



Long-lived particles

Connecting early universe dynamics to collider signatures

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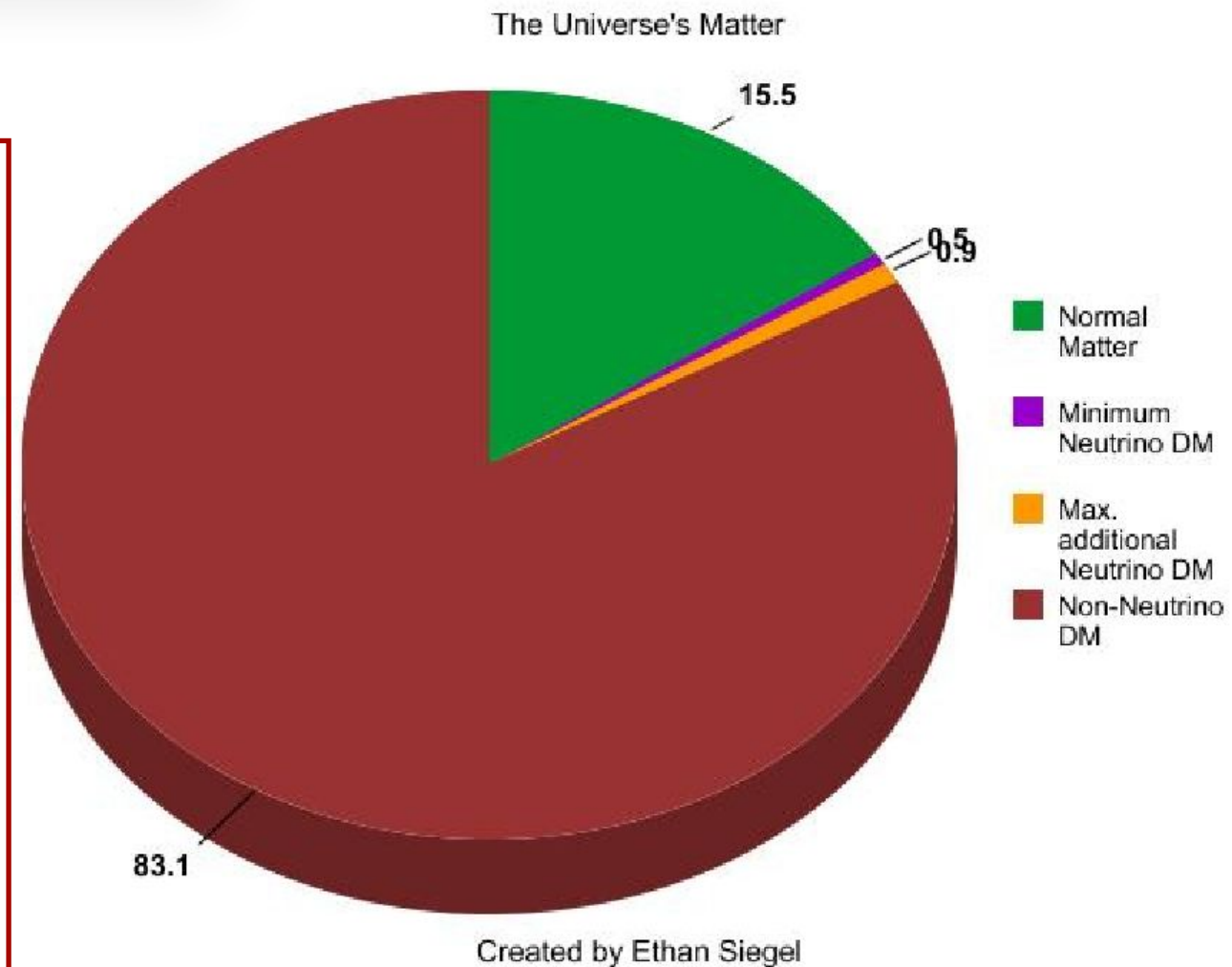
Helsinki, 2.12.2020



DM particles: general properties

What we do know:

- Interact through gravity
- **Massive** (to cluster)
- If DM particles ever were relativistic – they should have **slowed down early** in the history of the Universe
- **Electrically neutral** (do not interact with photons)
- **Stable** on cosmological scales



What we don't know:

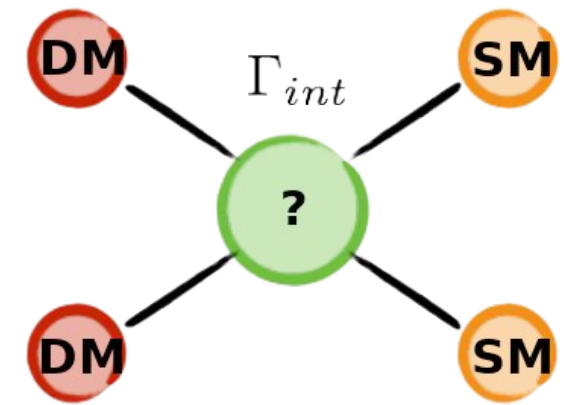
- Other interactions?
- Mass, spin....?
- Several species?

Why the electroweak scale?

Assumption:

thermal production

$\Gamma_{int} > H$ In equilibrium with plasma
 $\Gamma_{int} < H$ Not in equilibrium with plasma



Relic abundance

Very simplified WIMPS

One new "heavy" particle

$$\langle \sigma v \rangle \sim \frac{\alpha^2}{m_{DM}^2} + n_{DM} \langle \sigma v \rangle \sim H \text{ at decoupling}$$

$$\Omega_{DM} h^2 \sim \underbrace{0.12}_{\text{Planck}} \frac{10^{-26} \text{cm}^3 \text{s}^{-1} (\text{or } 10^{-9} [\text{GeV}]^{-2})}{\langle \sigma v \rangle}$$

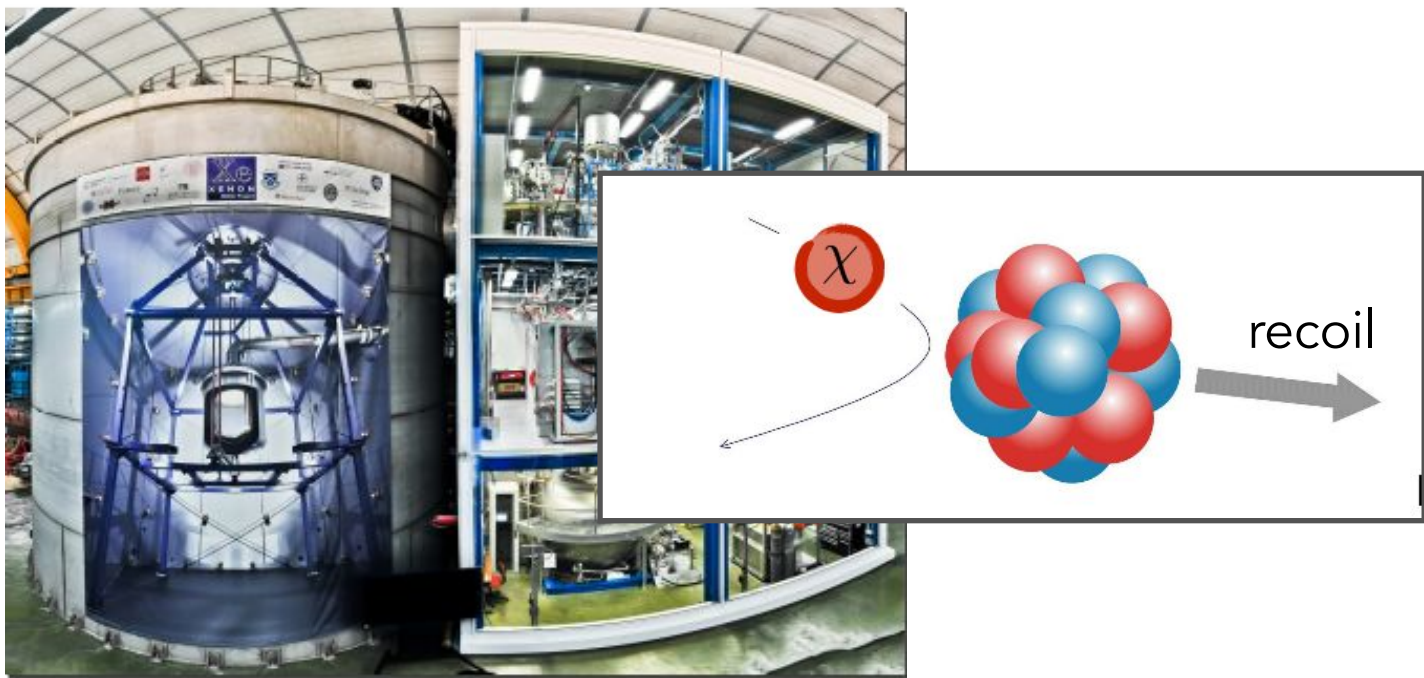
"Natural" choice:

$$\alpha \sim \alpha_{EW}$$

$$m_{DM} \sim O(100 \text{GeV})$$

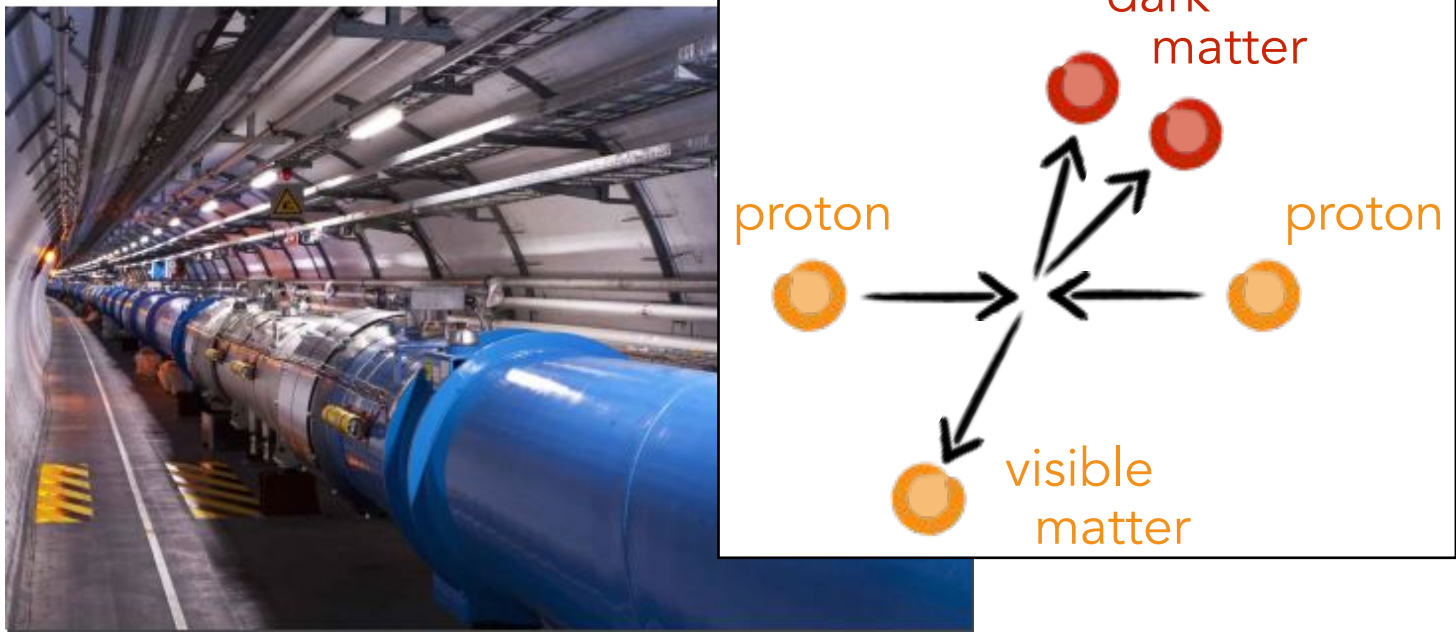
Constraints

Scattering (direct detection)

