



Programma per Giovani Ricercatori
"Rita Levi Montalcini"

SYNERGISTIC COSMOLOGY ACROSS THE SPECTRUM

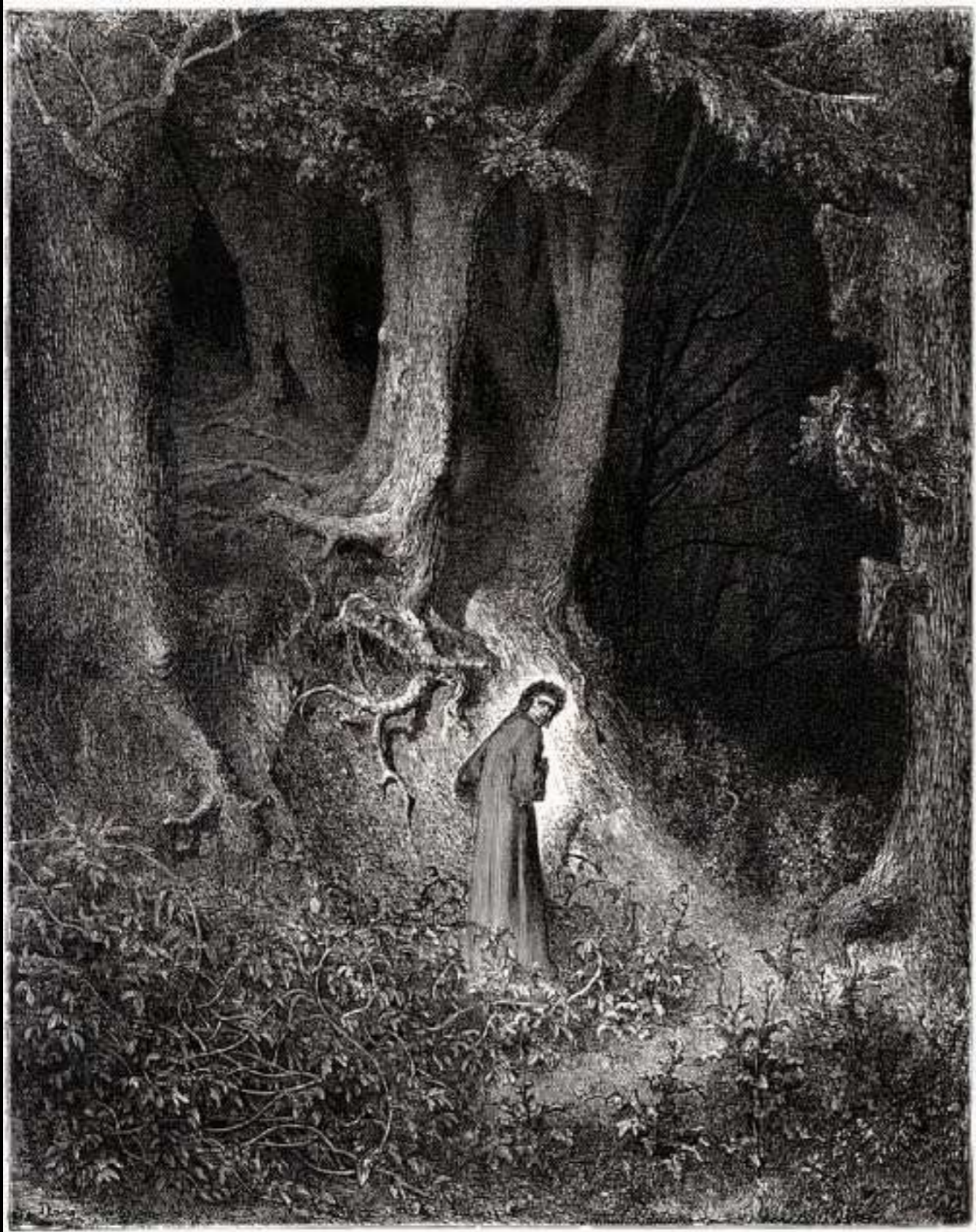
Stefano Camera

Dipartimento di Fisica, Università degli Studi di Torino, Italy





FUNDAMENTAL COSMOLOGY



Lion



Panther

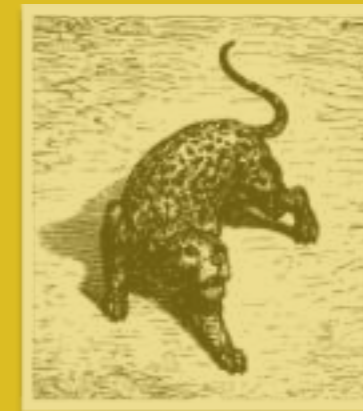
She-wolf



FUNDAMENTAL COSMOLOGY



Dark matter





Dark energy



Inflation

Definition of *synergy* in English:

synergy

Pronunciation: /'sɪnədʒi/  

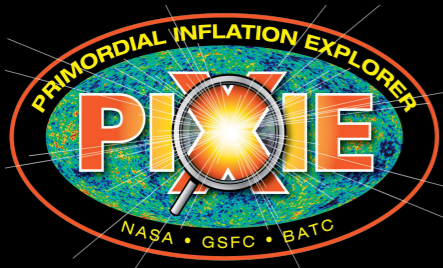
(also **synergism** /'sɪnədʒɪz(ə)m/)

NOUN

[MASS NOUN]

The interaction or cooperation of two or more organizations, substances, or other agents to produce a combined effect greater than the sum of their separate effects:

SYNERGIES



herschel
Unveiling the cool
and dusty Universe

just
Observing the



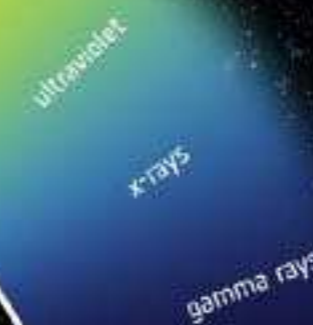
planck
Looking back
at the dawn of time

CORe
Cosmic Origins Explorer

euclid
Probing dark matter, dark energy
and the expanding Universe

hst
Expanding the frontiers
of the visible Universe

xmm-newton
Seeing deeply into the hot
and violent Universe



integral
Looking out the extremes
of the Universe

European Space Agency

- Synergies: Why and how?

- Synergies

- Synergies vs C... re:



CORRELATIONS

- Cosmological perturbation $f(t, \mathbf{x})$
[temperature anisotropies, density fluctuations...]
- Correlation function $\xi^f(t, |\mathbf{x} - \mathbf{y}|) = \langle f(t, \mathbf{x}) f(t, \mathbf{y}) \rangle$
- Power spectrum $\langle \hat{f}_k(t) \hat{f}_{k'}^*(t) \rangle = \delta_D(\mathbf{k} - \mathbf{k}') P^f(k, t)$

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- **Example #1:** Cosmic microwave background temperature anisotropies

$$f(t, \mathbf{x}) \rightarrow \frac{\delta T(t_{\text{rec}}, \vec{\theta})}{T_{\text{CMB}}}$$

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- **Example #1:** Cosmic microwave background temperature anisotropies

$$\hat{f}_k(t) \rightarrow a_{\ell m}$$

CORRELATIONS

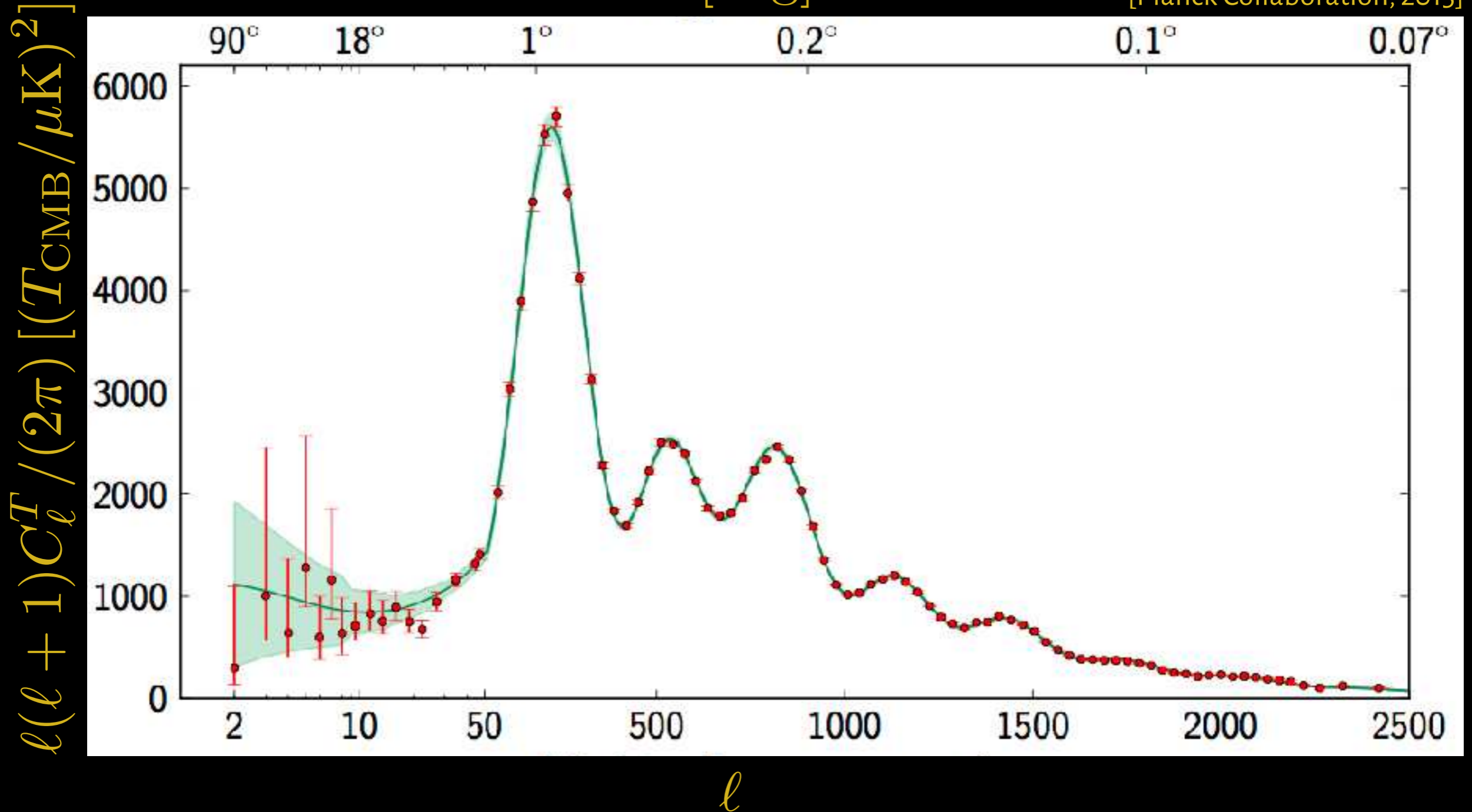
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- **Example #1:** Cosmic microwave background temperature anisotropies

$$\langle a_{\ell m} a_{\ell' m'}^* \rangle = \delta_{K}^{\ell \ell', m m'} C_{\ell}^T$$

