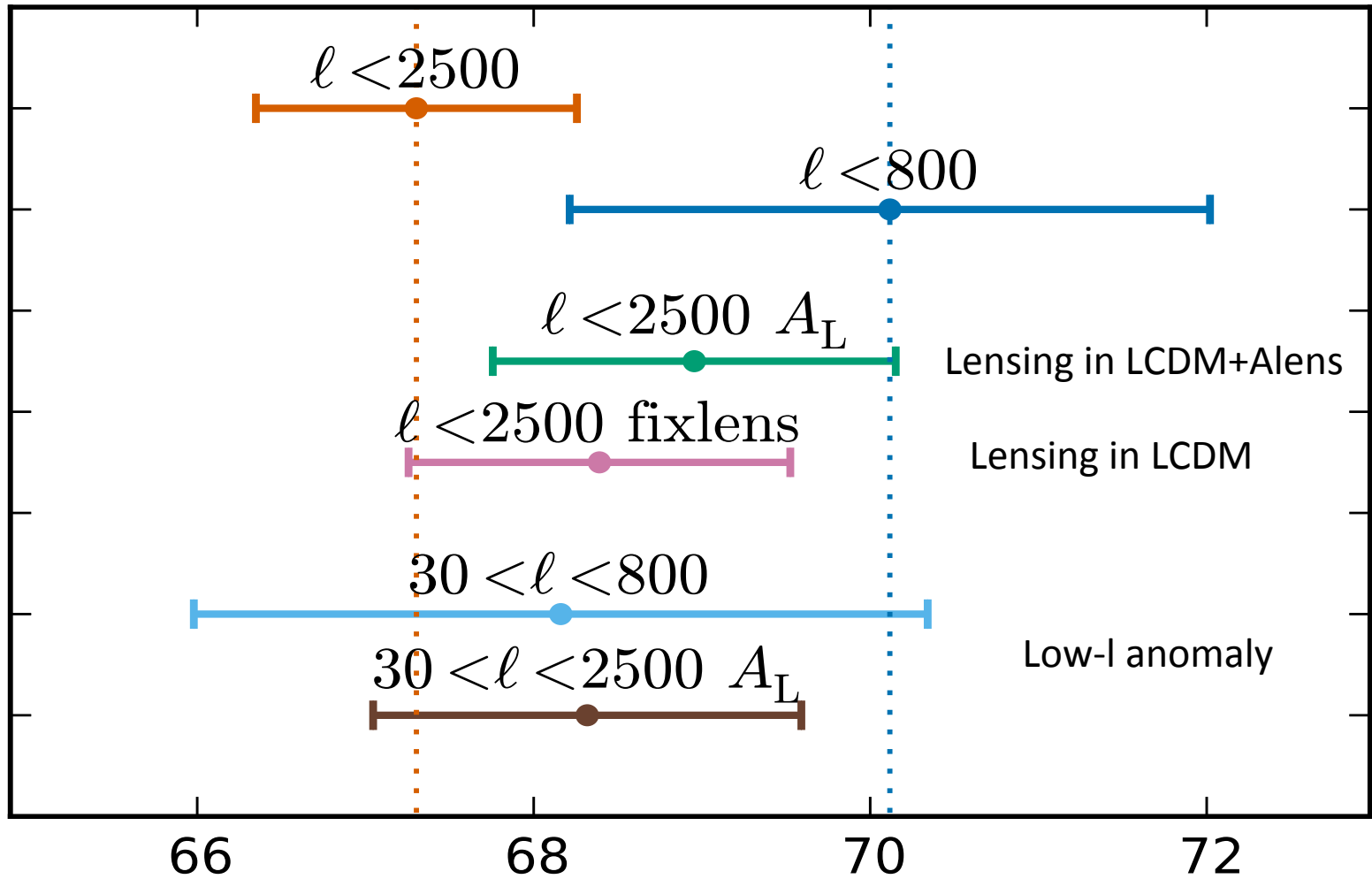


# Is it the low- $l$ anomaly?



See also Hannestad 03, Shafieloo 03, Bennet et al. 2011, Mortonson et al. 2009 and many others

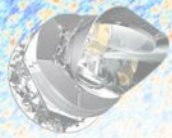
# $H_0$





# Eliminating the low- $l$ reduces further the parameter shift.

Data set 1	Data set 2	Test	
		$\chi^2$	max-param
$l < 800$ . . . . .	$l < 2500$ . . . . .	$1.4 \sigma^\dagger$	$1.7 \sigma$ ( $A_s e^{-2\tau}$ )
$l < 800$ . . . . .	$l > 800$ . . . . .	$1.6 \sigma$	$2.1 \sigma$ ( $A_s e^{-2\tau}$ )
$l < 1000$ . . . . .	$l < 2500$ . . . . .	$1.8 \sigma^\dagger$	$1.5 \sigma$ ( $A_s e^{-2\tau}$ )
$l < 1000$ . . . . .	$l > 1000$ . . . . .	$1.6 \sigma$	$1.6 \sigma$ ( $\omega_m$ )
$30 < l < 800$ . . . . .	$l > 30$ . . . . .	$1.2 \sigma^\dagger$	$1.3 \sigma$ ( $\tau$ )
$30 < l < 800$ . . . . .	$l > 800$ . . . . .	$1.2 \sigma$	$1.2 \sigma$ ( $A_s e^{-2\tau}$ )
$30 < l < 1000$ . . . . .	$l > 30$ . . . . .	$1.4 \sigma^\dagger$	$1.5 \sigma$ ( $\tau$ )
$30 < l < 1000$ . . . . .	$l > 1000$ . . . . .	$1.2 \sigma$	$0.7 \sigma$ ( $\omega_m$ )



# Conclusions

- Planck consistent with BAO, SN, BBN. Open issue with clusters, weak lensing. Tension with direct measurements of  $H_0$ .
- $H_0$  tension present also in WMAP+BAO+SN.
- WMAP and Planck in very good agreement if compared at same scales.
- WMAP+SPT do not have statistical power of Planck
- Planck low- $l$  Planck high- $l$  in good statistical agreement
- Smoothing of high- $l$  peaks and low- $l$  deficit possibly responsible for shifts between low and high- $l$ .



The scientific results that we present today are a product of the Planck Collaboration, including individuals from more than 100 scientific institutes in Europe, the USA and Canada.



Planck is a project of the European Space Agency, with instruments provided by two scientific Consortia funded by ESA member states (in particular the lead countries: France and Italy) with contributions from NASA (USA), and telescope reflectors provided in a collaboration between ESA and a scientific Consortium led and funded by Denmark.