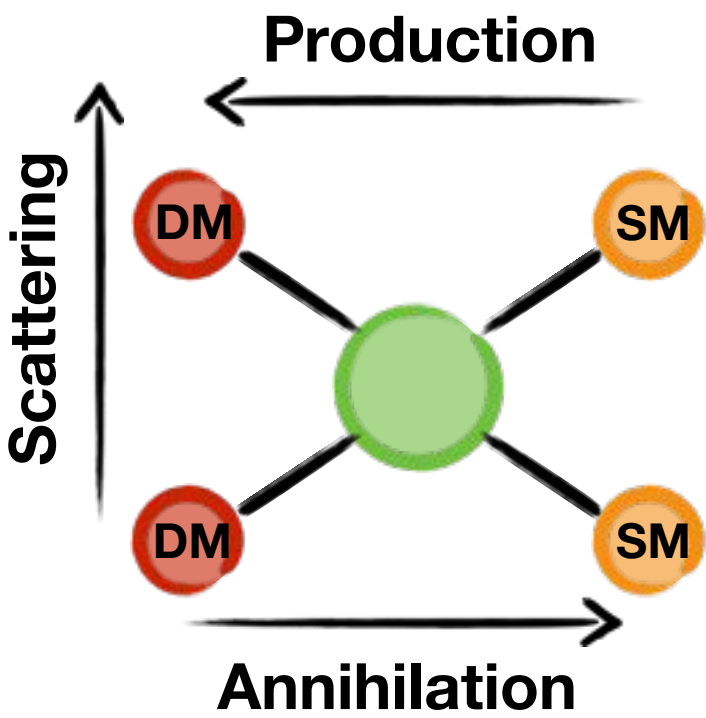


Xenon experiment

Production



Large Hadron Collider

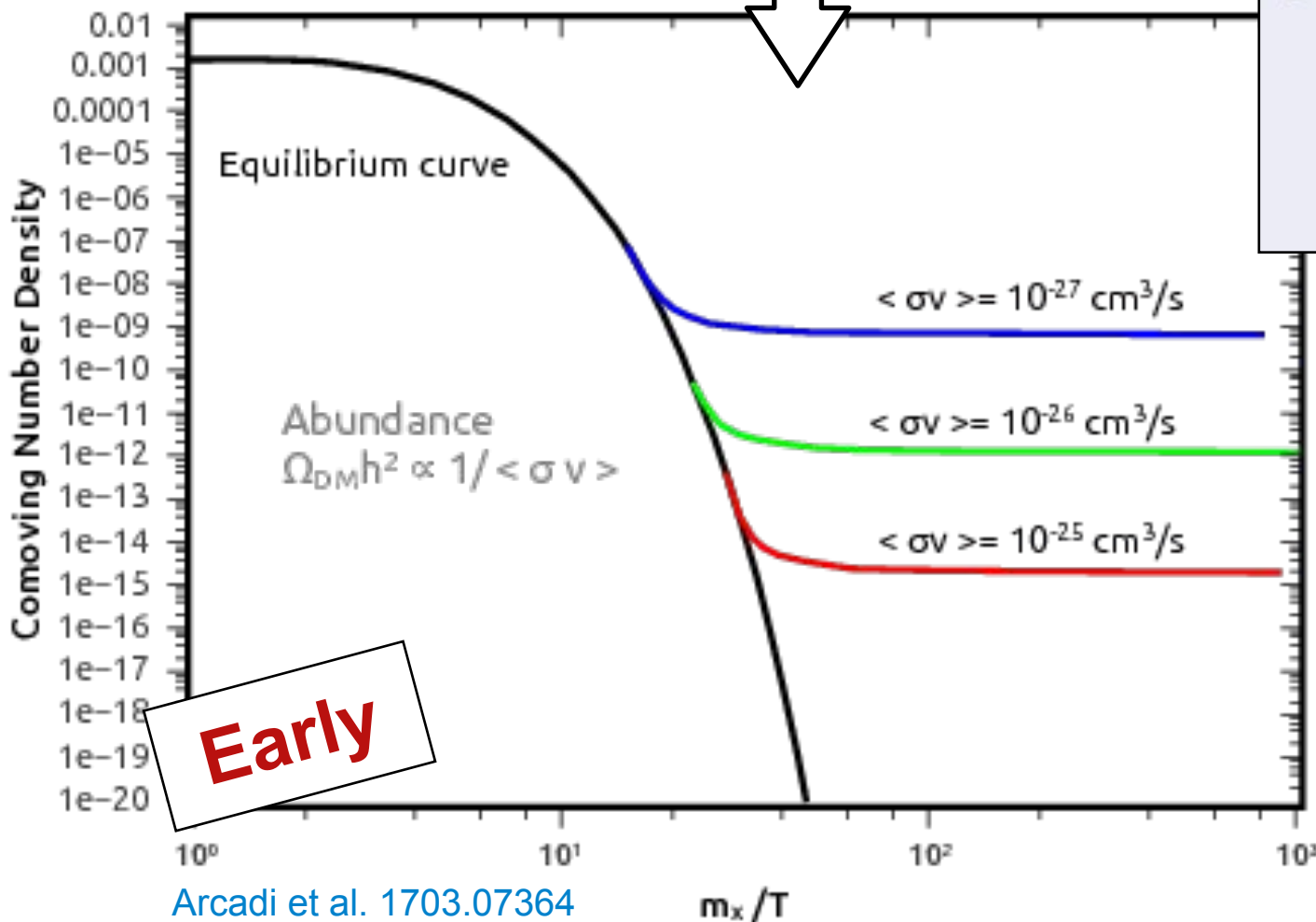
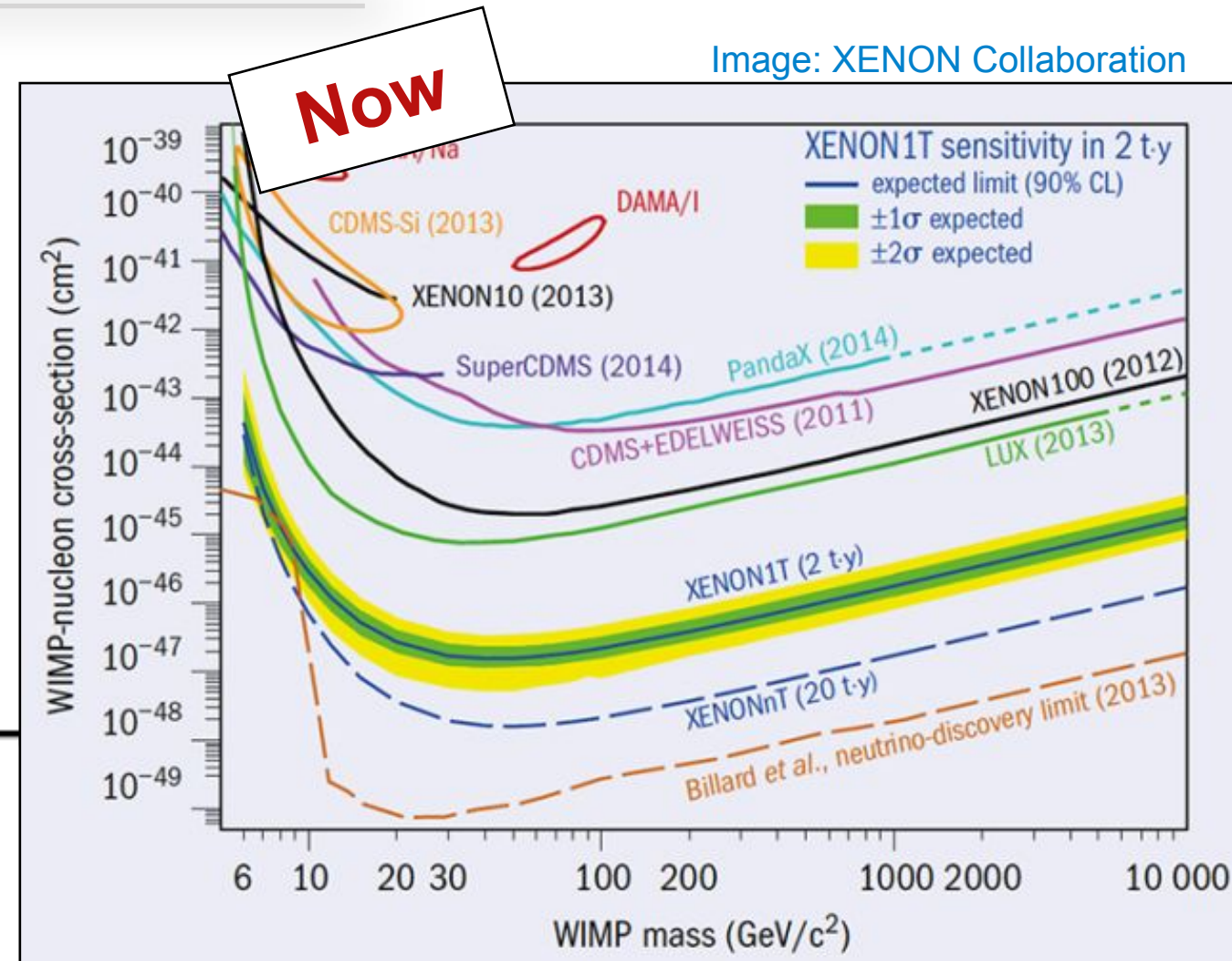
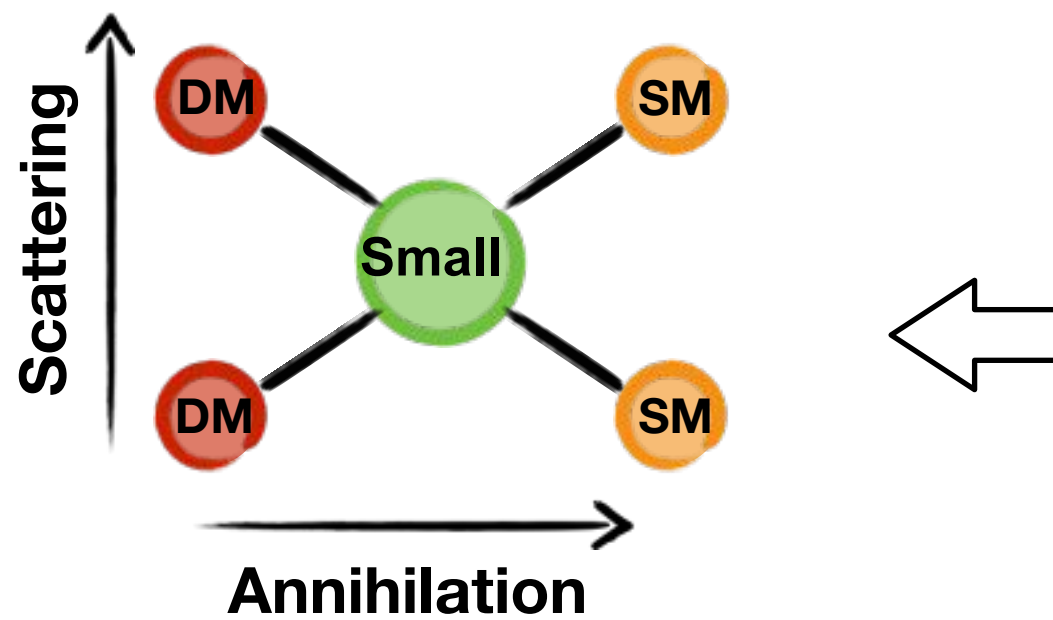


Annihilation (indirect detection)



Fermi satellite

Main problem: direct detection



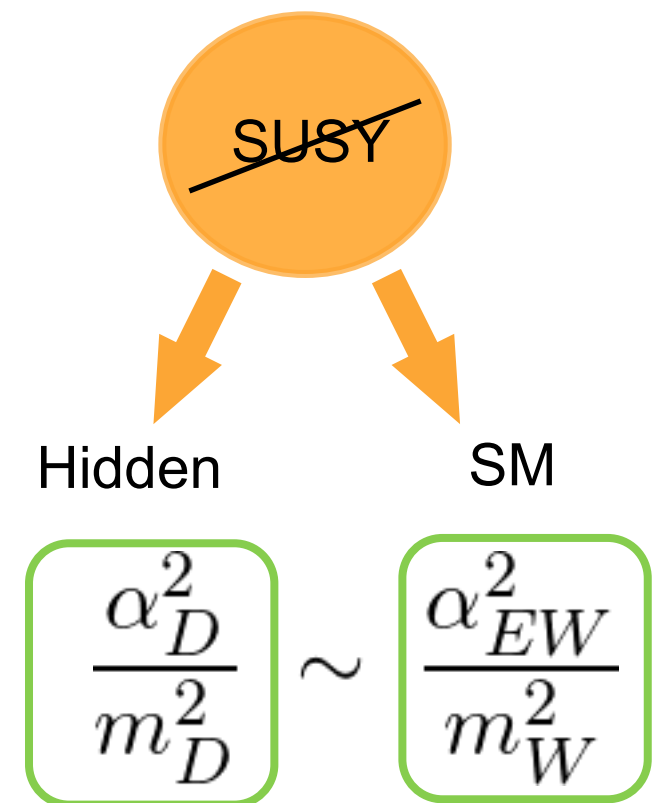
Overabundance

"Exceptions"

"WIMPless miracle"

Feng & Kumar [0905.3039]

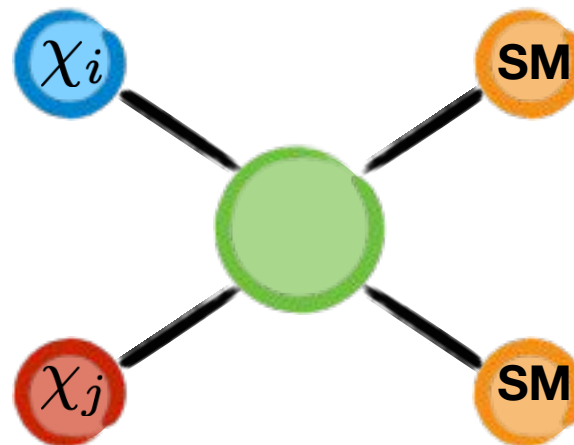
$$\langle \sigma v \rangle \sim \frac{\alpha^2}{m_{DM}^2}$$



Co-annihilation

Griest & Seckel 1991

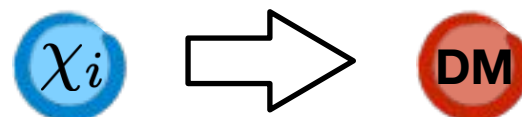
$$\sum_{ij}$$



$$\langle \sigma v \rangle_{eff} \uparrow$$

at decoupling

But eventually



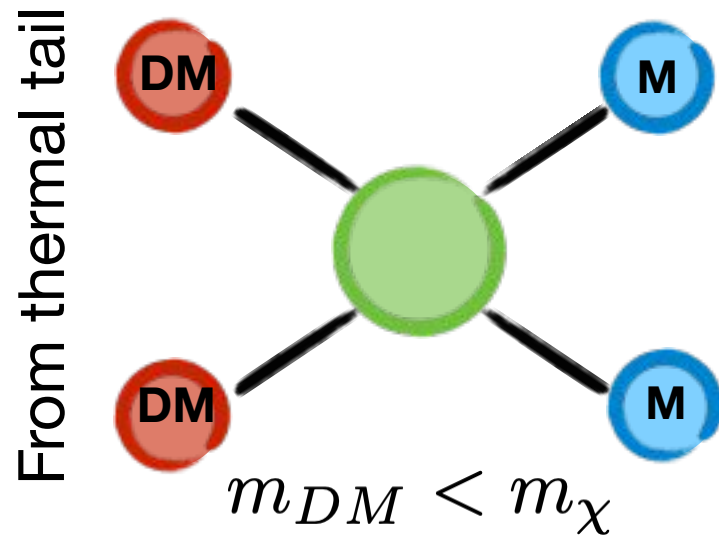
No Direct detection signal

"Exceptions"

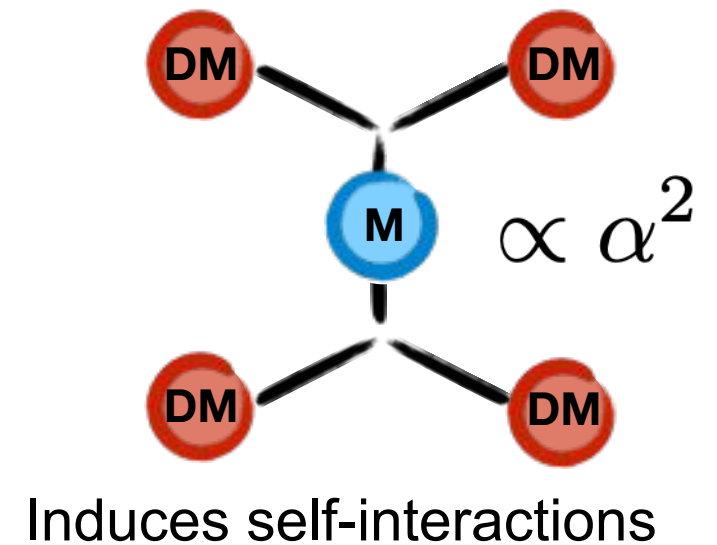
"Forbidden" DM

D'Agnolo & Ruderman [1505.07107]