CORRELATIONS

θ [deg]

[Planck Collaboration, 2015]



CORRELATIONS

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- **Example #2:** Matter power spectrum

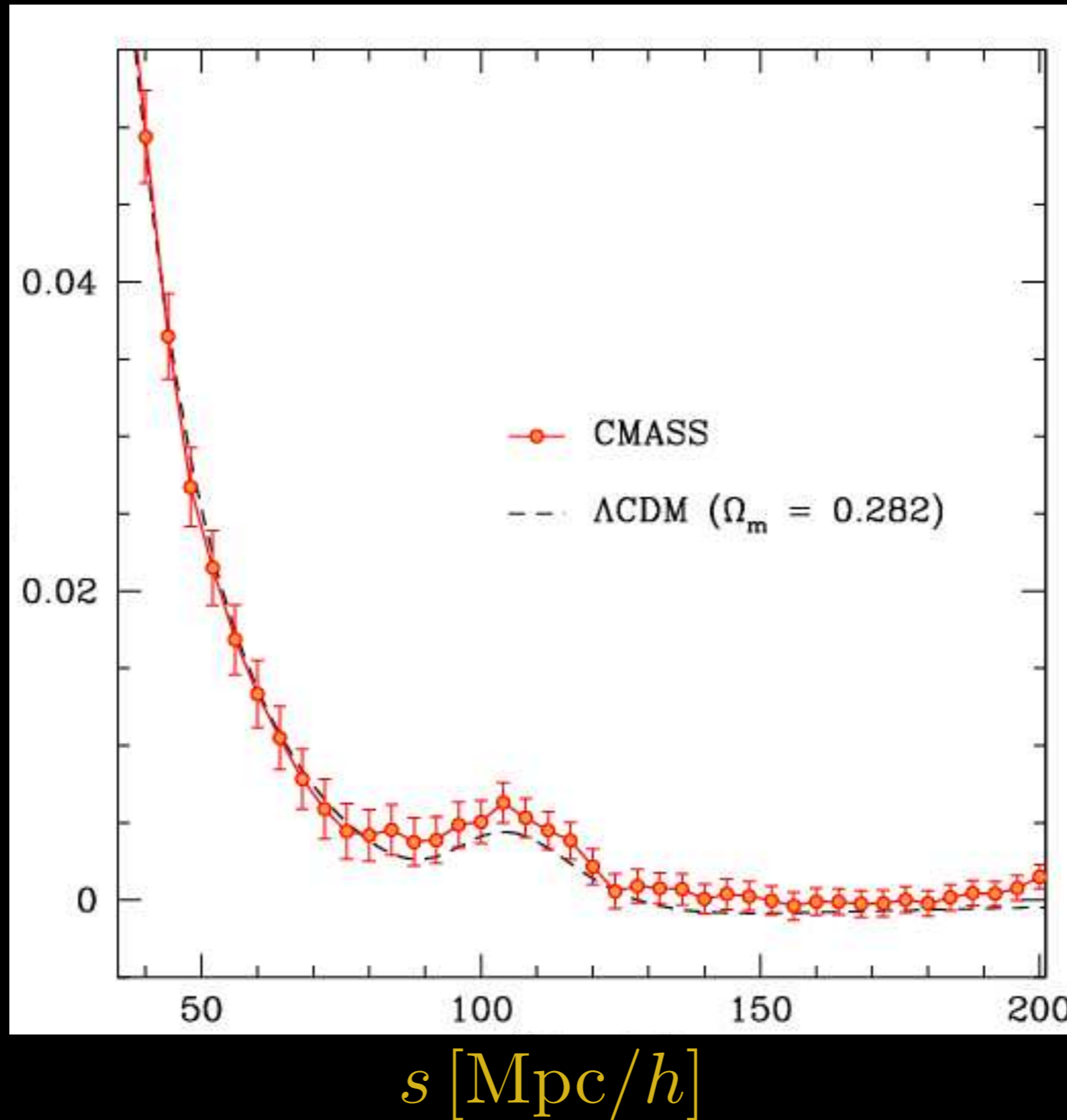
$$f(t, \mathbf{x}) \rightarrow \delta_g(t, \mathbf{x}) = b_g(t) \delta(t, \mathbf{x})$$



CORRELATIONS

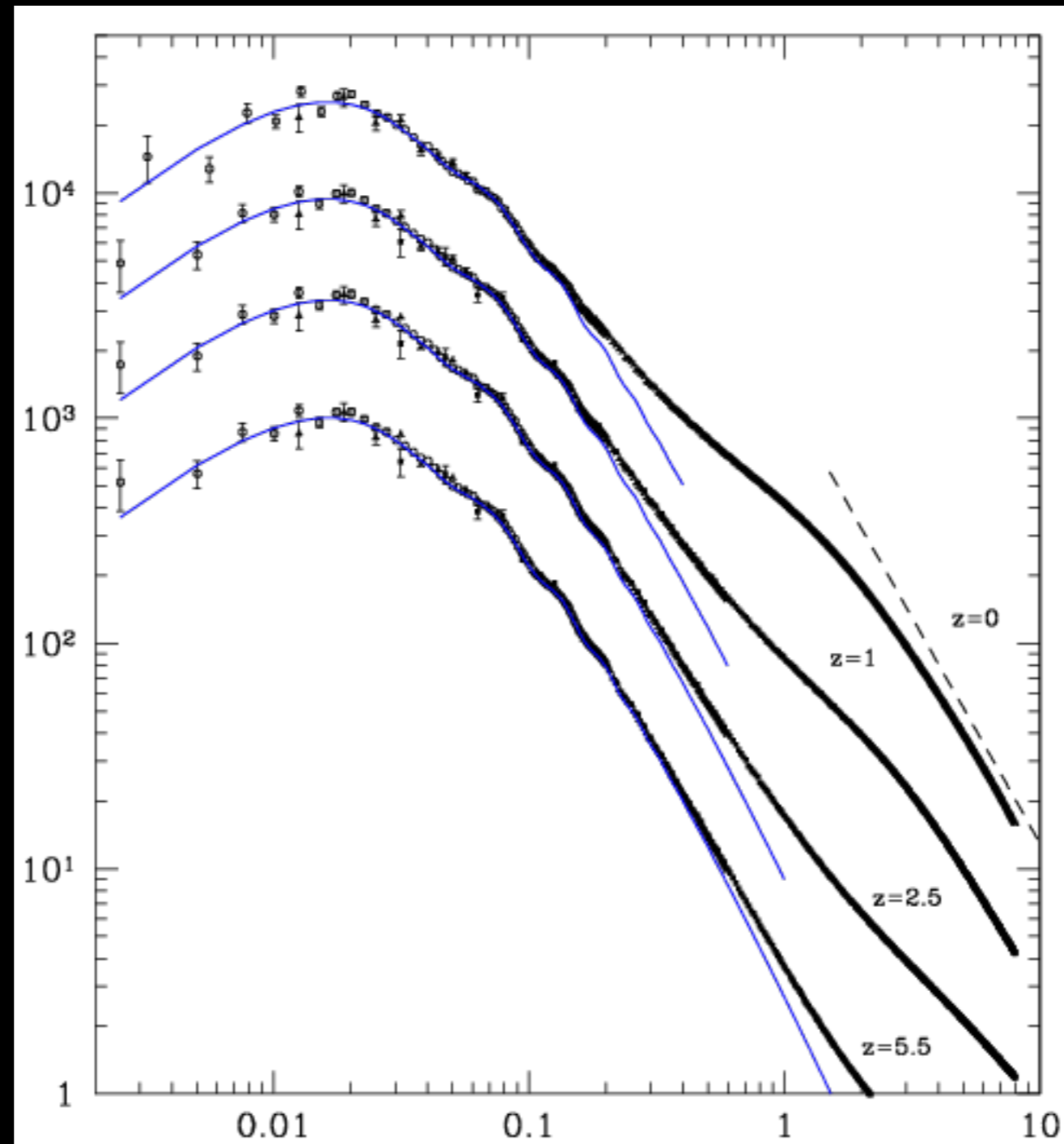
[SDSS-III BOSS Collaboration, 2012]

$$\xi^g(s) = |\mathbf{x} - \mathbf{y}|$$



CORRELATIONS

[Klypin et al., 2016]



CROSS-CORRELATIONS

- Cosmological perturbation $f(t, \mathbf{x})$
- Correlation function $\xi^{fg}(t, |\mathbf{x} - \mathbf{y}|) = \langle f(t, \mathbf{x})g(t, \mathbf{y}) \rangle$
- Power spectrum $\langle \hat{f}_k(t)\hat{g}_{k'}^*(t) \rangle = \delta_D(\mathbf{k} - \mathbf{k}')P^{fg}(k, t)$

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WHY!?