Exponentially suppressed by $\frac{m_M - m_{DM}}{T}$

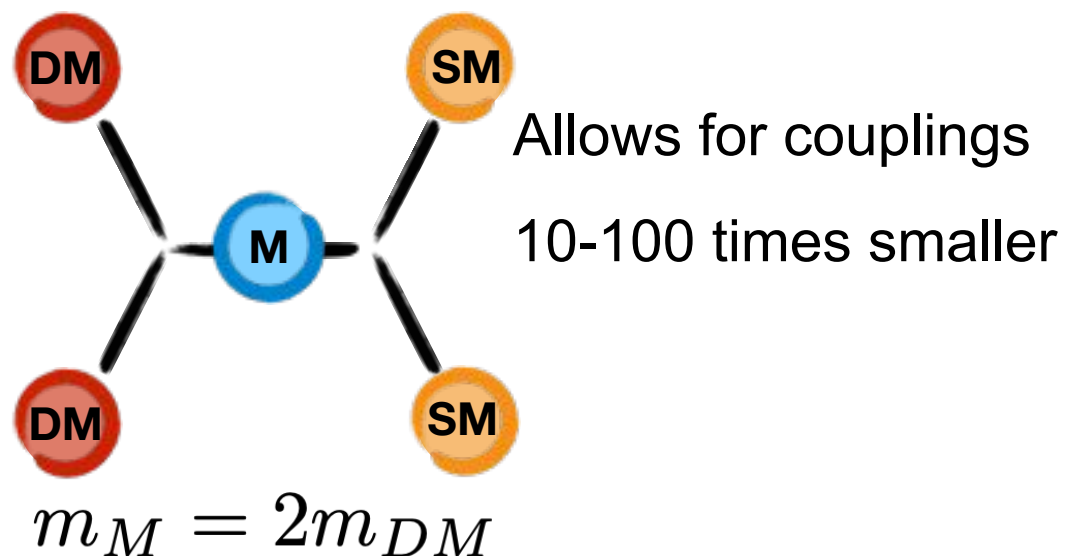


⇒ Allows for large α and light DM

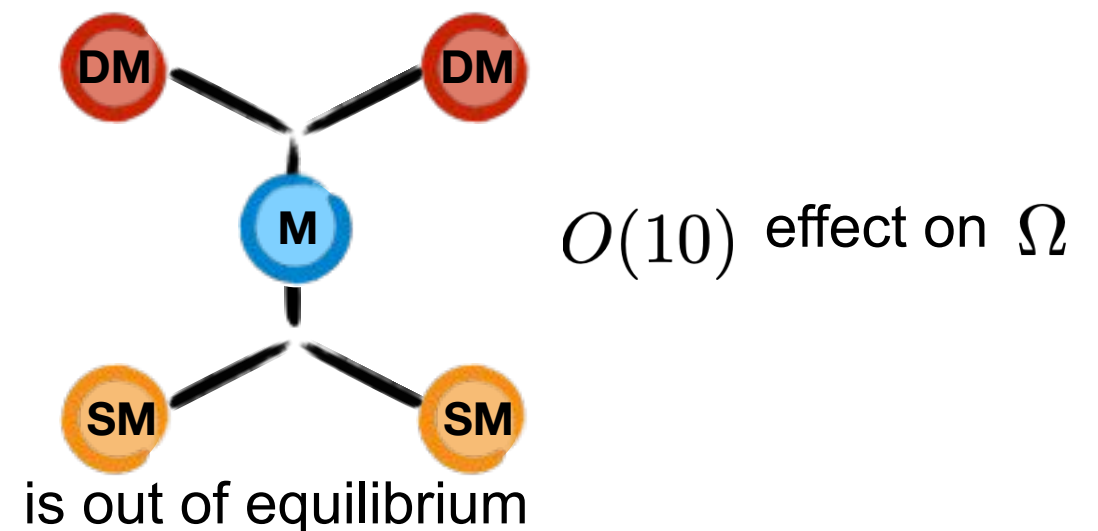


Resonant production

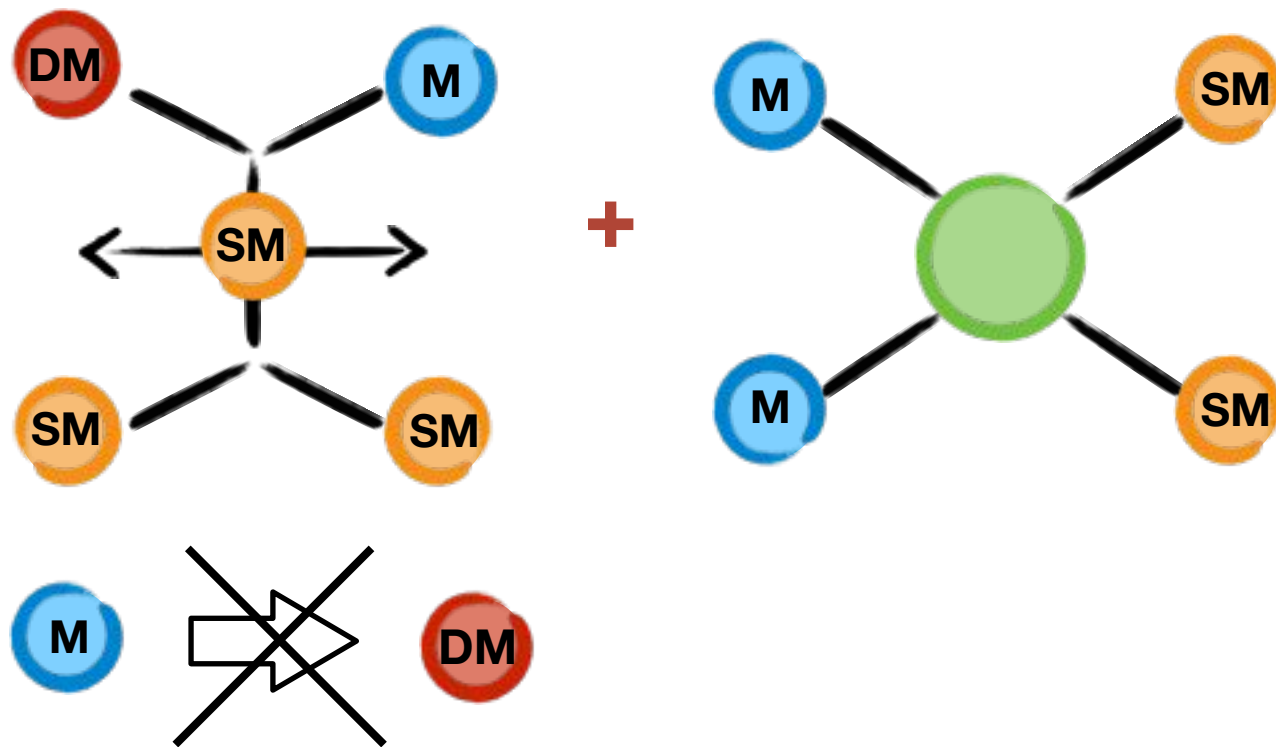
Feng & Smolinsky [1707.03835]



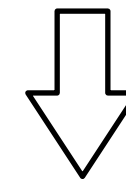
Can happen when



"4th" exception: co-scattering



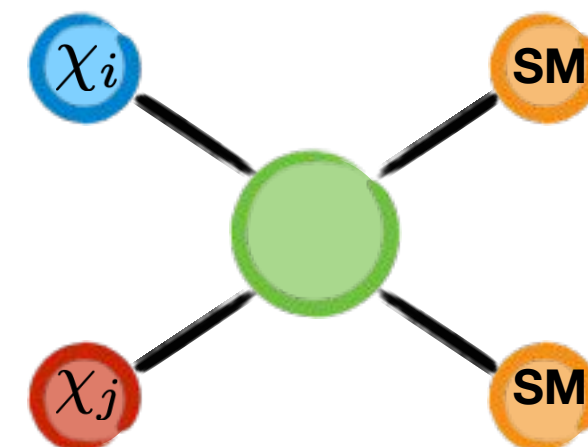
$$\underbrace{n_{SM}}_{\text{Very high}} \langle \sigma v \rangle_{DM \rightarrow M} \sim H$$



**Correct relic abundance
for much smaller couplings**

Compare to (co-)annihilation:

$$\underbrace{n_{dark}}_{\text{Boltzmann suppressed}} \langle \sigma v \rangle_{eff} \sim H$$



Example: singlet-triplet model

2 majorana fields: $SU(2)$ singlet χ_S and triplet χ_T

$$\mathcal{L}_{\text{eff}} \supset -\frac{m_S}{2} \bar{\chi}_S \chi_S - \frac{m_T}{2} \text{Tr}[\bar{\chi}_T \chi_T] + \frac{\kappa_{ST}}{\Lambda} [(H^\dagger \bar{\chi}_T H) \chi_S + h.c.]$$

Naturally small

with $\chi_S = \chi_S^0$, $\chi_T = \begin{pmatrix} \chi_T^0/\sqrt{2} & \chi^+ \\ \chi^- & -\chi_T^0/\sqrt{2} \end{pmatrix}$

Three new parameters: m_S , m_T , $\mu = \frac{\kappa_{ST} v^2}{\sqrt{2} \Lambda}$

Tree-level structure + electroweak corrections:

$$(\Delta m_{hc})^{\text{ew}} \begin{pmatrix} \chi_h \\ \chi^+ \\ \chi_l \end{pmatrix} \begin{pmatrix} (\Delta m_{hc})^{\text{mix}} \\ \Delta m_{cl} \end{pmatrix}$$

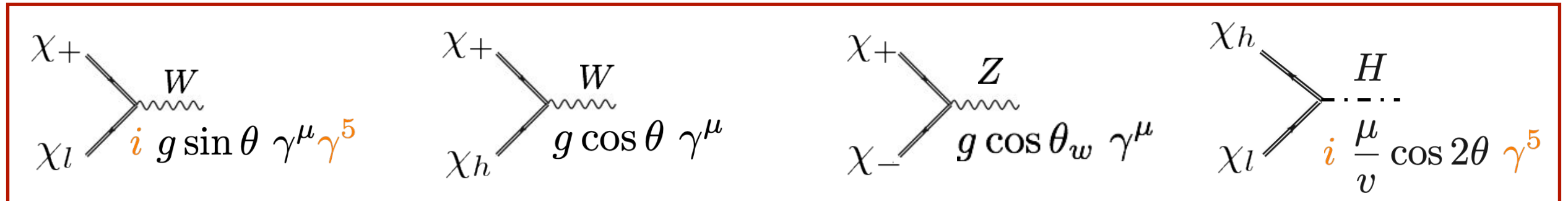
Small μ :

$$\begin{pmatrix} \chi^+ \\ \chi_h \\ \chi_l \end{pmatrix} \lesssim (\Delta m_{hc})^{\text{ew}}$$

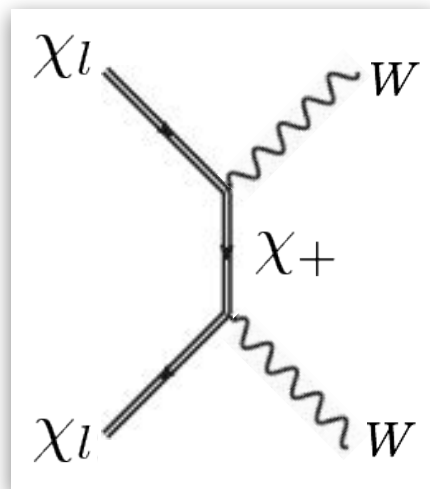
DM Candidate

Conventional processes

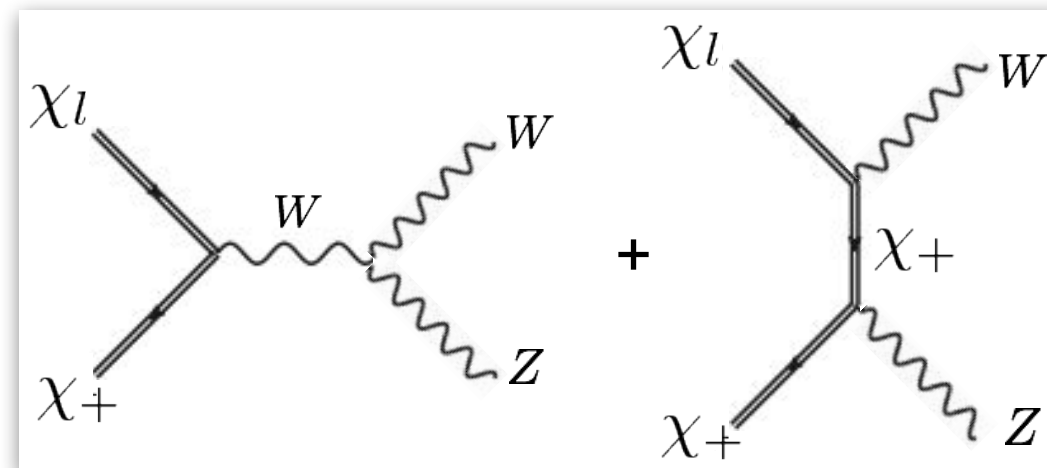
Gauge and Higgs couplings



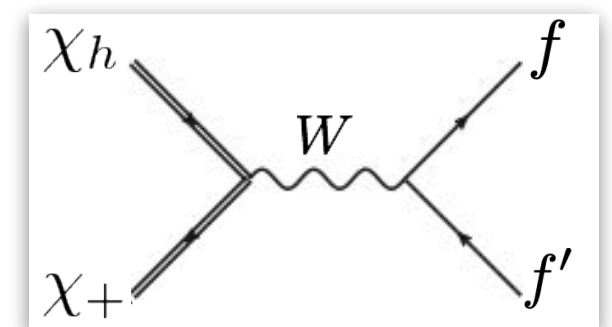
Main contributions from:



Annihilation

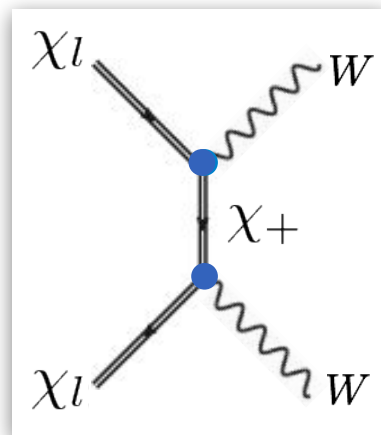


Co-annihilation



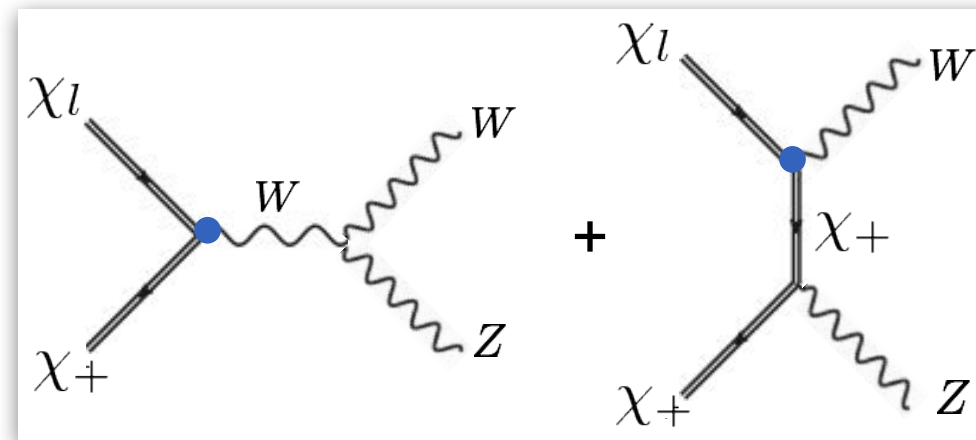
Mediator annihilation
+ further decay to χ_l

Naive picture



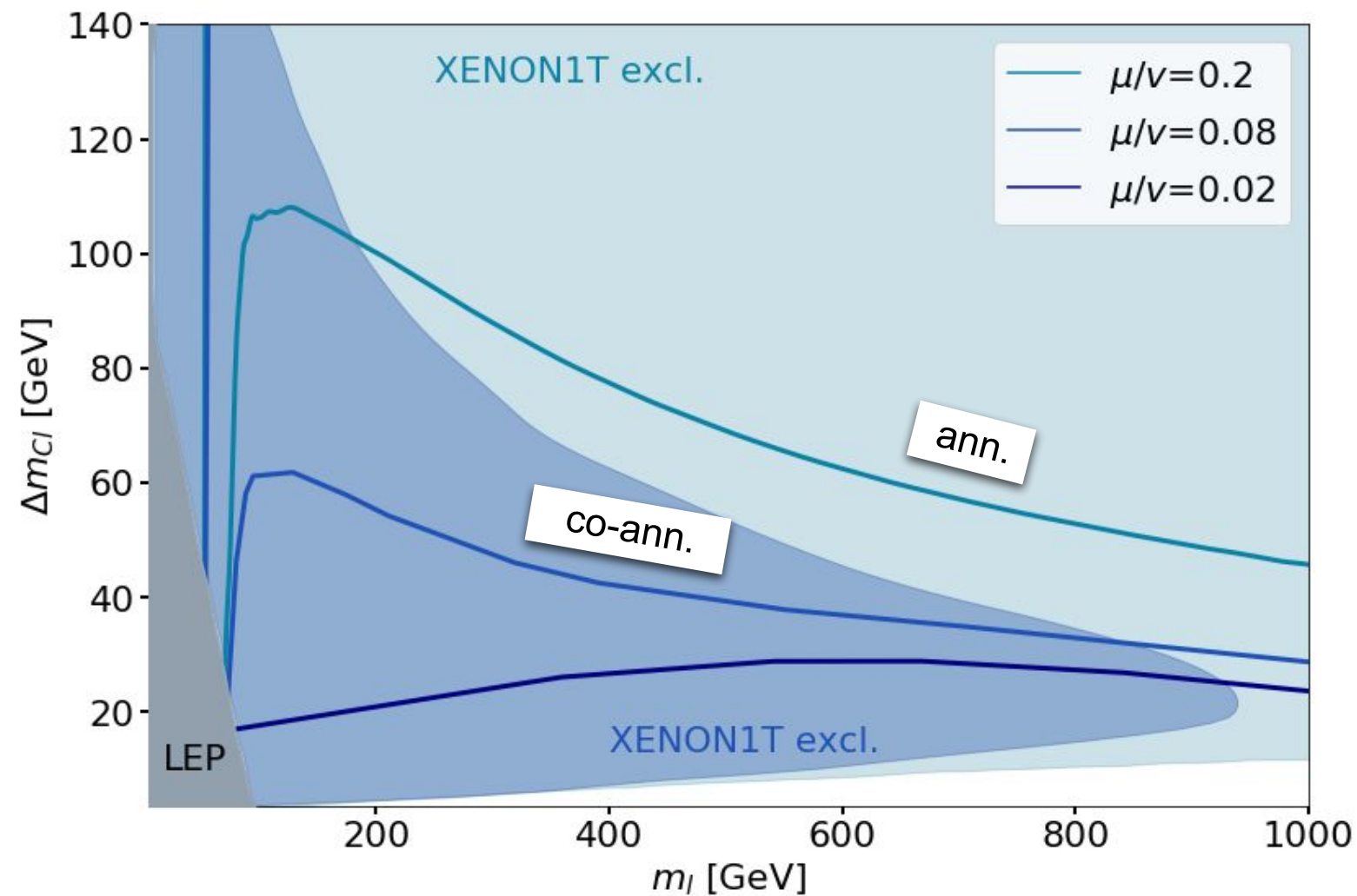
Annihilation

$$(g \sin \theta)^4$$



Co-annihilation

$$(g \sin \theta)^2$$



$$\frac{\chi^+}{\chi_l} \quad \underline{\underline{15 - 30 \text{ GeV}}}$$

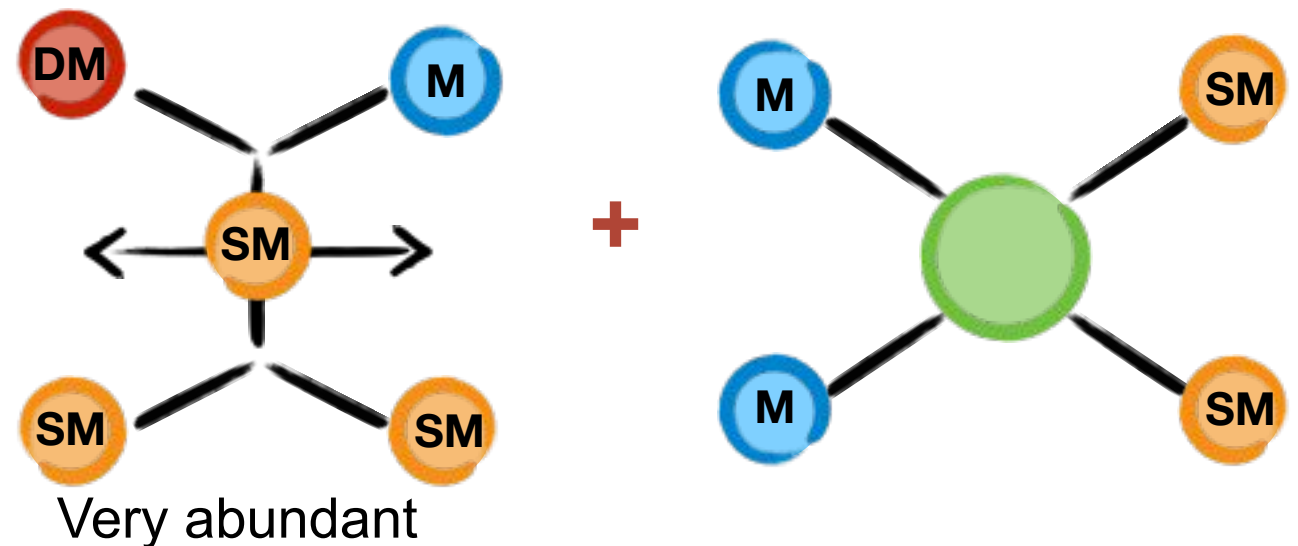
Co-scattering

Small portal coupling

	process	scaling		process	scaling
pair annihilation	$\chi_\ell \chi_\ell \rightarrow W^+ W^-$ $\chi_\ell \chi_\ell \rightarrow h^* \rightarrow f \bar{f}, VV$ $\chi_\ell \chi_\ell \rightarrow hh$	$(g \sin \theta)^4$ $(\mu \sin(2\theta)/v)^2$ $(\mu \cos(2\theta)/v)^4$	mediator annihilation	$\chi_h \chi_h \rightarrow W^+ W^-$ $\chi_h \chi^+ \rightarrow f \bar{f}', VV$ $\chi^+ \chi^- \rightarrow f \bar{f}, VV$	$(g \cos \theta)^2$ $(g \cos \theta)^2$ g^2
co-annihilation	$\chi_\ell \chi^+ \rightarrow f f', VV$ $\chi_\ell \chi_h \rightarrow W^+ W^-$ $\chi_\ell \chi_h \rightarrow h^* \rightarrow f \bar{f}, VV$	$(g \sin \theta)^2$ $(g \sin \theta)^2$ $(\mu/v)^2$	mediator decays	$\chi^+ \rightarrow \chi_\ell f f'$ $\chi_h \rightarrow \chi_\ell f \bar{f}$	$(g \sin \theta)^2$ $(\mu/v)^2$
co-scattering	$\chi_\ell f \rightarrow \chi^+ f'$ $\chi_\ell f \rightarrow \chi_h f$	$(g \sin \theta)^2$ $(\mu/v)^2$	scattering	$\chi_\ell f \rightarrow \chi_\ell f$	$(\mu \sin \theta/v)^2$

- Mediator annihilations are still in chemical equilibrium
- Decays become very slow
- Equilibrium may be lost for dark matter

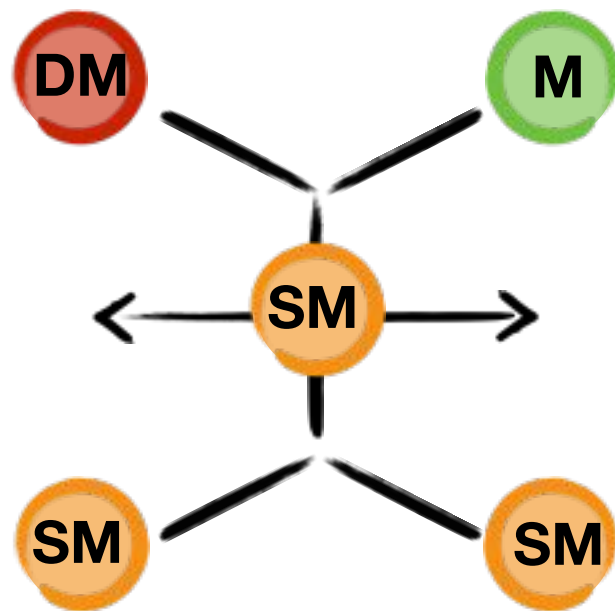
**Relic abundance:
co-scattering + mediator annihilation**



Is a common feature of theories with nontrivial dark sector in a small-coupling regime

See also Garmy et. al [1705.09292], D'Agnolo et al. [1705.08450], [1803.02901], [1906.09269] and Junius et al. [1904.07513]

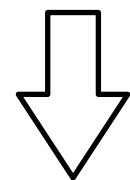
So just continue searching?



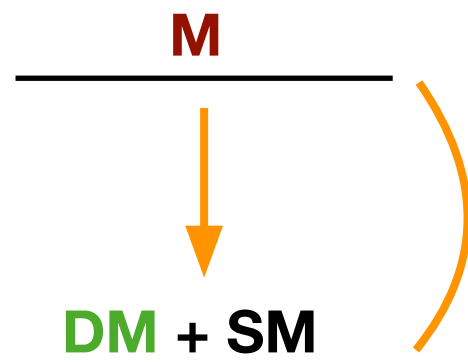
- Mediator decays are slow during decoupling.
- **But they are also long-lived at colliders!**

- Both dark states present at decoupling—**compressed spectrum.**

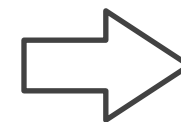
$$\begin{array}{c} \text{M} \\ \text{DM} \end{array} \begin{array}{c} \text{---} \\ \text{---} \end{array} \frac{\Delta m}{m} \simeq 10\%$$



We search for:

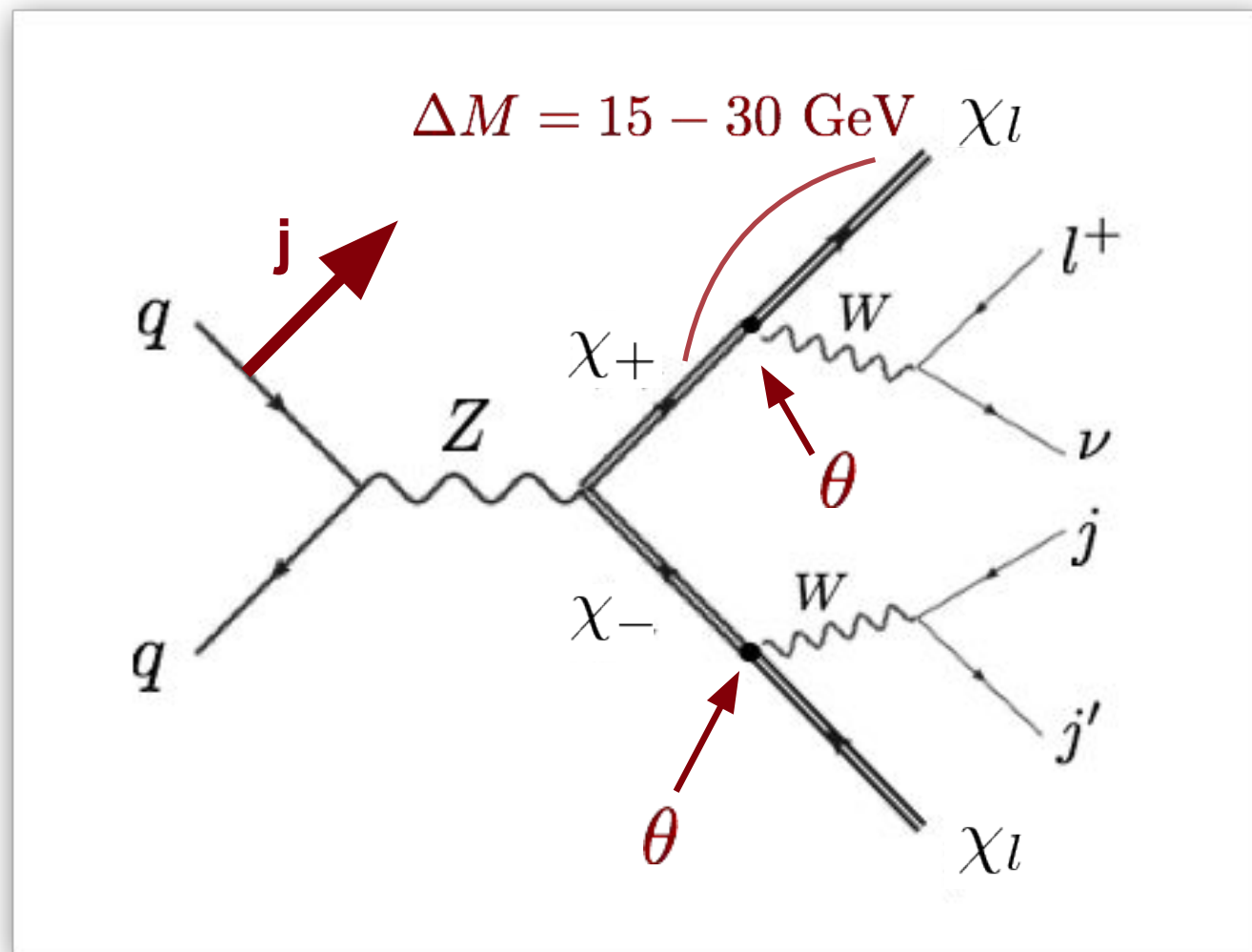


Defines p_T of SM



Particles are soft

Prompt searches are having a hard time



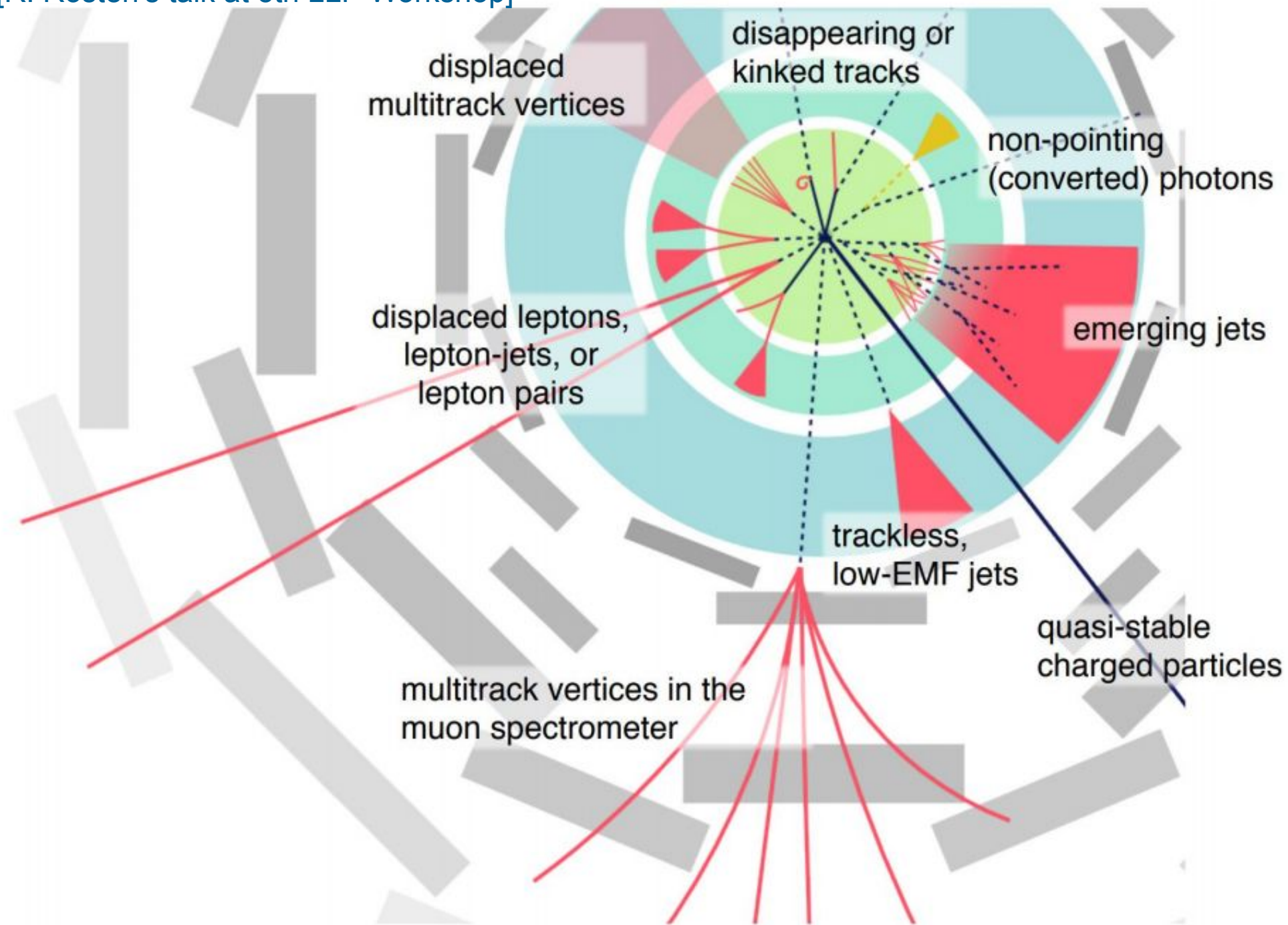
σ_{prod} ↓

Only light masses are probed

Bharuchaa, Brümmer, Desai [1804.02357]
CMS [1206.3949]

LLP analyses at ATLAS & CMS

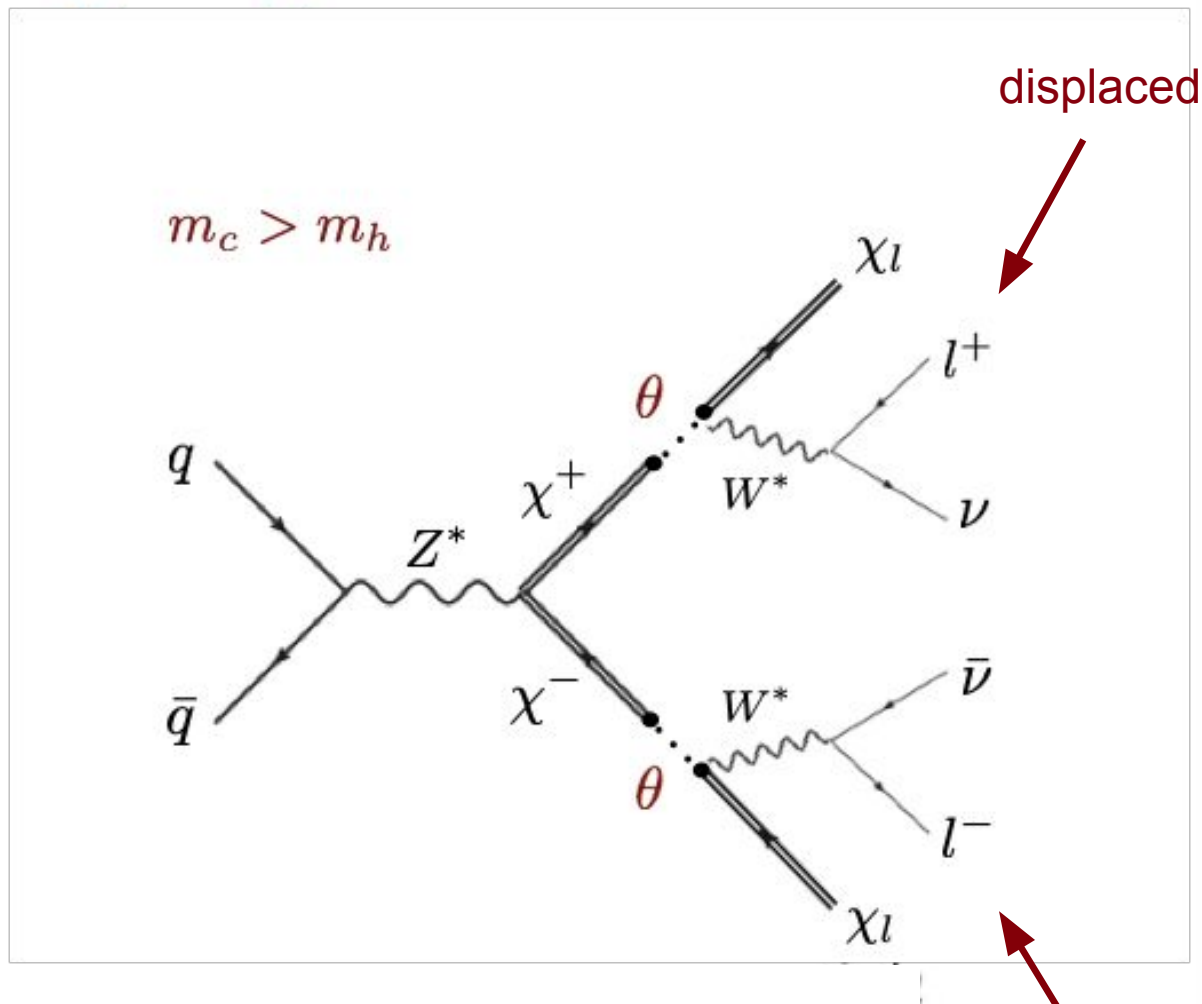
[R. Rosten's talk at 5th LLP Workshop]