CROSS-CORRELATIONS

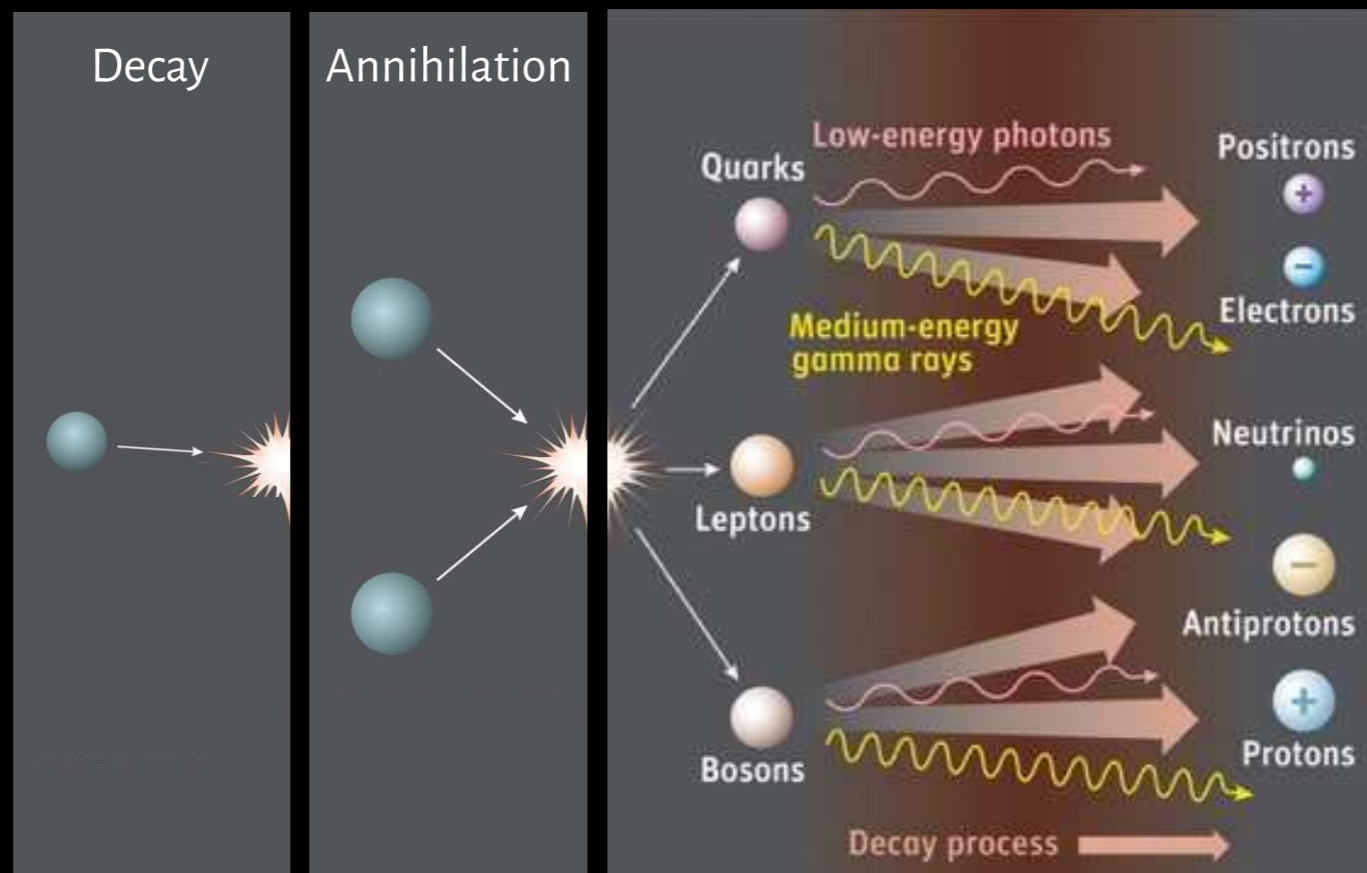
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- Measurement
[noise, systematic effects, cosmic variance...]

$$\Delta C_\ell^{f,\text{obs}} = \sqrt{\frac{2}{(2\ell + 1)f_{\text{sky}}}} \left(C_\ell^f + C_\ell^{f,\text{sys}} + \mathcal{N}_\ell^f \right)$$

- **Synergies:** Why and how?
- **Synergies vs Noise:** Indirect search of particle dark matter signatures
- **Synergies vs Cosmic Variance:** Multi-tracing galaxy number counts

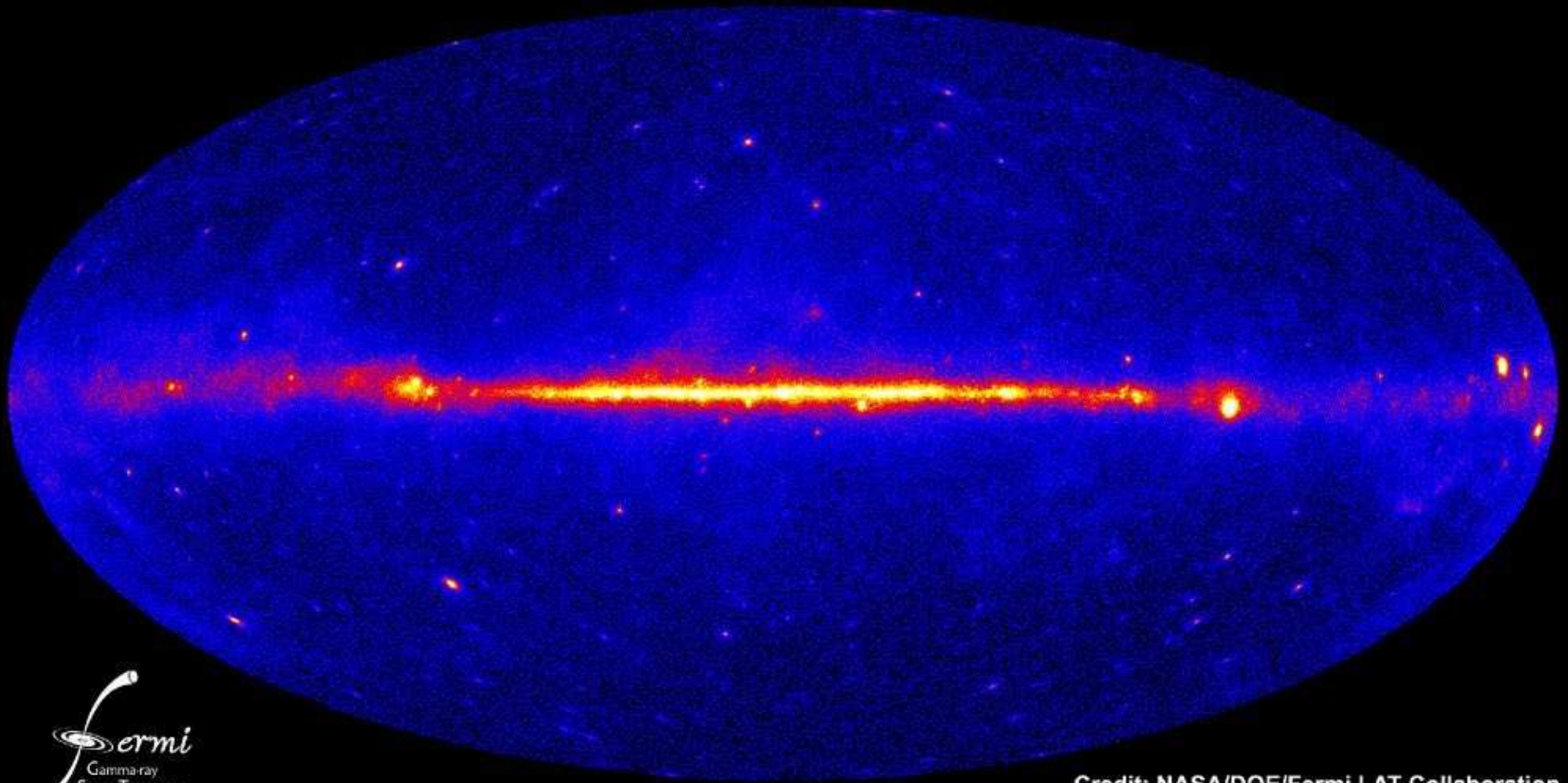
PARTICLE DARK MATTER

- Particle dark matter established ingredient of concordance cosmology
- Weakly interacting massive particles (WIMPs)
 - Indirect detection experiments: WIMP-sourced cosmic & gamma rays



DM-SOURCED GAMMA RAYS

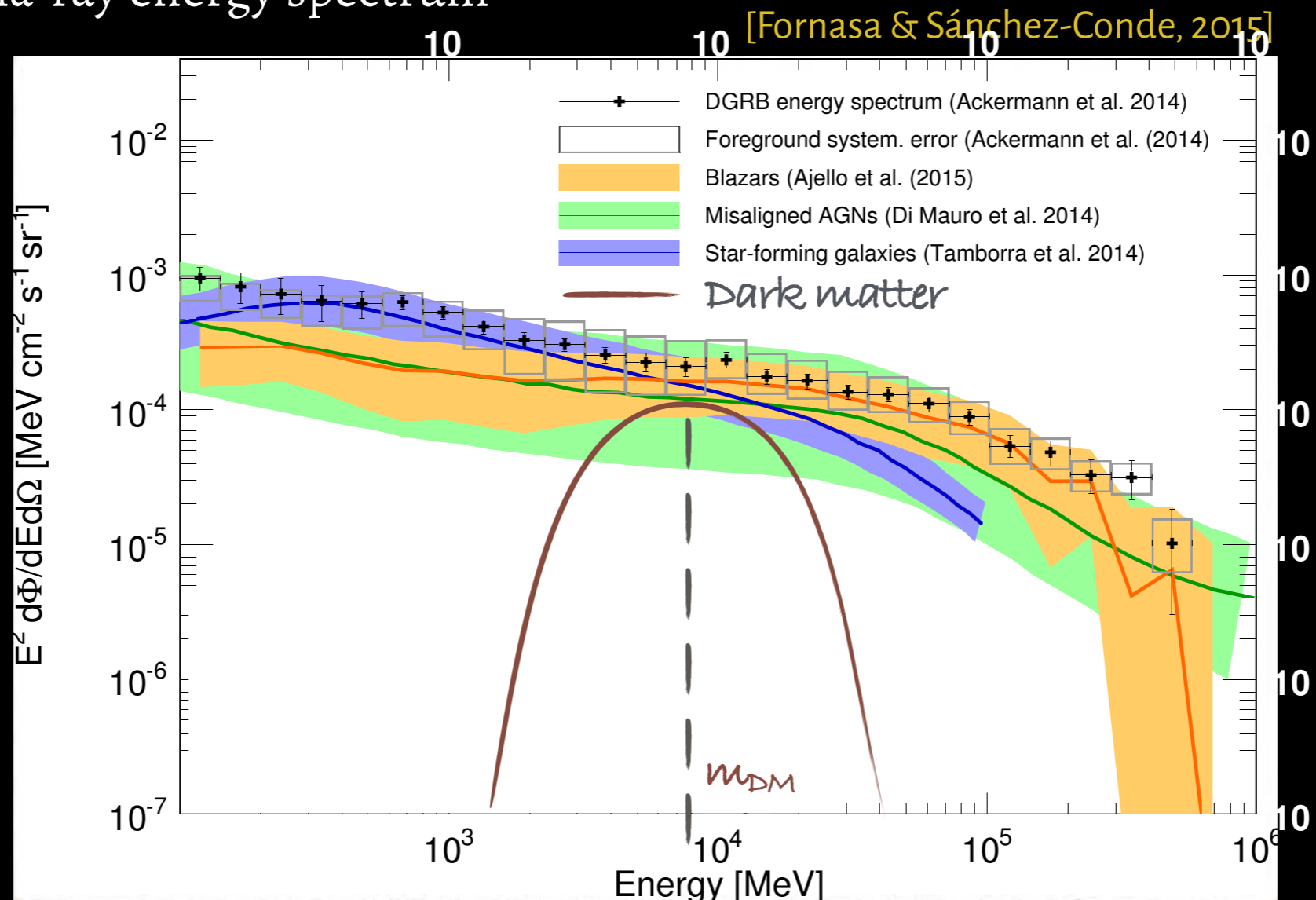
NASA's Fermi telescope reveals best-ever view of the gamma-ray sky