Latest reports from the LHC LLP Community available at <https://indico.cern.ch/event/922632/>

Promising soft displaced signatures

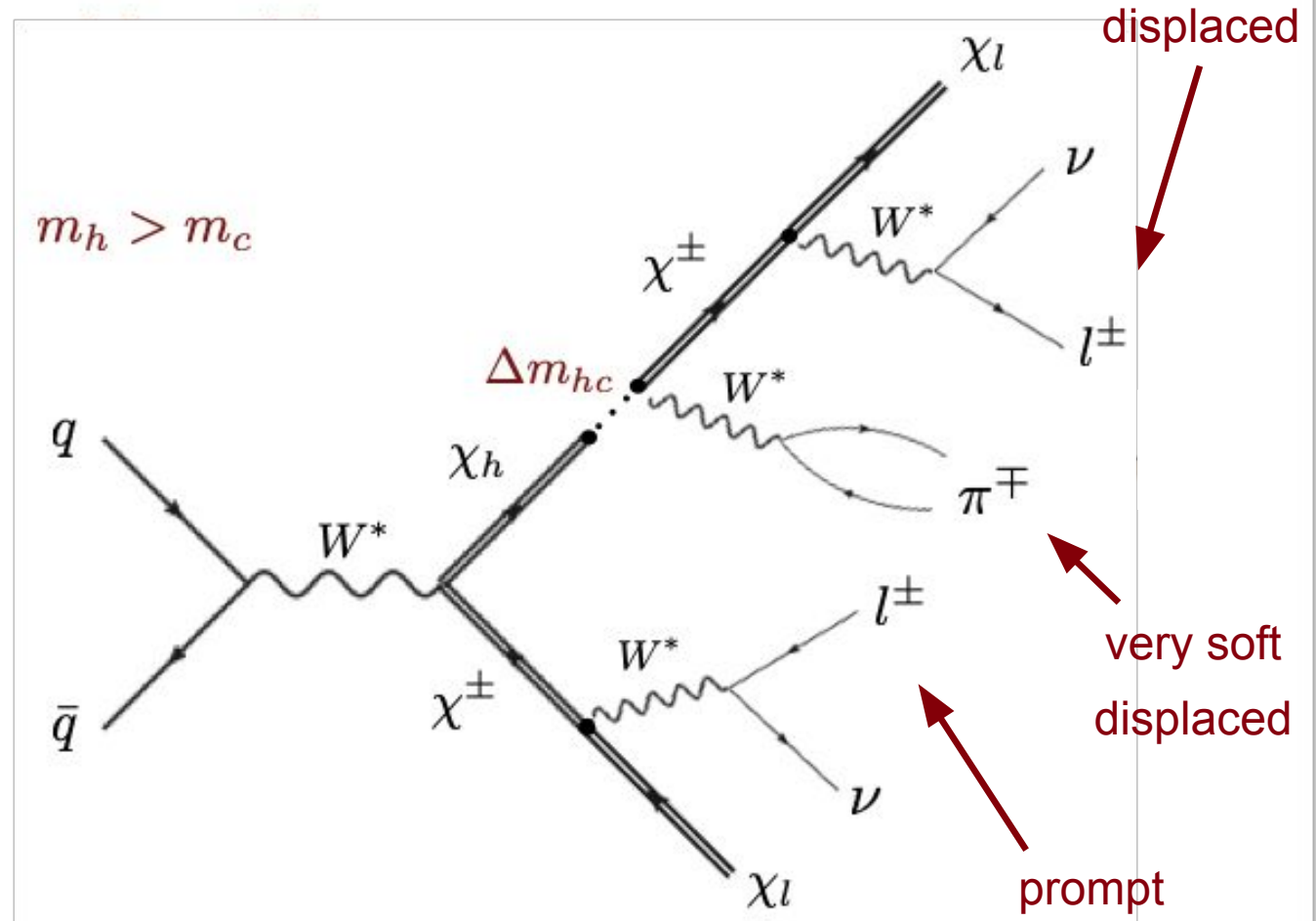
Soft displaced lepton pair



$$\Delta M_{+,l} = 15 - 30 \text{ GeV}$$

displaced

Displaced soft leptons + prompt jets

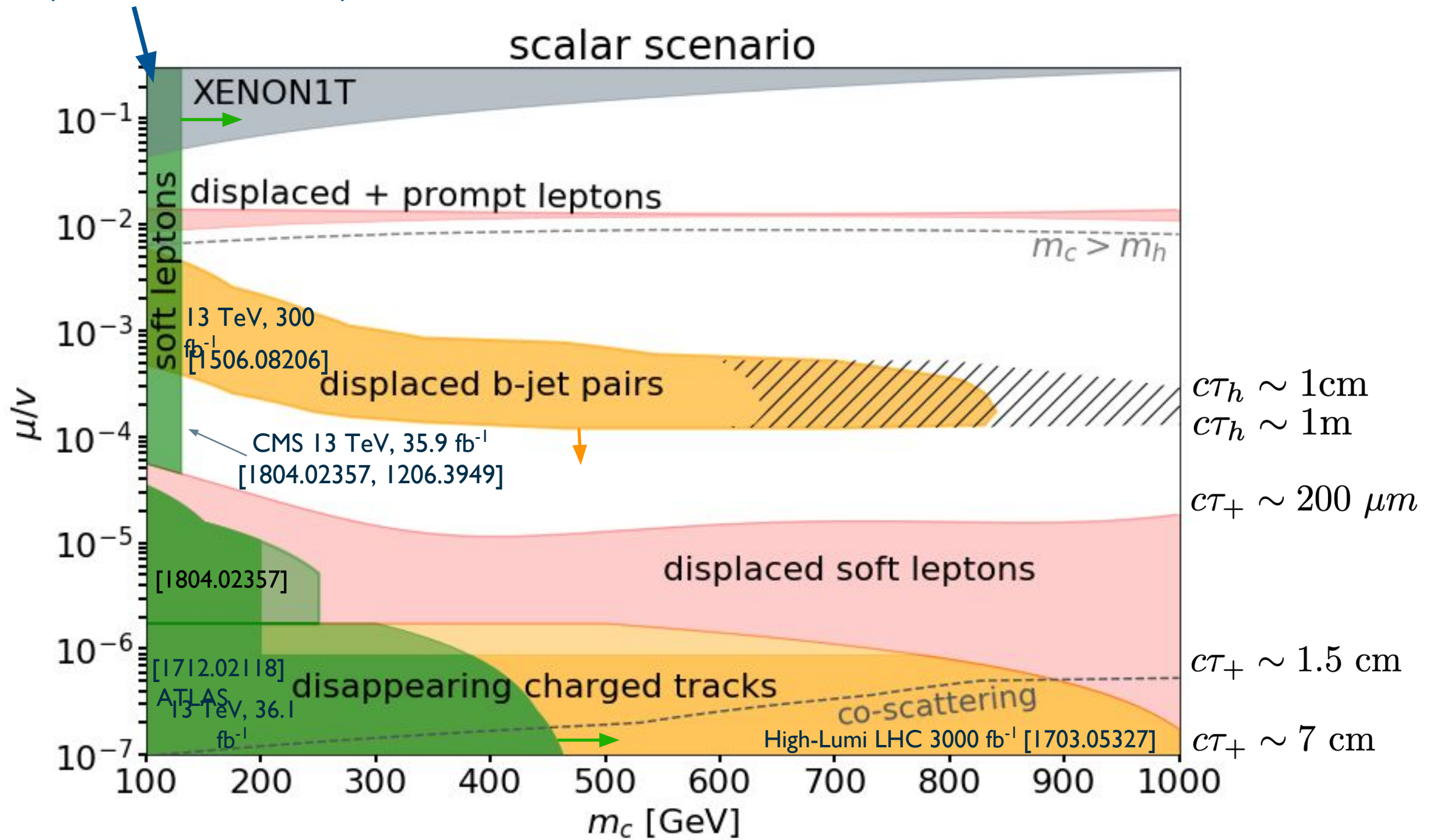


$$\Delta M_{+,l} = 15 - 30 \text{ GeV}$$

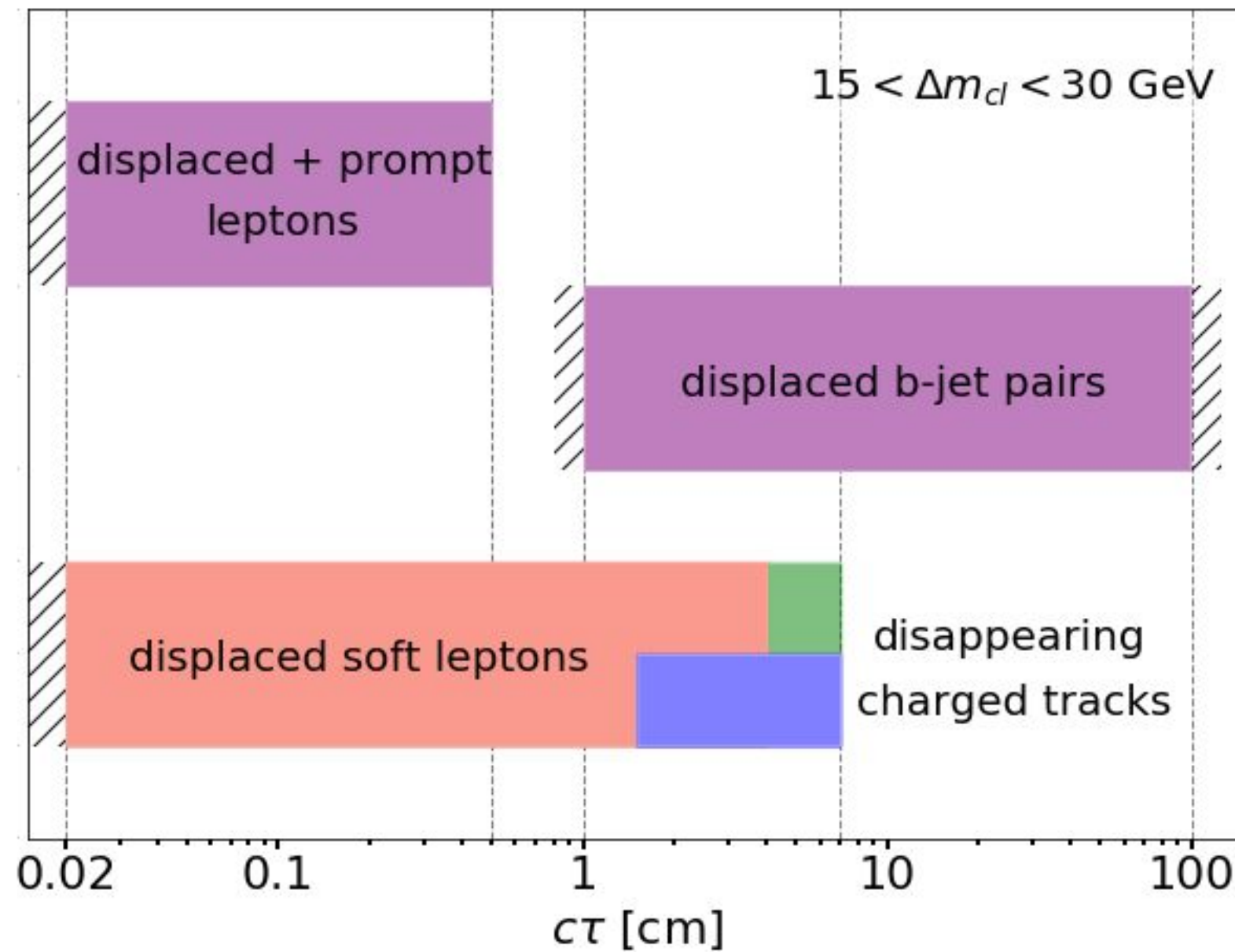
$$\Delta M_{+,h} \text{ arbitrarily small}$$

Collider searches

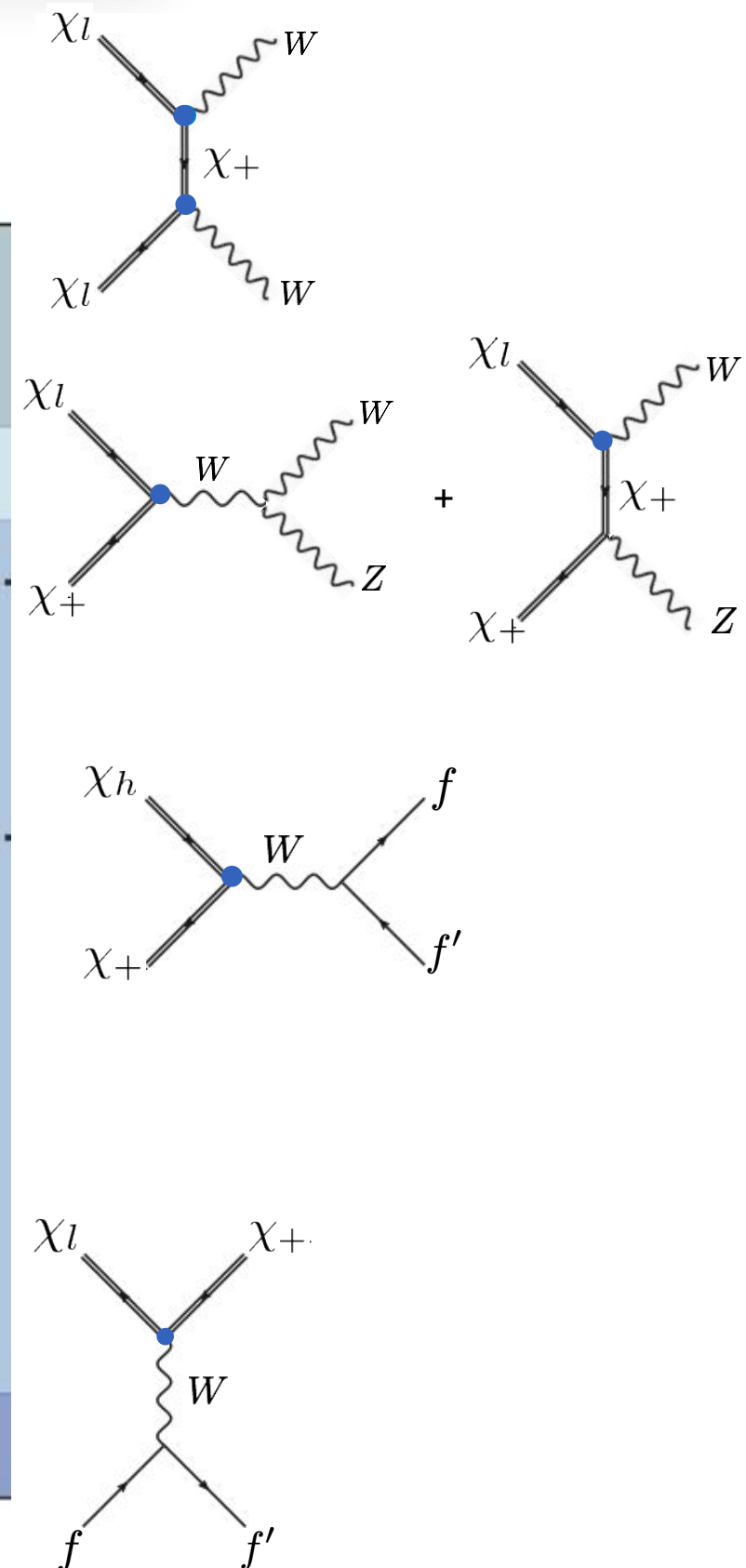
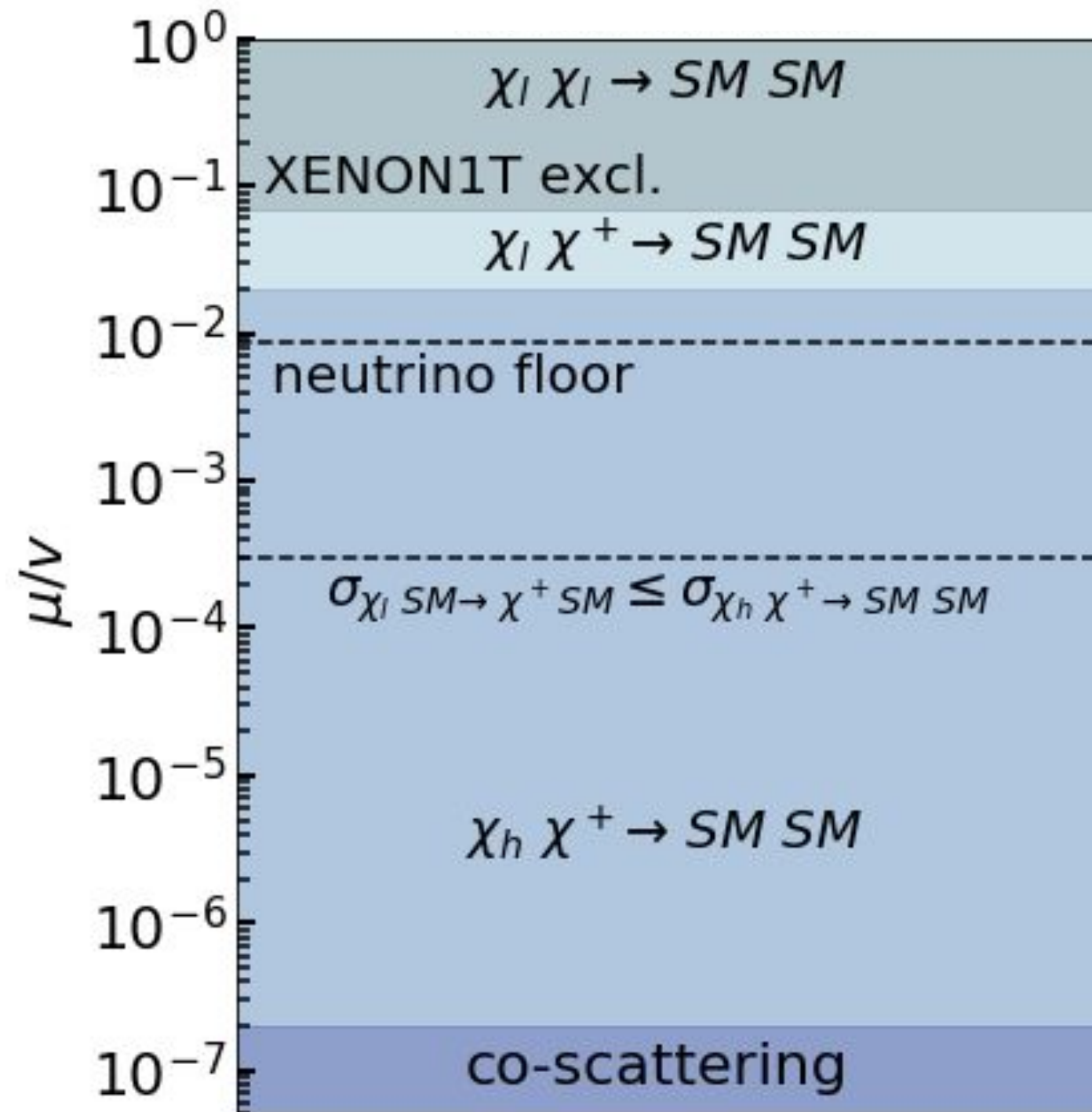
Prompt searches can not help



Lifetimes accessible @ LHC

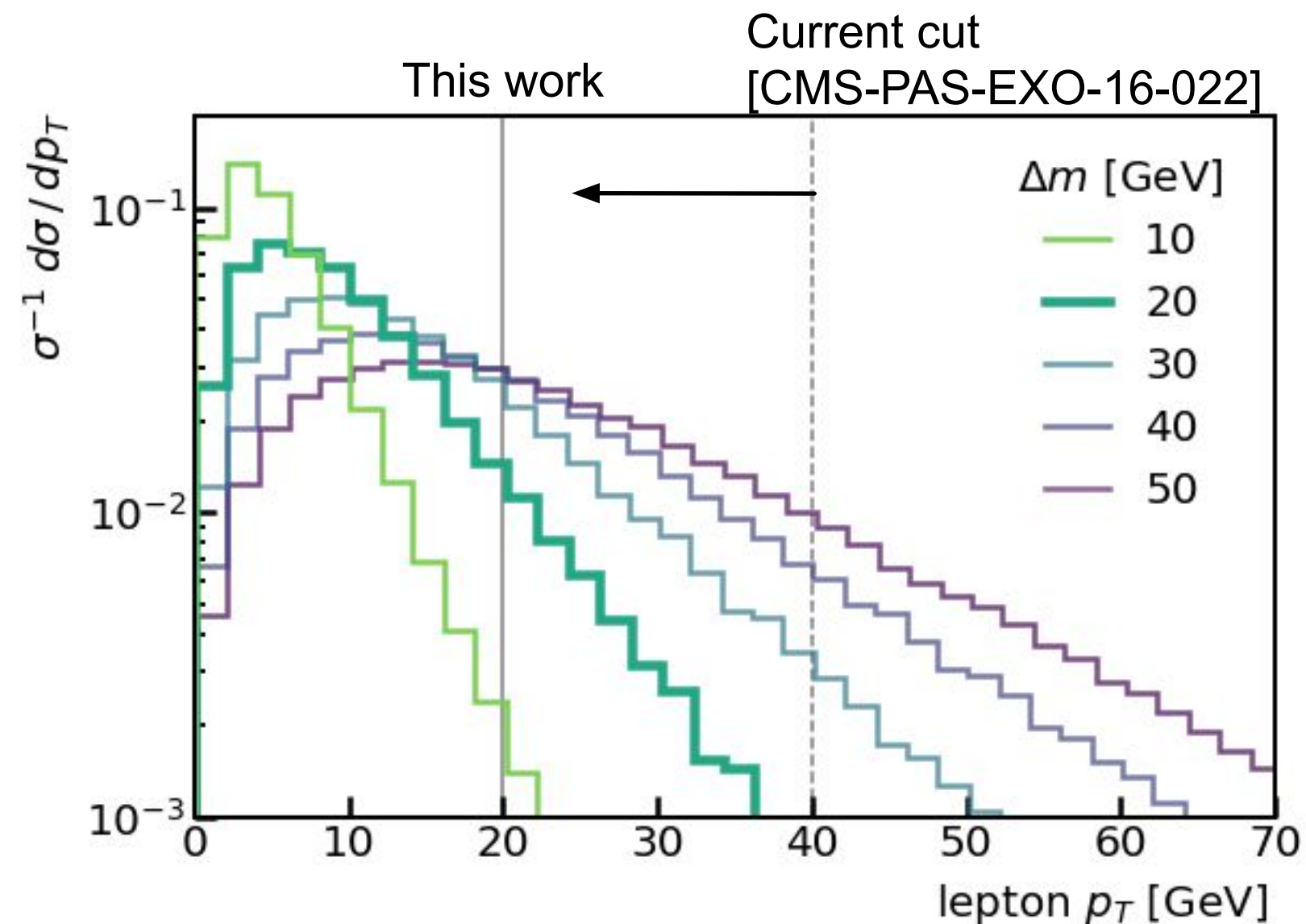
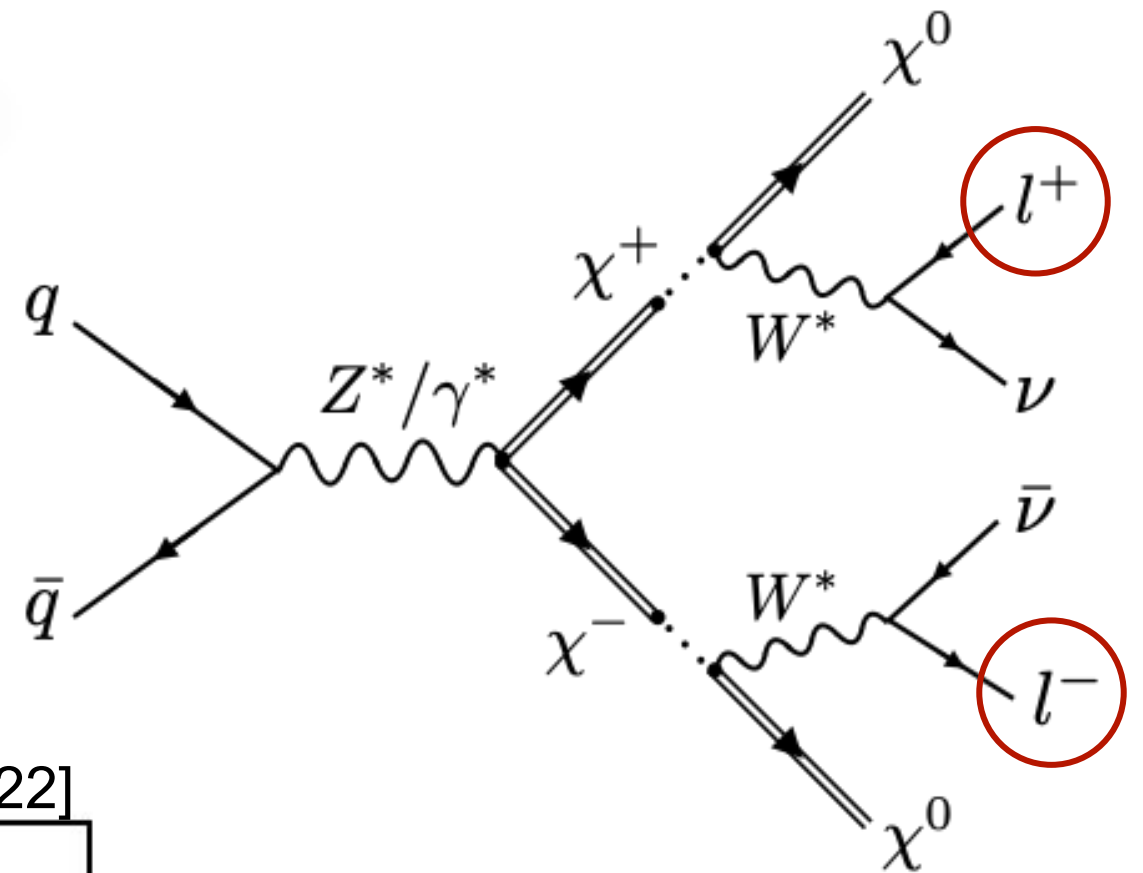


Higgs portal again: freeze-out phases



LLPs @ the LHC

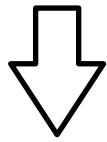
Soft displaced leptons @ CMS



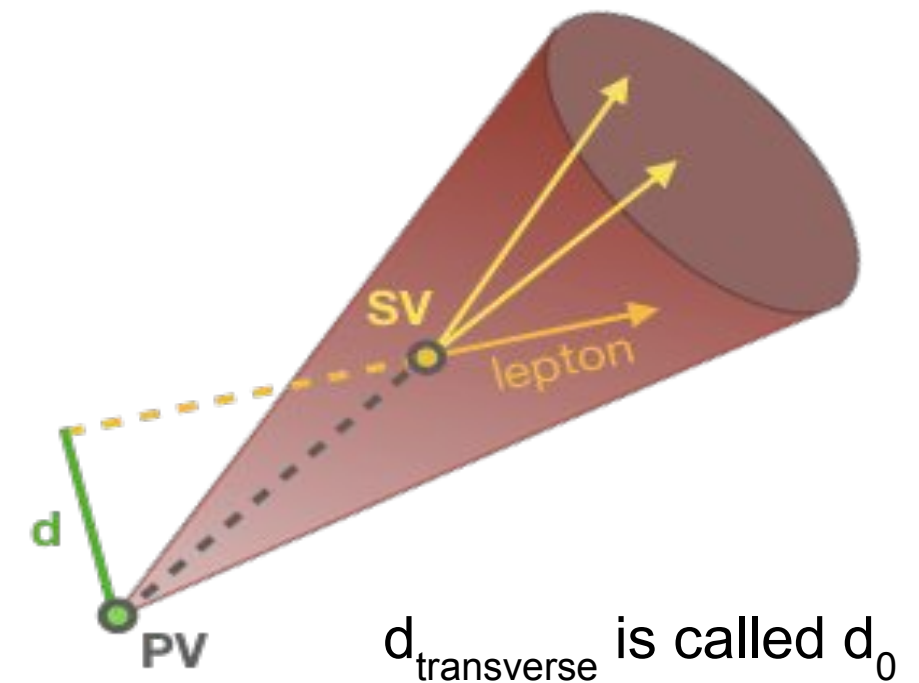
Displacements considered

Sensitive to

$$200 \mu\text{m} < d_0 < 10 \text{ cm}$$



$$1 \text{ mm} < c\tau < 20 \text{ cm}$$

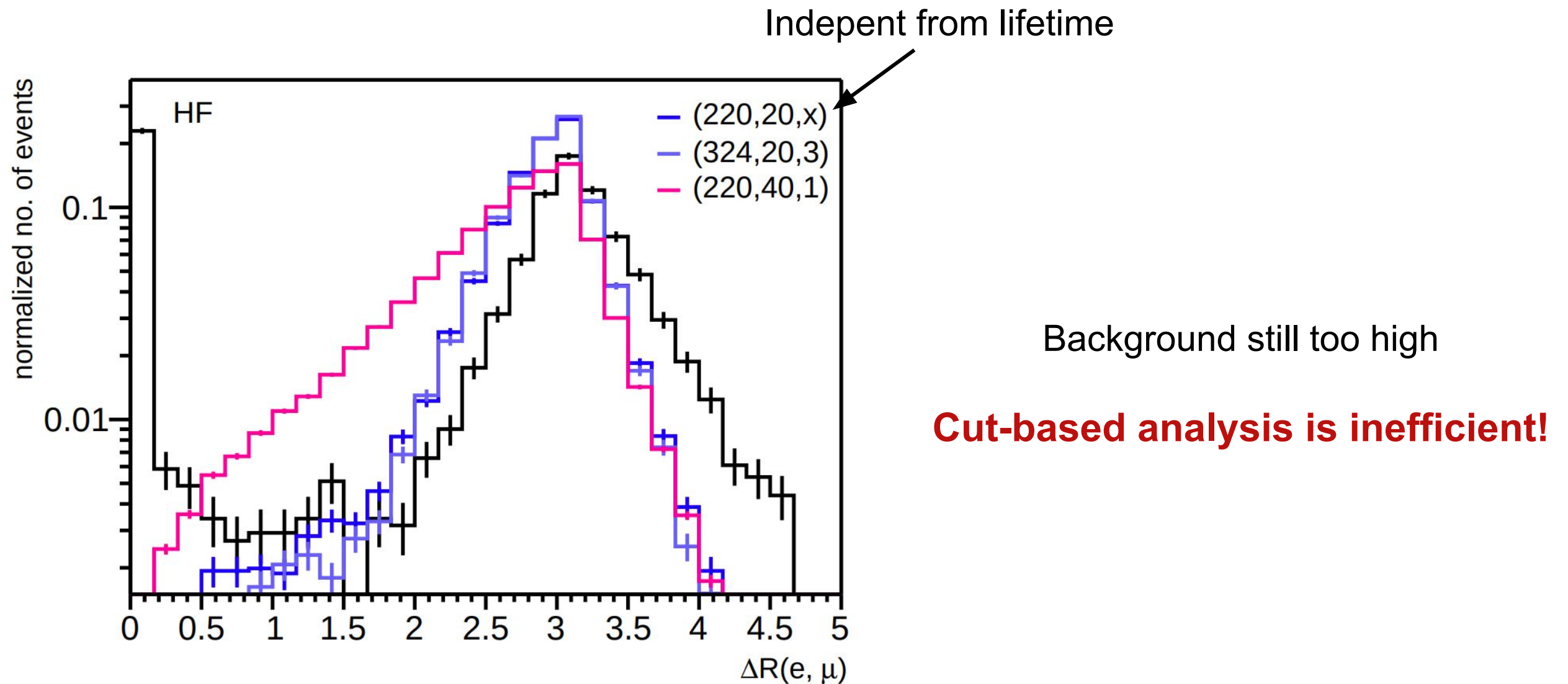


Benchmarks

	#	m_c [GeV]	Δm [GeV]	$c\tau_c$ [cm]	$\mathcal{B}(\ell^+\ell^-)$
DM candidate	1	324	20	2	0.025
	2	220	20	3	0.014
Various lifetimes	3	220	20	0.1	1
	4	220	20	1	1
	5	220	20	10	1
	6	220	20	100	1
Cross-check (excluded)	7	220	40	1	1