Credit: NASA/DOE/Fermi LAT Collaboration

DM-SOURCED GAMMA RAYS

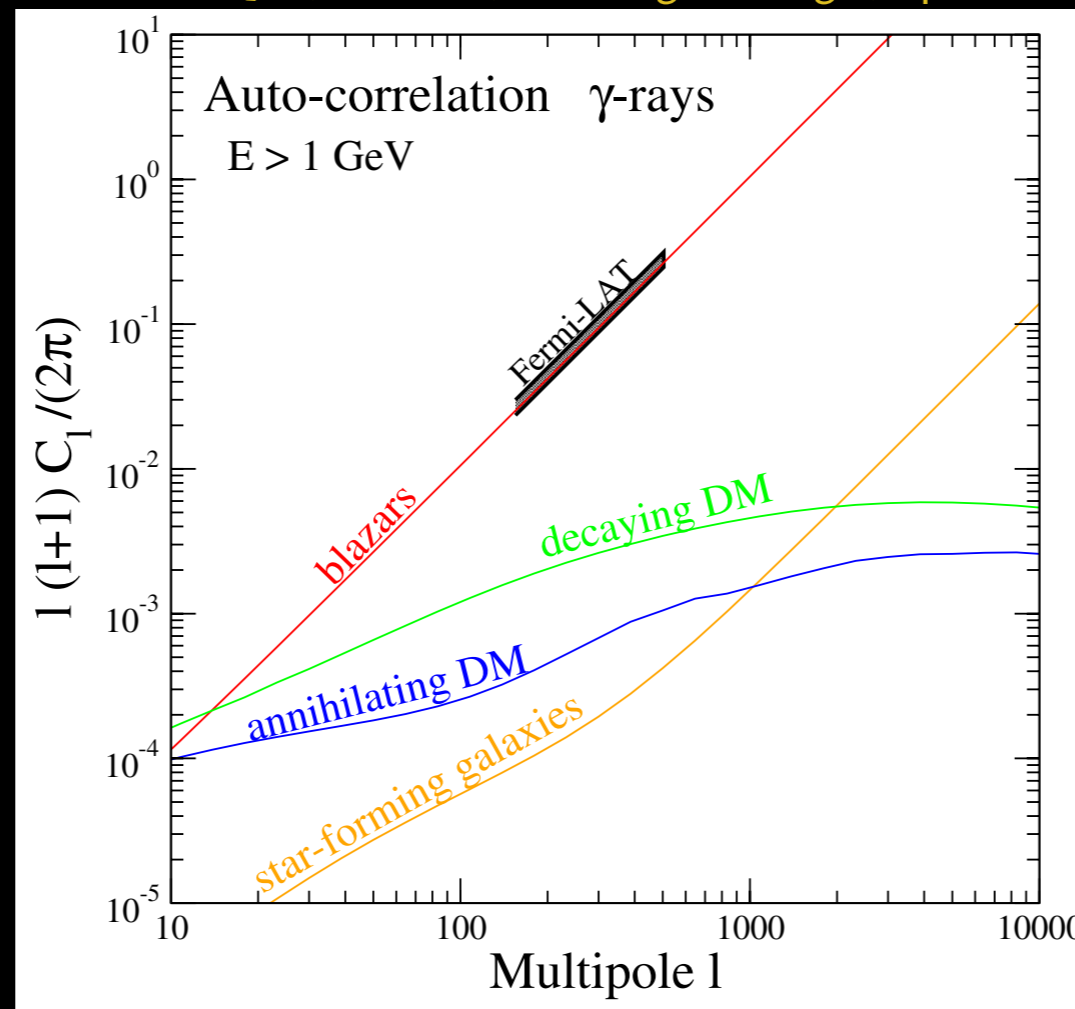
- Hunting down signals of annihilations/decays of dark matter particles
- Gamma-ray energy spectrum



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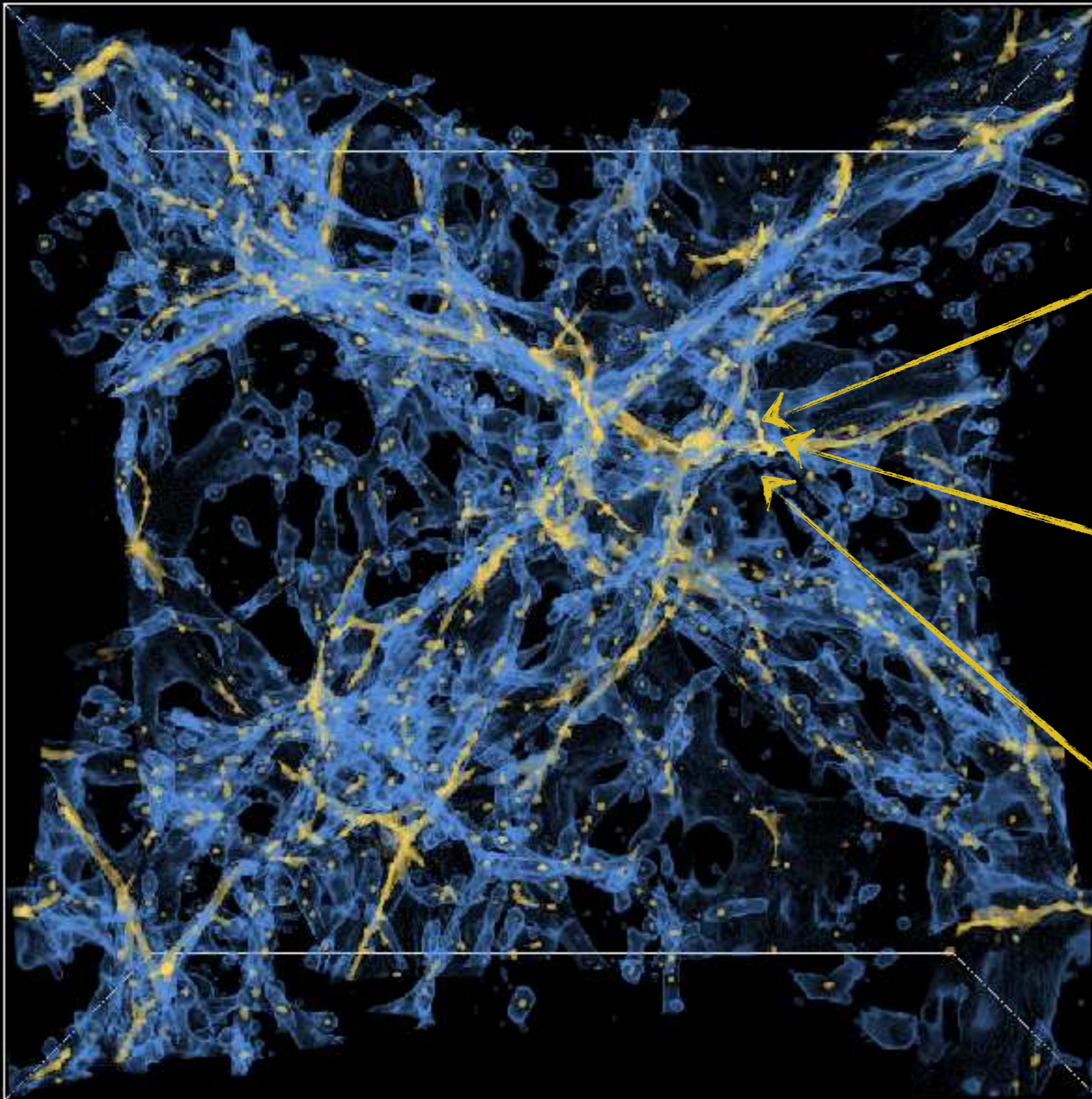
- Hunting down signals of annihilations/decays of dark matter particles
 - Gamma-ray anisotropies angular spectrum

[SC, Fornasa, Fornengo & Regis, Ap]L 2013]



DIRECT GRAVITATIONAL PROBES

[Lukic et al.; Image: Casey Stark]