Signal/background discrimination

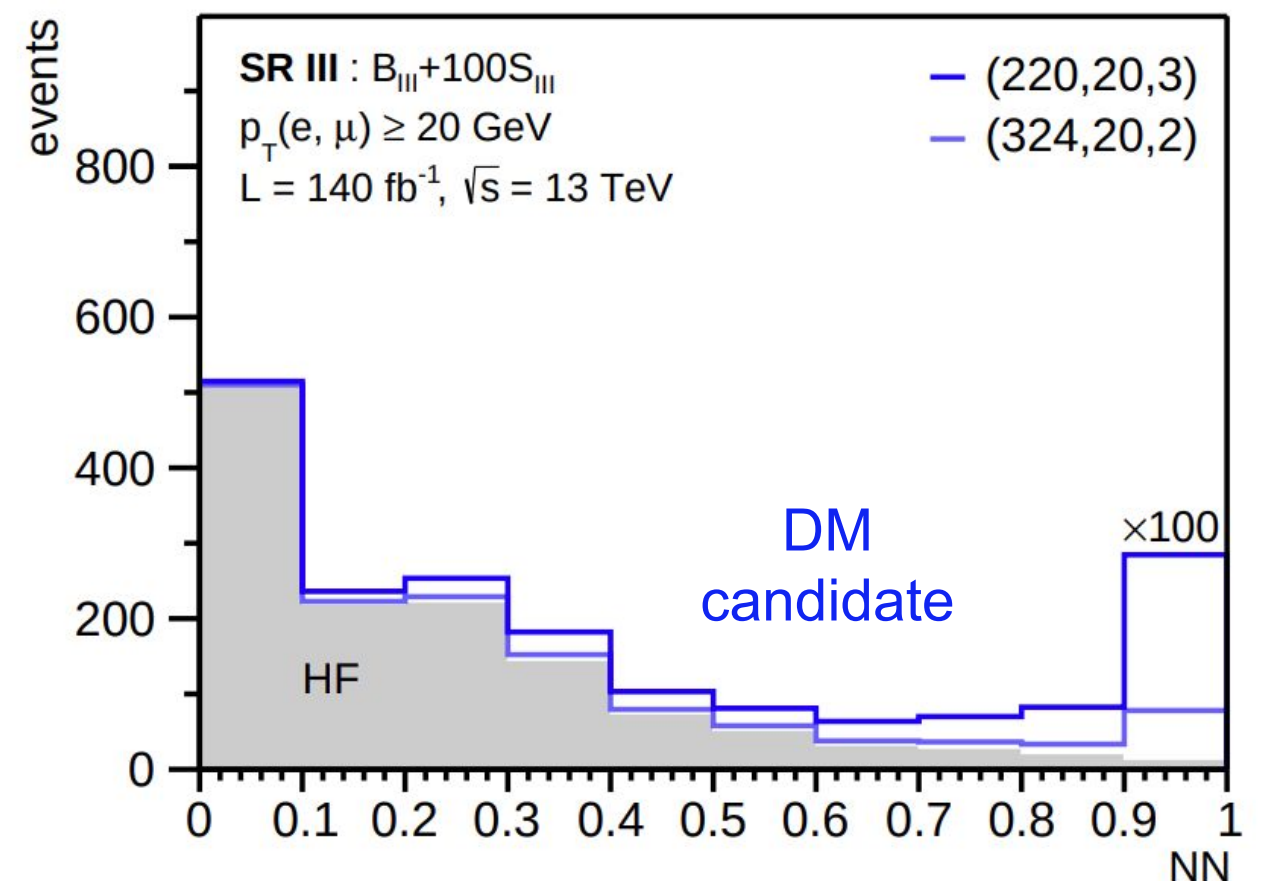
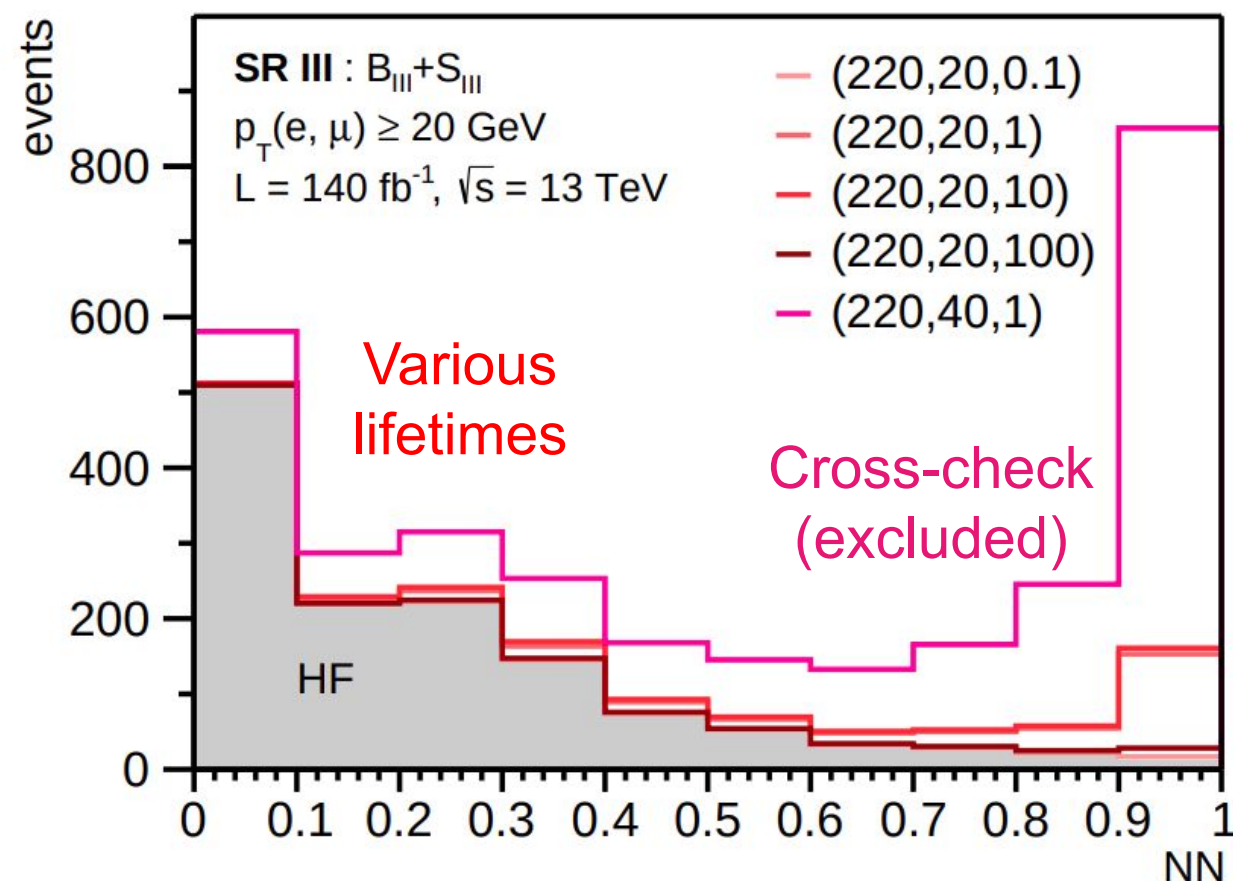
Main background $b \bar{b} \rightarrow e^\pm \mu^\mp + X$ hurts! $\Rightarrow$ Making use of differences in kinematics



$$\Delta R(e, \mu) = \sqrt{\Delta \eta^2(e, \mu) + \Delta \phi^2(e, \mu)}$$

Resorting to neural networks

- Using 9 MET and geometry-related variables (d_0 -related ones are excluded to prevent unrealistic modelling)
- Trained (80%) and tested (20%) on (324, 20, 2)
- Modest kinematic differences between BP $\Rightarrow$ one classifier for all benchmarks.



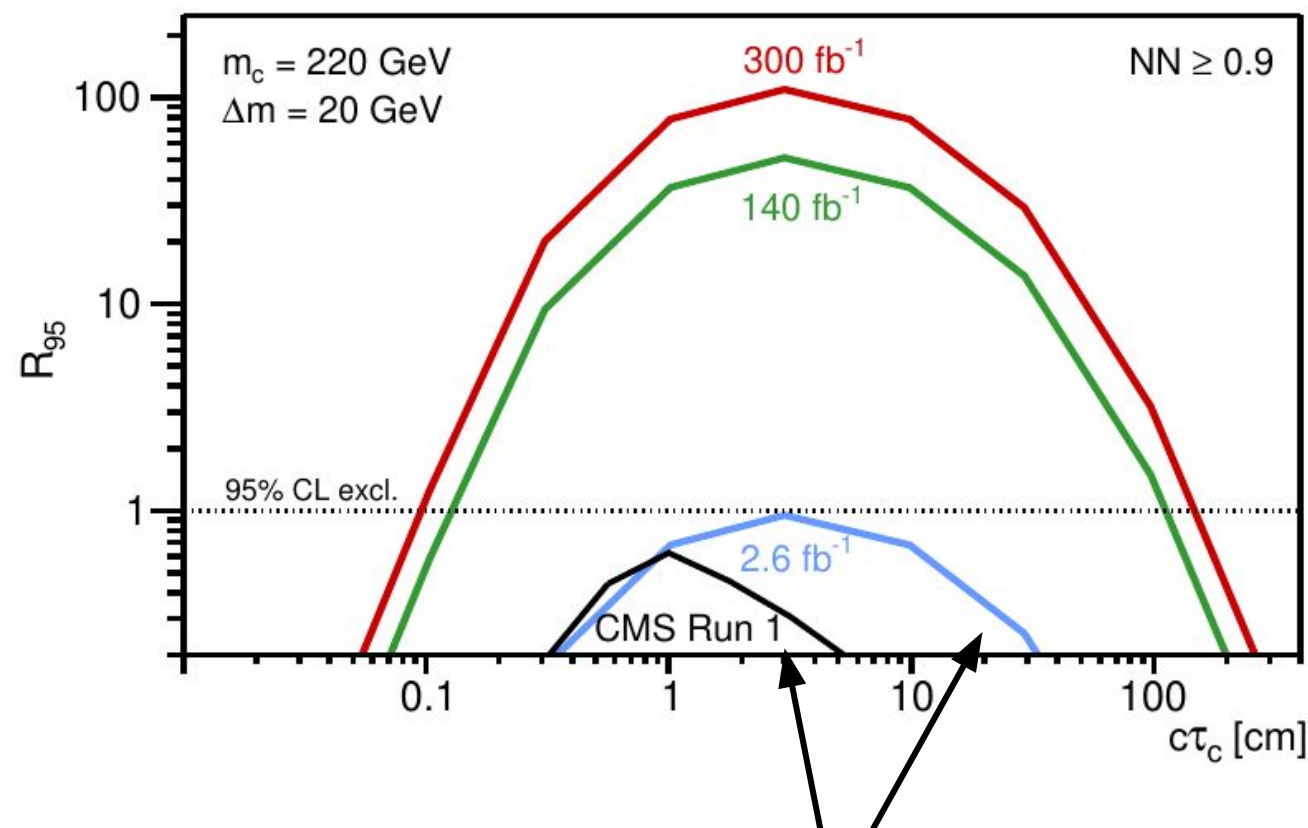
Hard cut at $NN > 0.9$: successful for red/magenta, blue is unseen due to small cross section

Expected sensitivity

Poisson log likelihood ratio

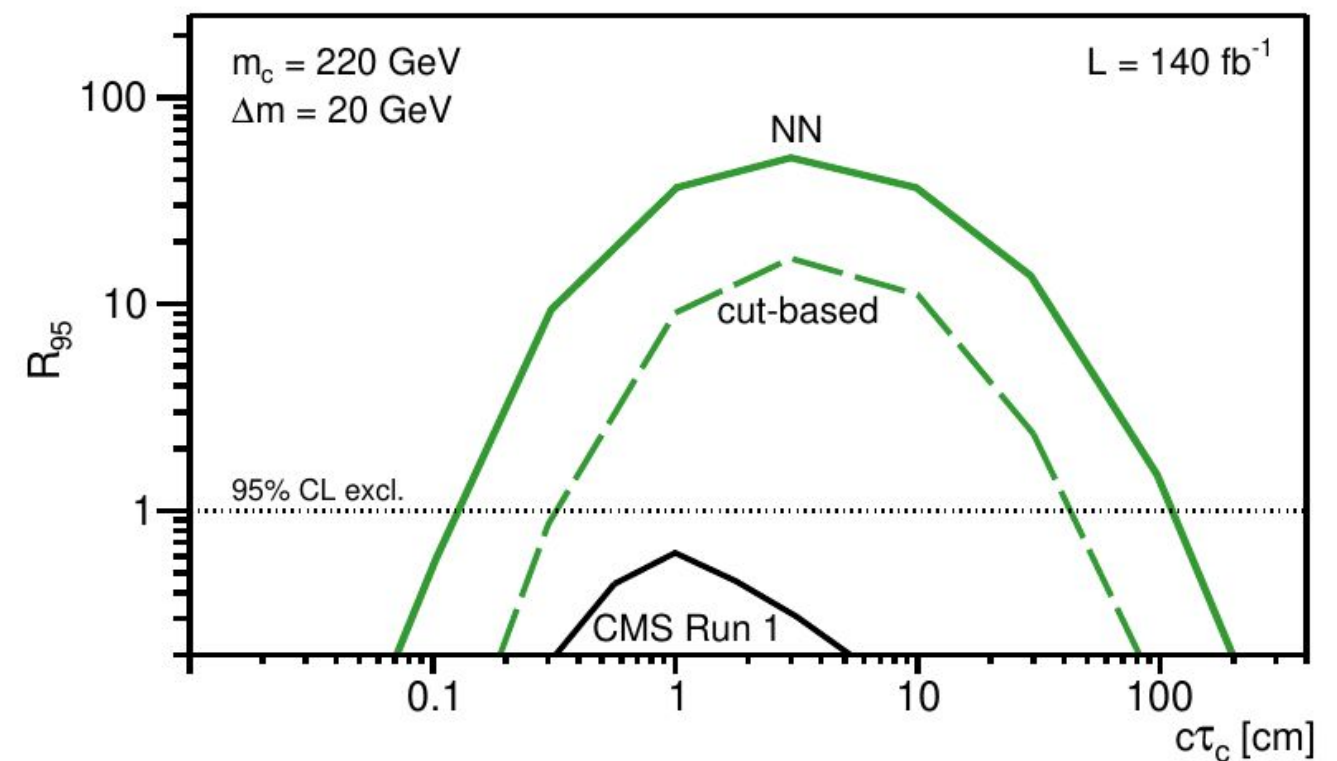
$$Q = \sum_{i=I,II,III} -2 \log \left(\frac{\mathcal{L}_{S_i+B_i}}{\mathcal{L}_{B_i}} \right), \quad \mathcal{L}_{S_i+B_i} = e^{-(S_i+B_i)} \frac{(S_i+B_i)^{N_i}}{N_i!}, \quad R_{95} = Q/5.99$$

Predictions for the LHC



Performance for the 8 TeV search
[1409.4789]

Cut-based vs NN analyses



LLPs beyond the LHC

LLPs @ Belle II: example of light scalars

$$\mathcal{L} = -\frac{1}{2}m_\phi^2\phi^2 - \mu|H|^2\phi - y_\chi\bar{\chi}\chi\phi - \frac{1}{2}m_\chi\bar{\chi}\chi$$