Potential wells of the
cosmic large-scale
structure

Gamma rays from
astrophysical sources
hosted within the dark
matter halo

Gamma rays from
annihilations/decays of
dark matter particles
forming the halo

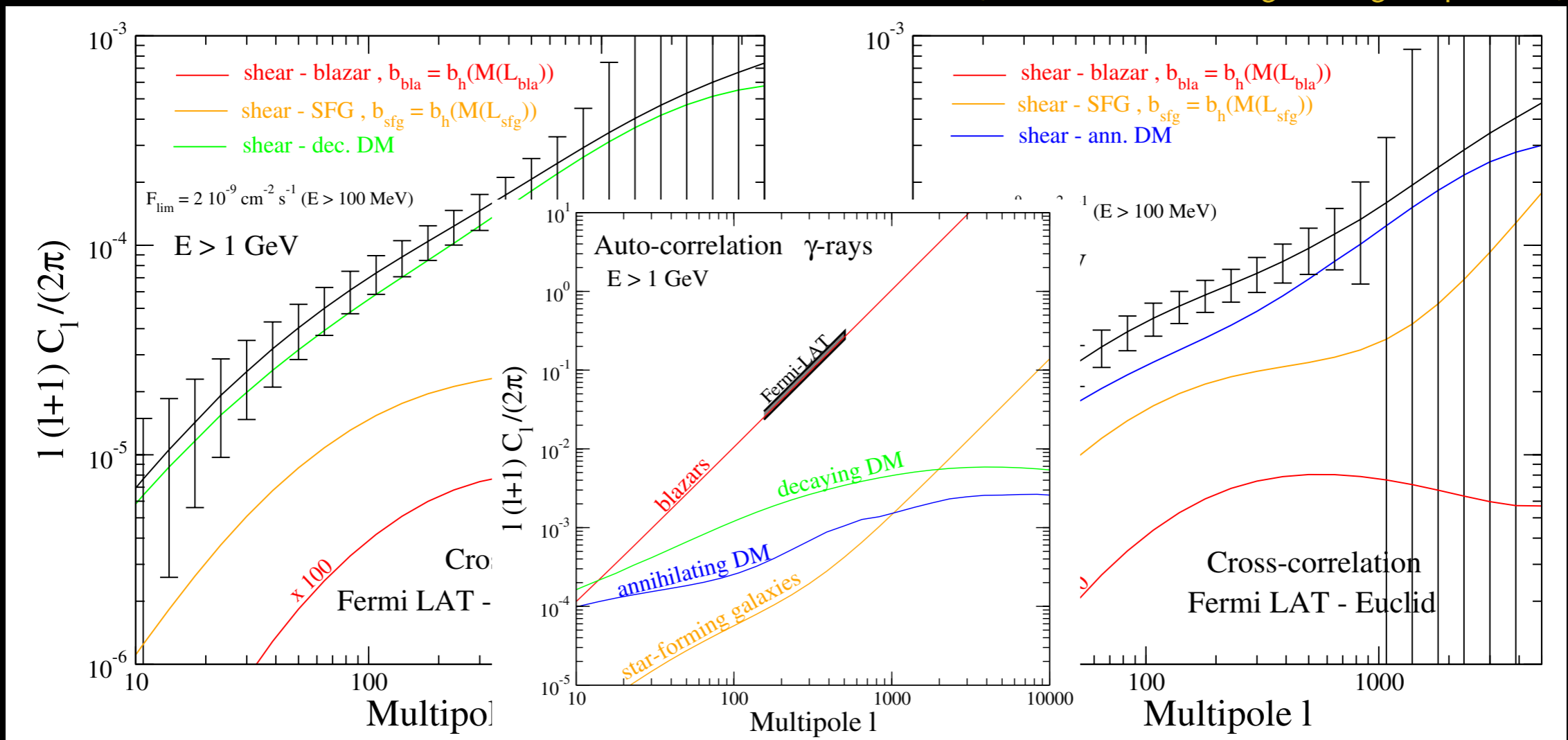
DIRECT GRAVITATIONAL PROBES

- Find an optimal tracer of the **cosmic dark matter distribution** on large scale **to filter out** astrophysical non-thermal emission from the dark matter gamma-ray signal
- Main tracers of the cosmic large-scale structure:
 - Weak gravitational lensing (**cosmic shear, CMB lensing...**)
[SC, Fornasa, Fornengo & Regis, Ap]L 2013;
Fornengo, Perrotto, Regis & SC, Ap]L 2015; Shirasaki et al. 2013; 2015]
 - Clustering of structures (**galaxies, galaxy clusters...**)
[Fornengo & Regis, 2014; Ando et al., 2014; Xia et al., Ap]S 2015;
Regis et al., PRL 2015; Shirasaki et al., 2015, Branchini, SC et al., Ap]S 2017]

GAMMA RAYS & WEAK LENSING



[SC, Fornasa, Fornengo & Regis, Ap]L 2013]



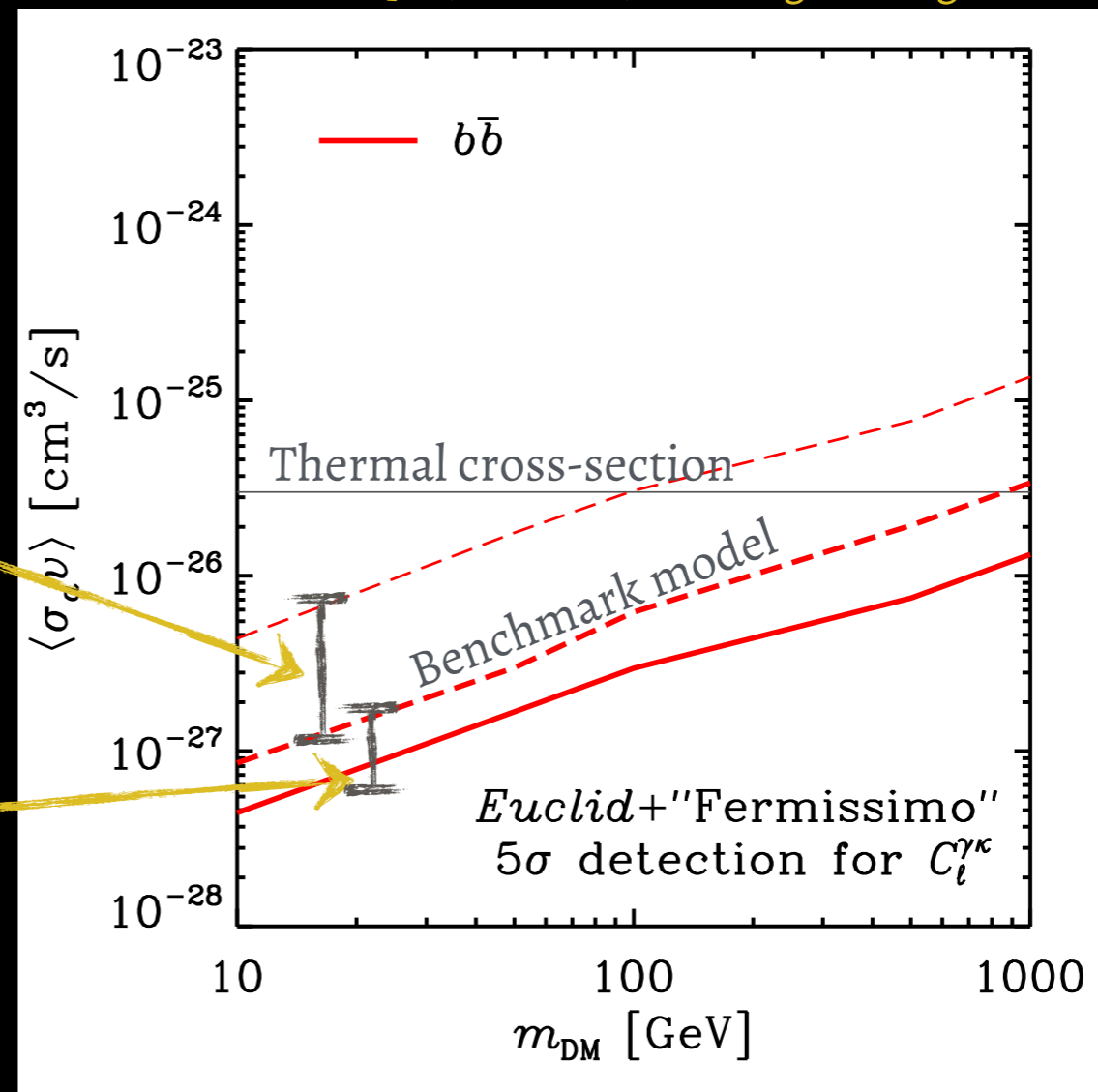
GAMMA RAYS & WEAK LENSING



[SC, Fornasa, Fornengo & Regis, 2015]

Uncertainty on dark matter properties

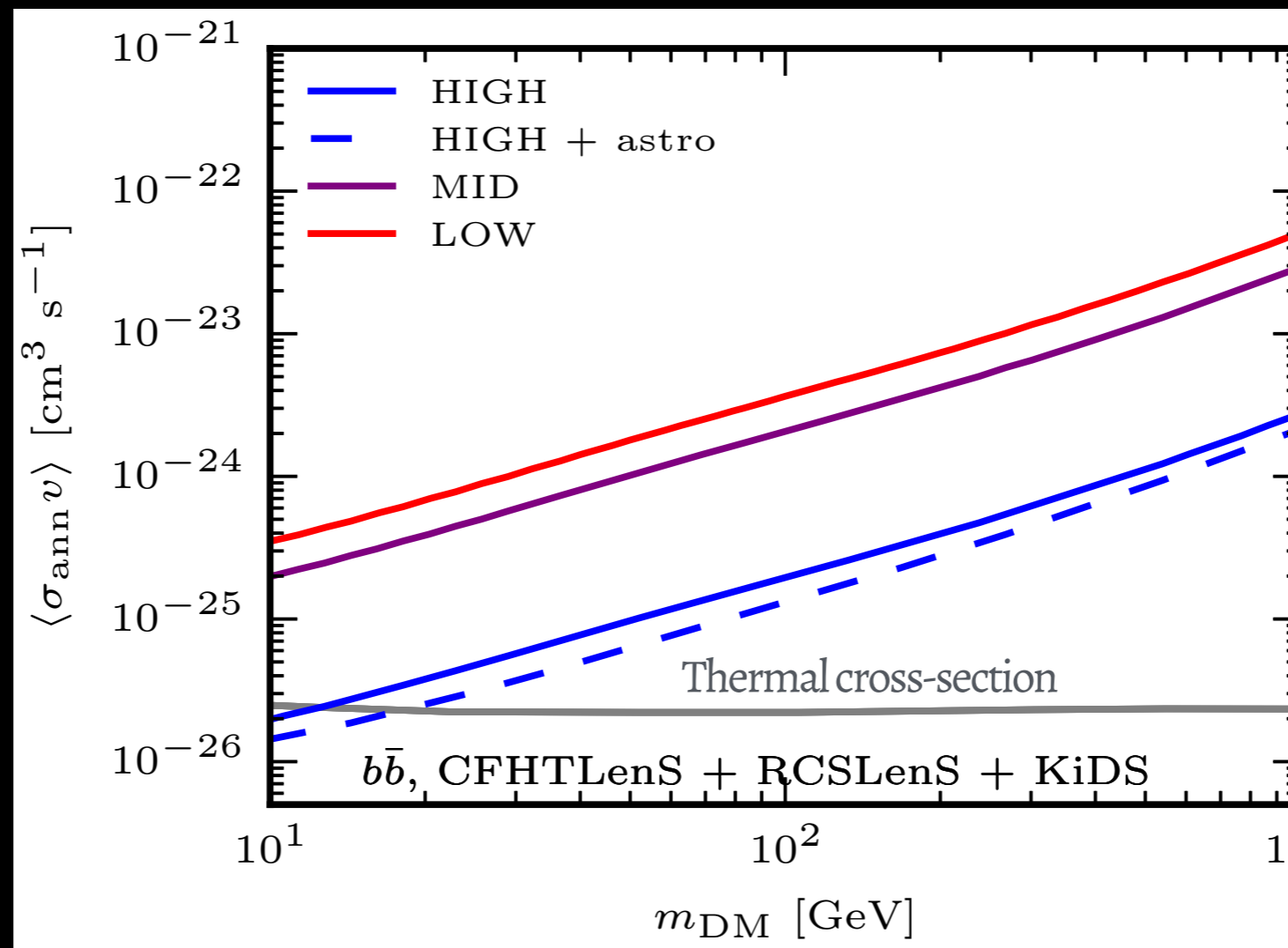
Uncertainty on unresolved astrophysical emission



GAMMA RAYS & WEAK LENSING



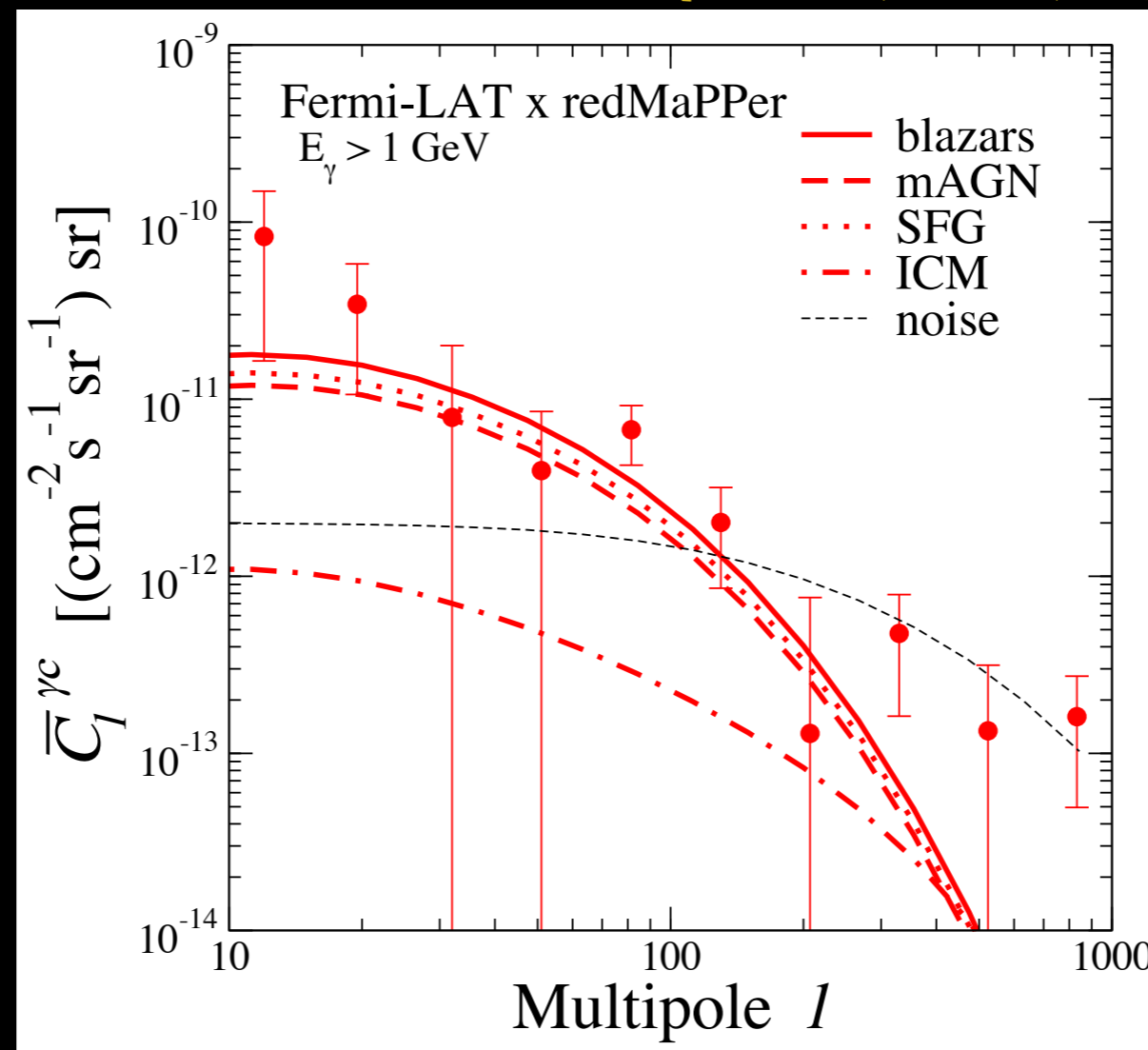
[Tröster, SC et al., 2017]



GAMMA RAYS & CLUSTERS



[Branchini, SC et al., 2017]



- **Synergies:** Why and how?
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- **Synergies vs Cosmic Variance:** Multi-tracing galaxy number counts

GALAXY NUMBER COUNTS

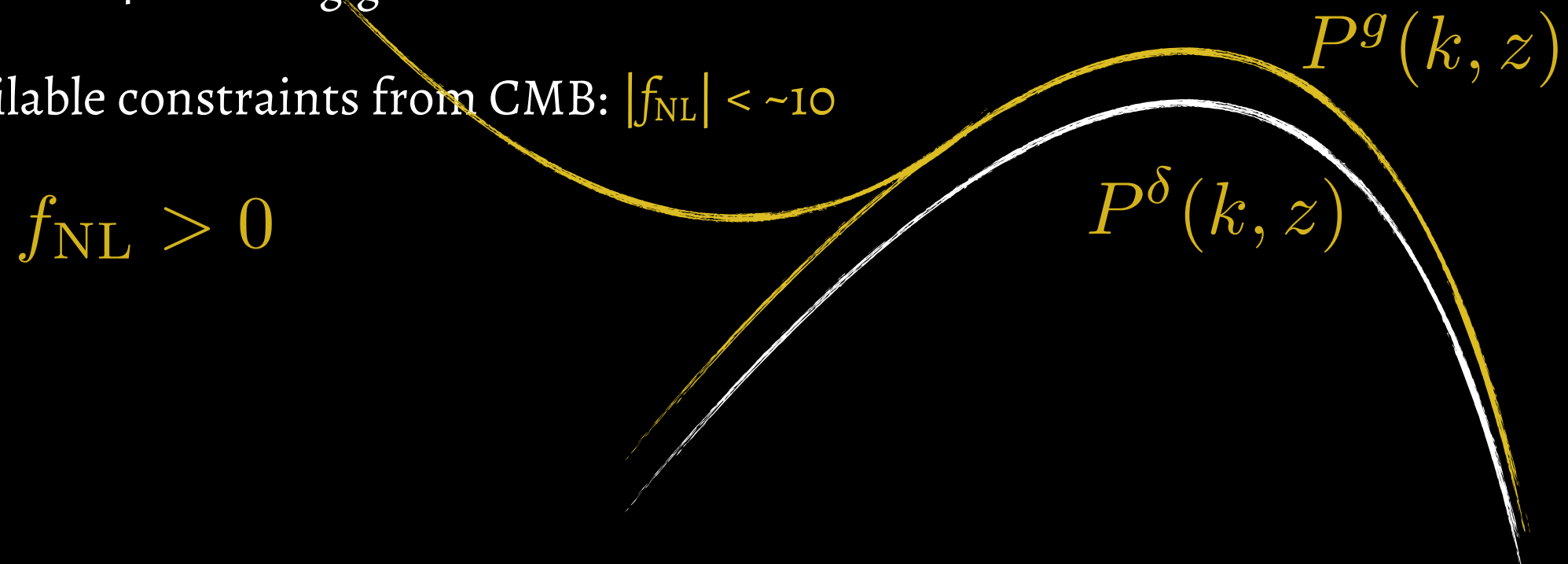
- Proxy of the matter power spectrum

$$f(t, \mathbf{x}) \rightarrow \delta_g(t, \mathbf{x}) = b_g(t)\delta(t, \mathbf{x})$$

- Primordial non-Gaussianity

- One of inflation's 4 'smoking guns'
- Tightest available constraints from CMB: $|f_{\text{NL}}| < \sim 10$

$$f_{\text{NL}} > 0$$



$$P^g(k, z)$$

$$P^\delta(k, z)$$

GALAXY NUMBER COUNTS

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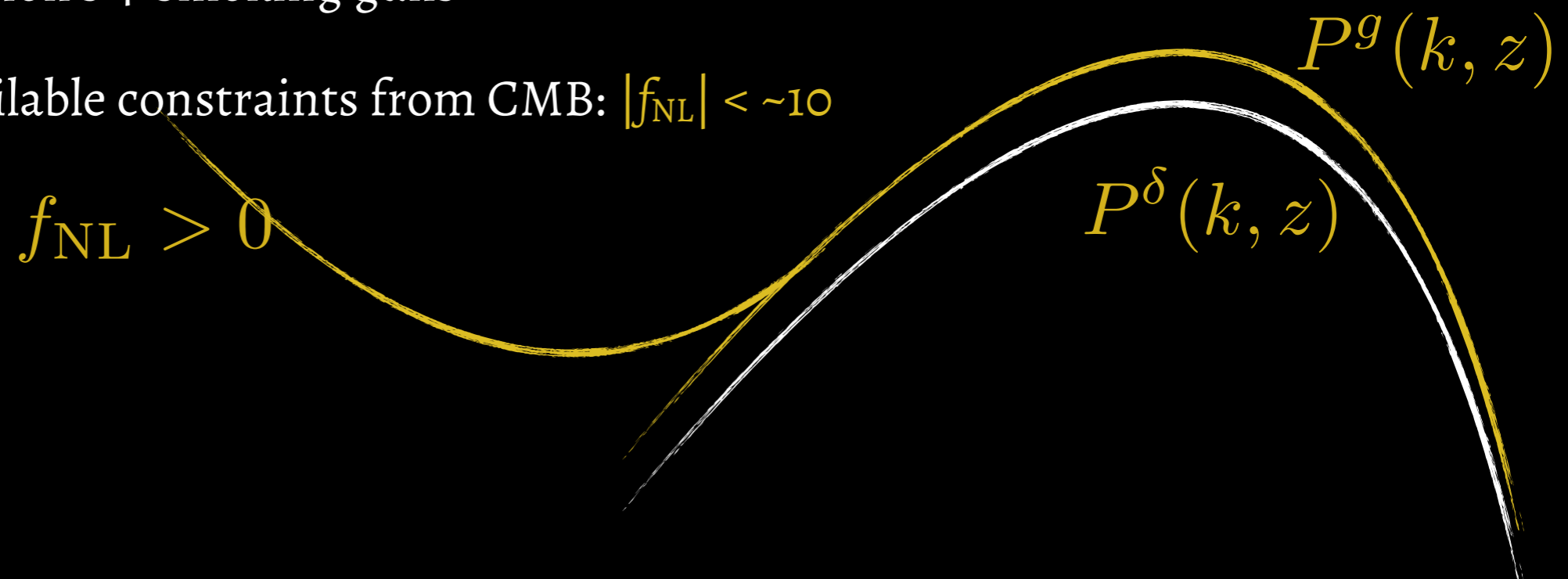
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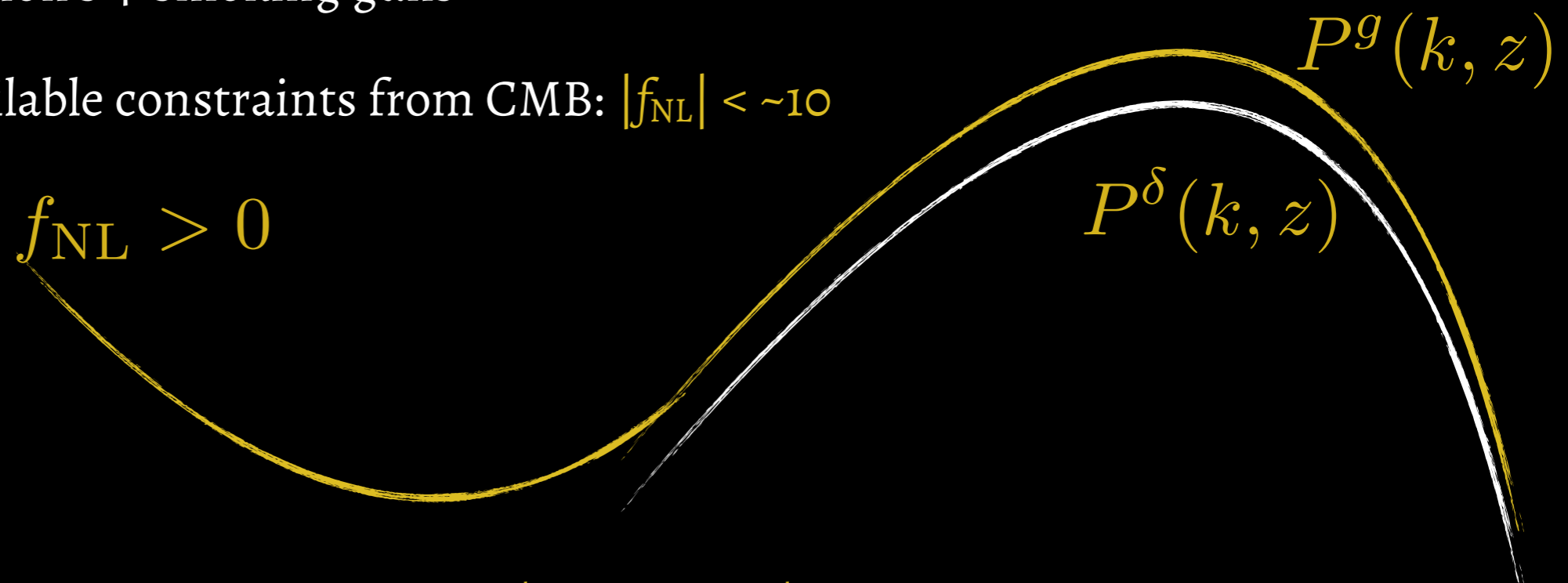
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GALAXY NUMBER COUNTS

- Proxy of the matter power spectrum

$$f(t, \mathbf{x}) \rightarrow \delta_g(z, \hat{\mathbf{n}}) = \frac{N_g(z, \hat{\mathbf{n}}) - \bar{N}_g(z)}{\bar{N}_g(z)}$$

GALAXY NUMBER COUNTS

- Proxy of the matter power spectrum

$$\frac{N_g(z, \hat{\mathbf{n}}) - \bar{N}_g(z)}{\bar{N}_g(z)} \propto \frac{\delta\rho(z, \hat{\mathbf{n}})}{\bar{\rho}(\bar{z})} - \frac{d\bar{\rho}}{d\bar{z}} \frac{\delta z(z, \hat{\mathbf{n}})}{\bar{\rho}(\bar{z})} + \frac{\delta V(z, \hat{\mathbf{n}})}{V(z)}$$

[Yoo, 2010; Bonvin & Durrer, 2011;
Challinor & Lewis, 2011; Bertacca et al., 2012]

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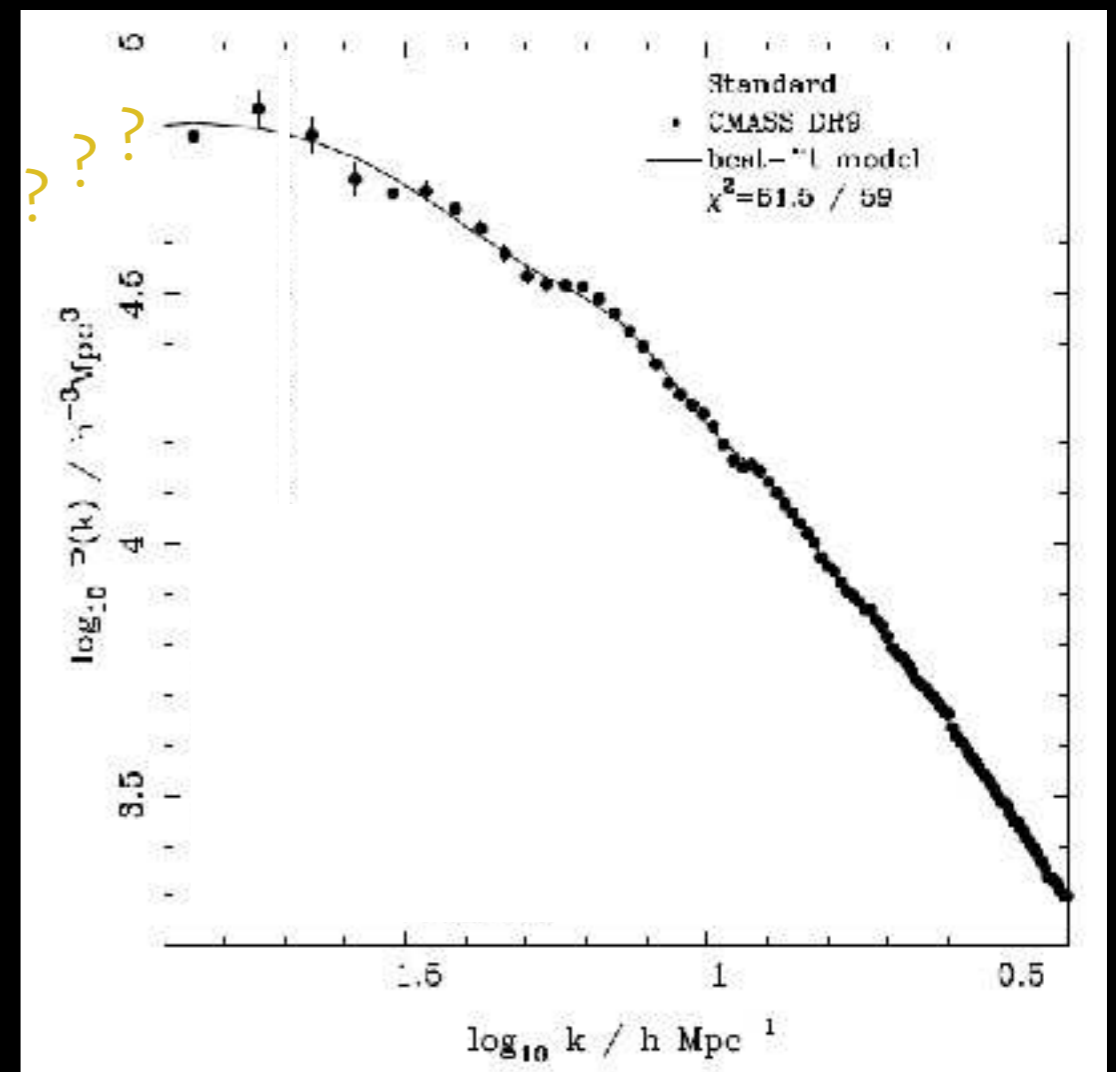
[Yoo, 2010; Bonvin & Durrer, 2011;
Challinor & Lewis, 2011; Bertacca et al., 2012]

- Newtonian density fluctuations
- Redshift-space distortions
- Lensing
- Gravitational redshift, time delay, Sachs-Wolfe and integrated Sachs-Wolfe

ACCESSING THE LARGEST SCALES

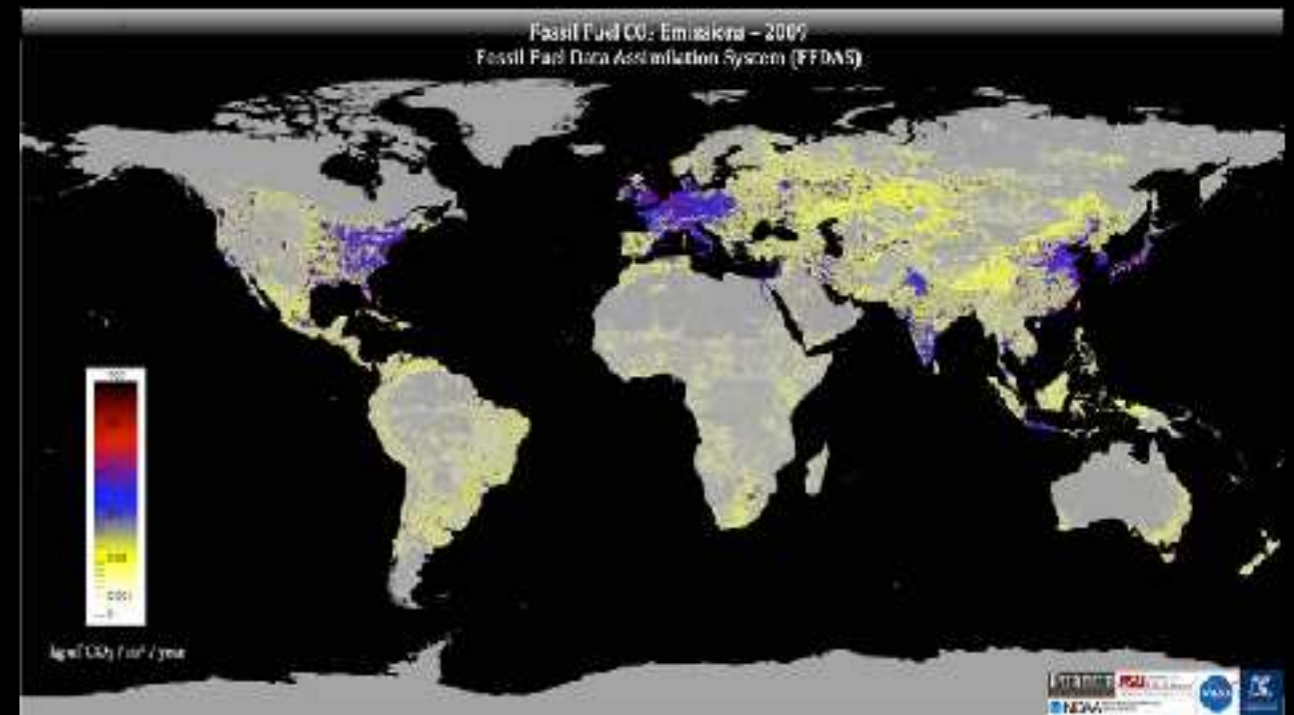
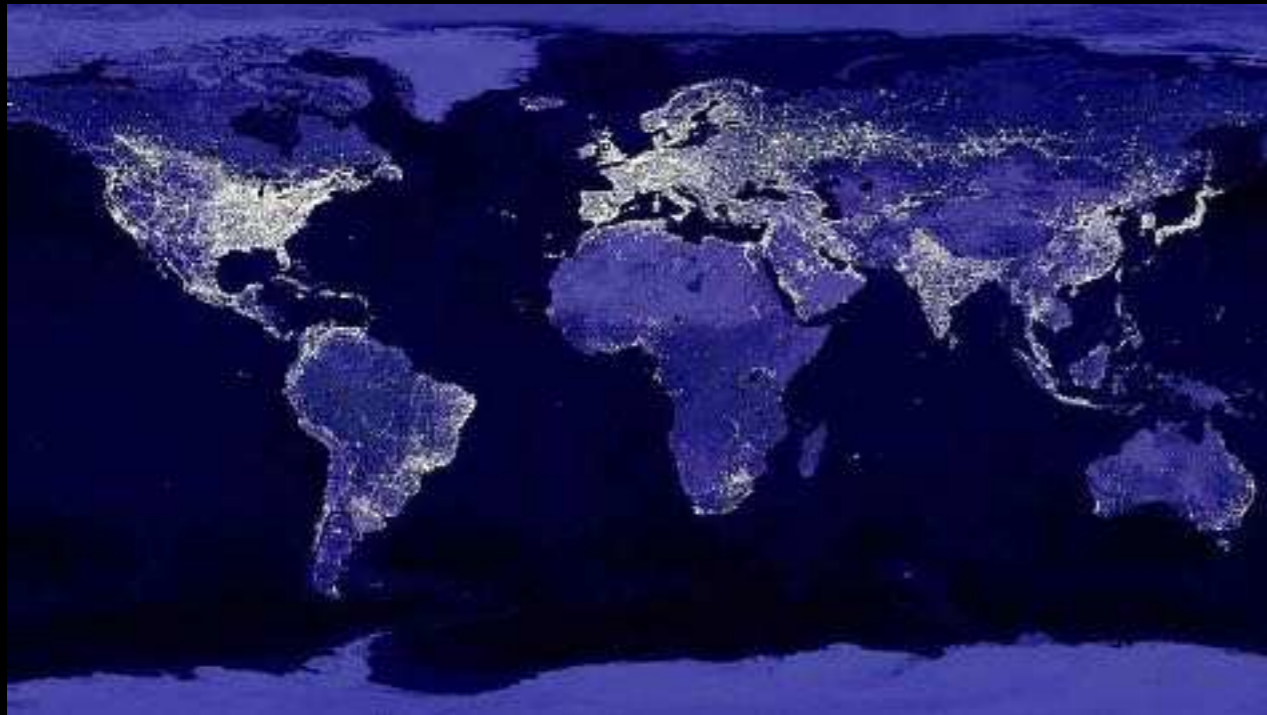
- Probe huge volumes
[high sensitivity at high- z over large sky areas]
- Beat cosmic variance
[we have only one Universe to observe!]

[SDSS-III BOSS Collaboration, 2012]



MULTI-TRACER TECHNIQUE

- Comparing the relative clustering of different populations of tracers
[Seljak, 2009; Seljak & McDonald, 2009]



MULTI-TRACER TECHNIQUE

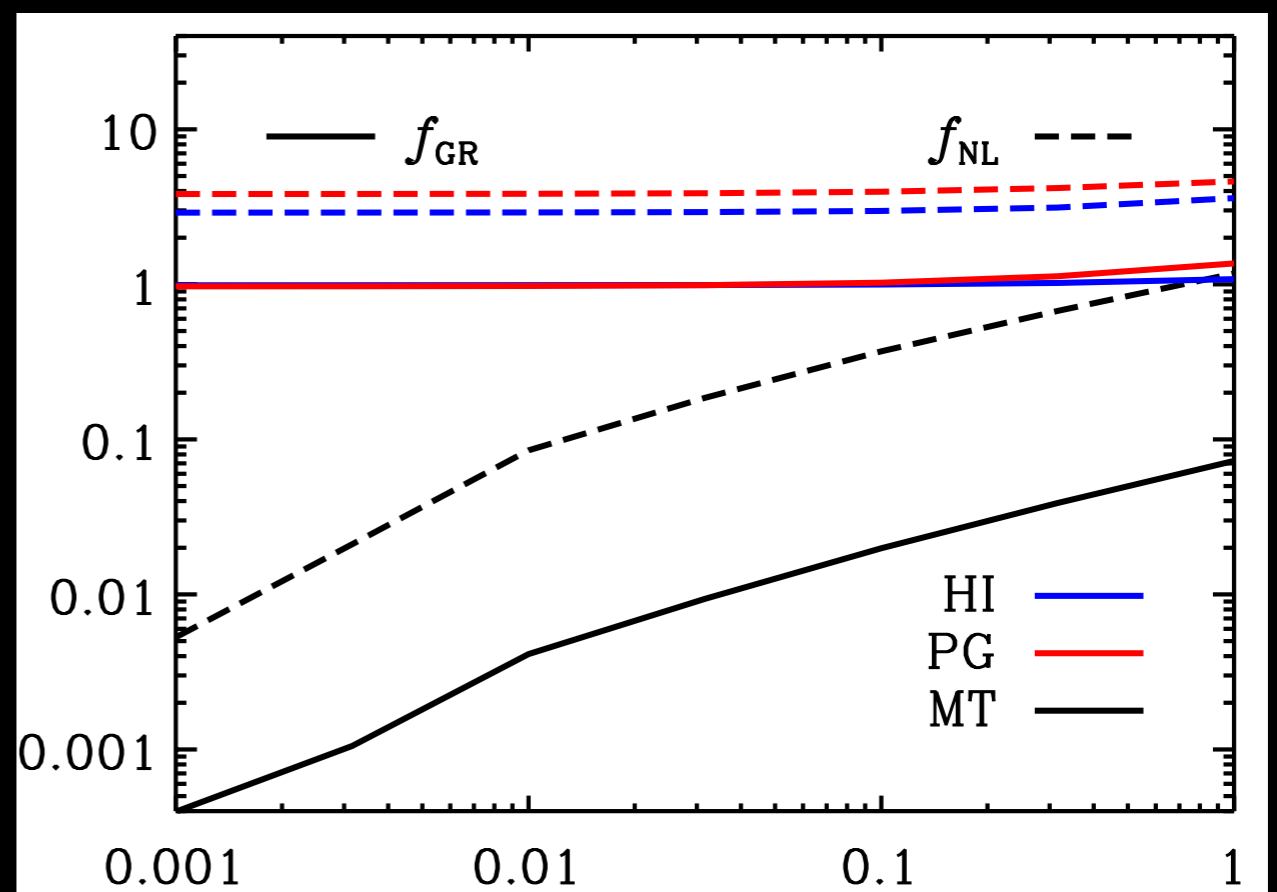
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[Seljak, 2009; Seljak & McDonald, 2009]

[Fonseca, SC, Santos & Maartens, Ap] Lett. 2015]



Forecast error on f_{NL}



Noise level

- Great time for synergies among cosmological surveys at various wavelengths
- Cross-correlations valuable for:
 - Cross-checking validity of cosmological results
 - Accessing signal buried in noise or cosmic variance
[e.g. particle dark matter signatures, multi-tracing for non-Gaussianity]
 - Removing/alleviating contamination from systematic effects
[e.g. radio-optical cosmic shear]