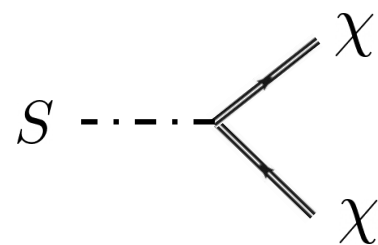
DM Candidate

Search regions

$$\Gamma_S = c_\theta^2 \Gamma_{\chi\bar{\chi}} + s_\theta^2 \Gamma_{\text{SM}}$$

$$m_S > 2m_\chi$$

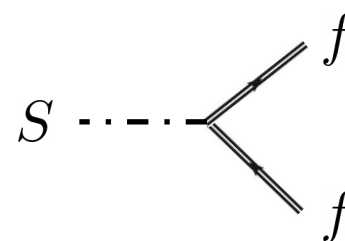
Invisible decays dominate



Missing energy

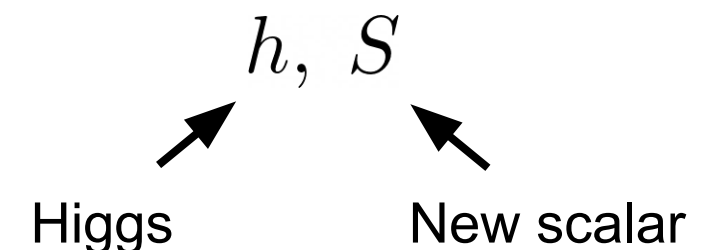
$$m_S < 2m_\chi$$

Visible decays only

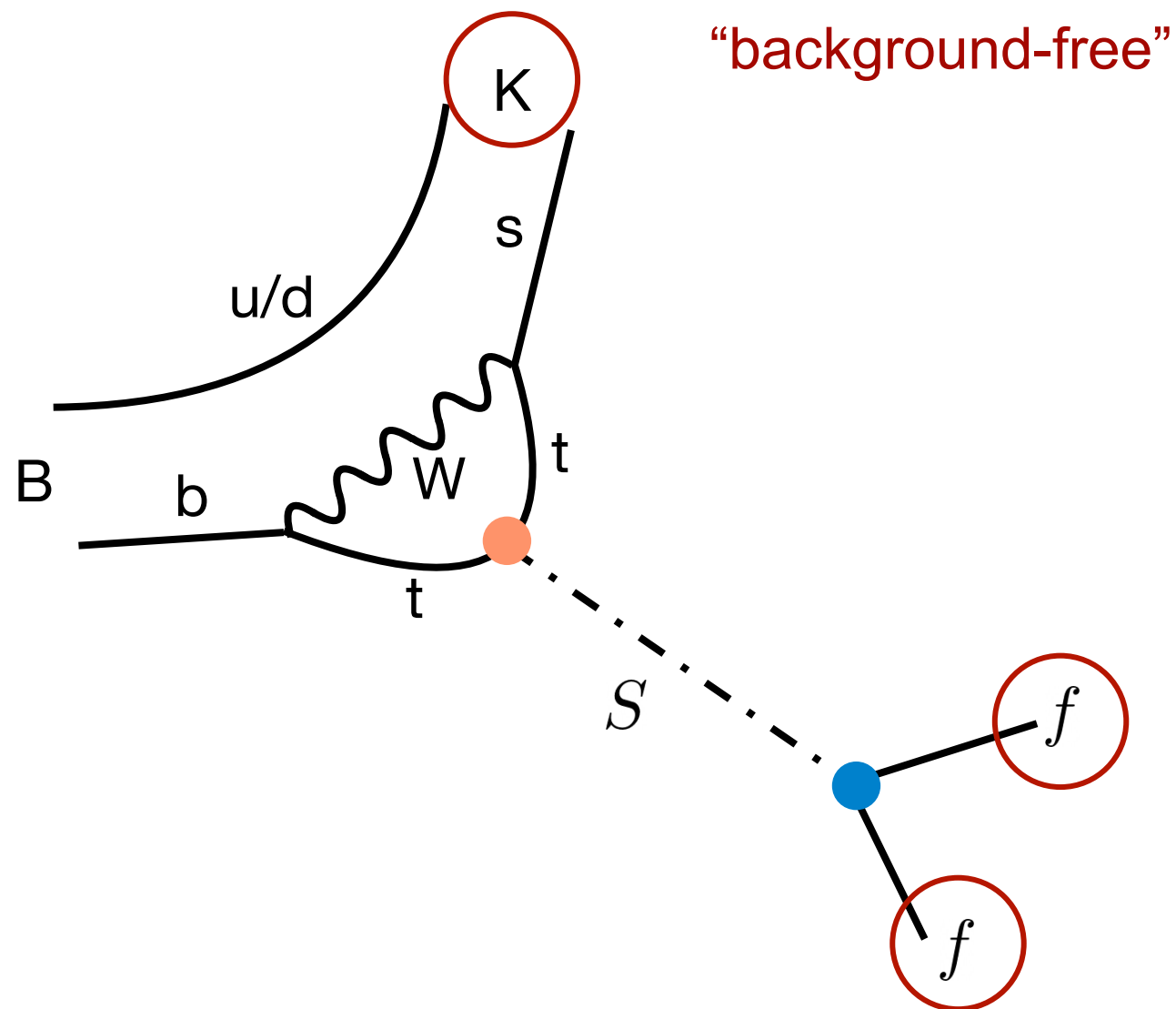


Displaced searches

Mass basis:



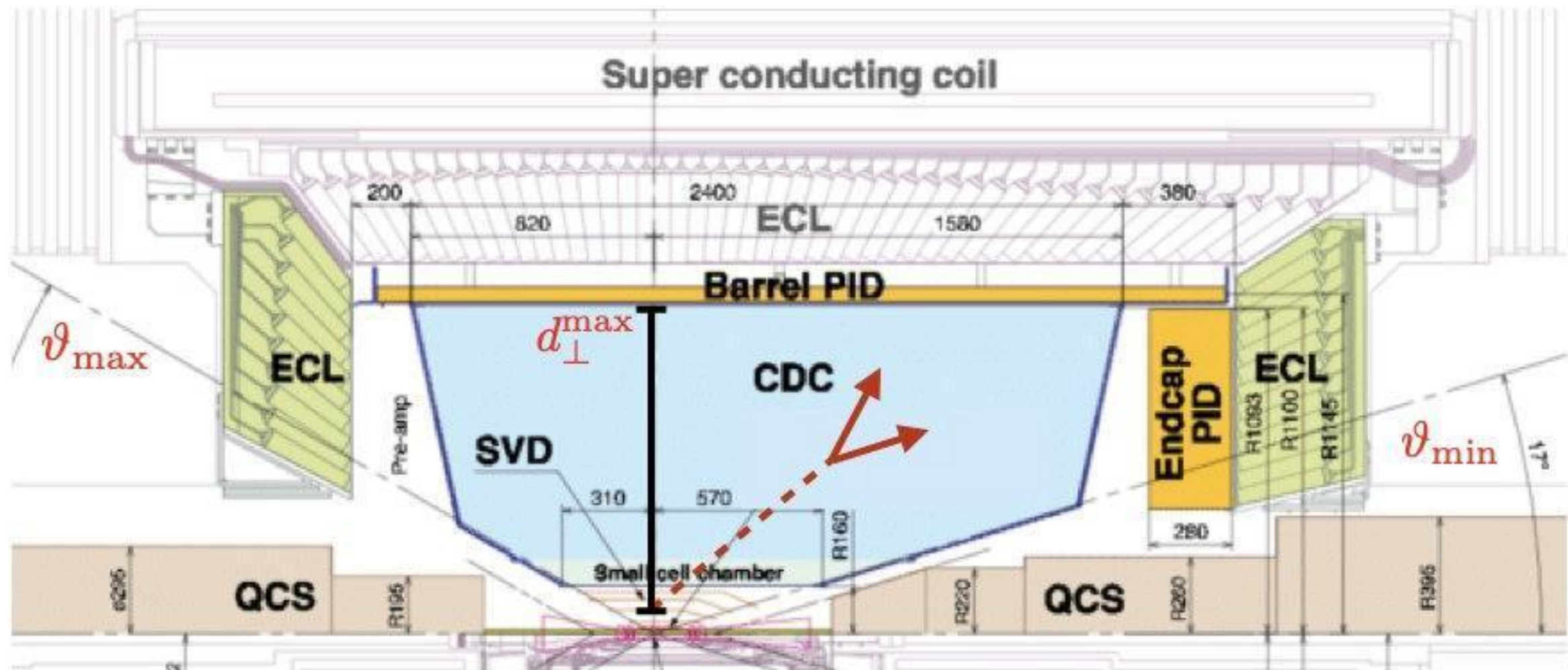
Displaced semi-leptonic decays



$$\begin{aligned} \text{Orange dot} & \quad \frac{m_t}{v} s_\theta \\ \text{Blue dot} & \quad \frac{m_f}{v} s_\theta \end{aligned}$$

Displaced decays for decent rate

Displaced signatures @ Belle II



$$N_{f\bar{f}} = N_{B\bar{B}} \times 1.93 \mathcal{B}(B \rightarrow KS) \mathcal{B}(S \rightarrow \mu\bar{\mu})$$

$$\times \int_{r_{\min}}^{r_{\max}} \frac{r^2 dr}{2d_S^3} \int_{\vartheta_{\min}}^{\vartheta_{\max}} \frac{d\vartheta}{2\sin^2 \vartheta} e^{-\frac{r/\sin \vartheta}{d_S}}$$

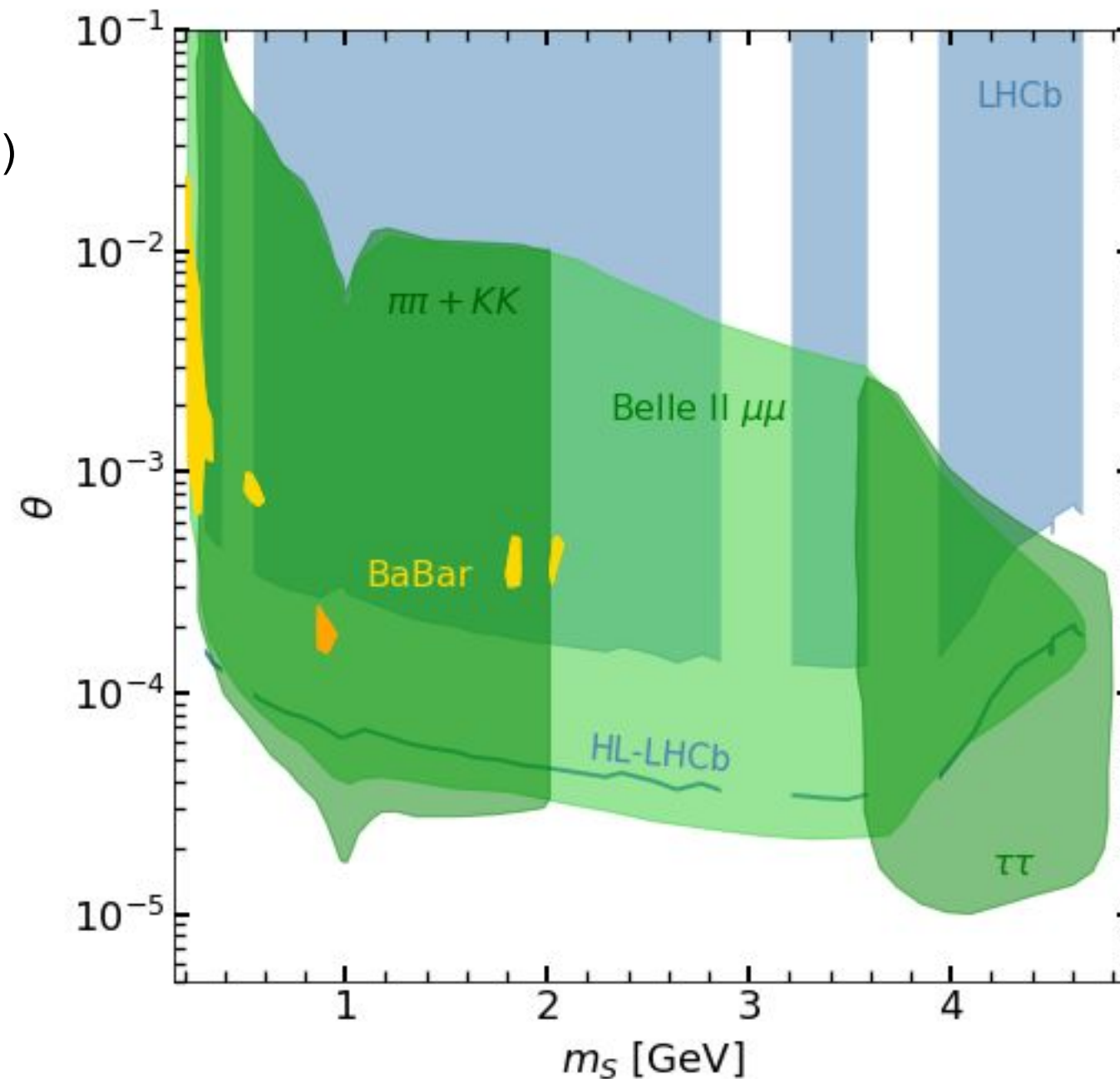
B-factories: comparison

LHCb

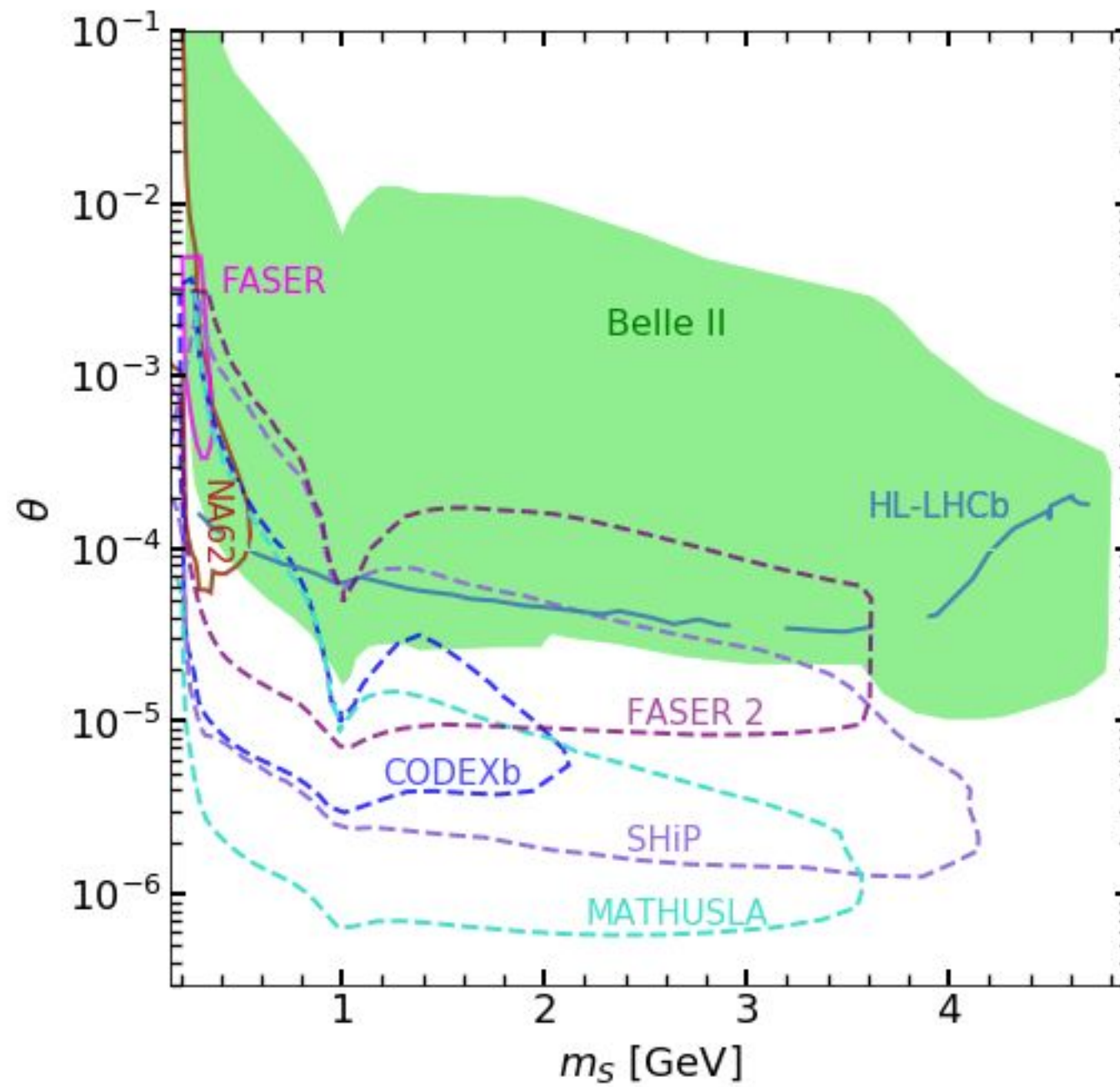
Large boost
(particles decay outside)

Belle II

B-s almost at rest
(larger lifetimes probed)

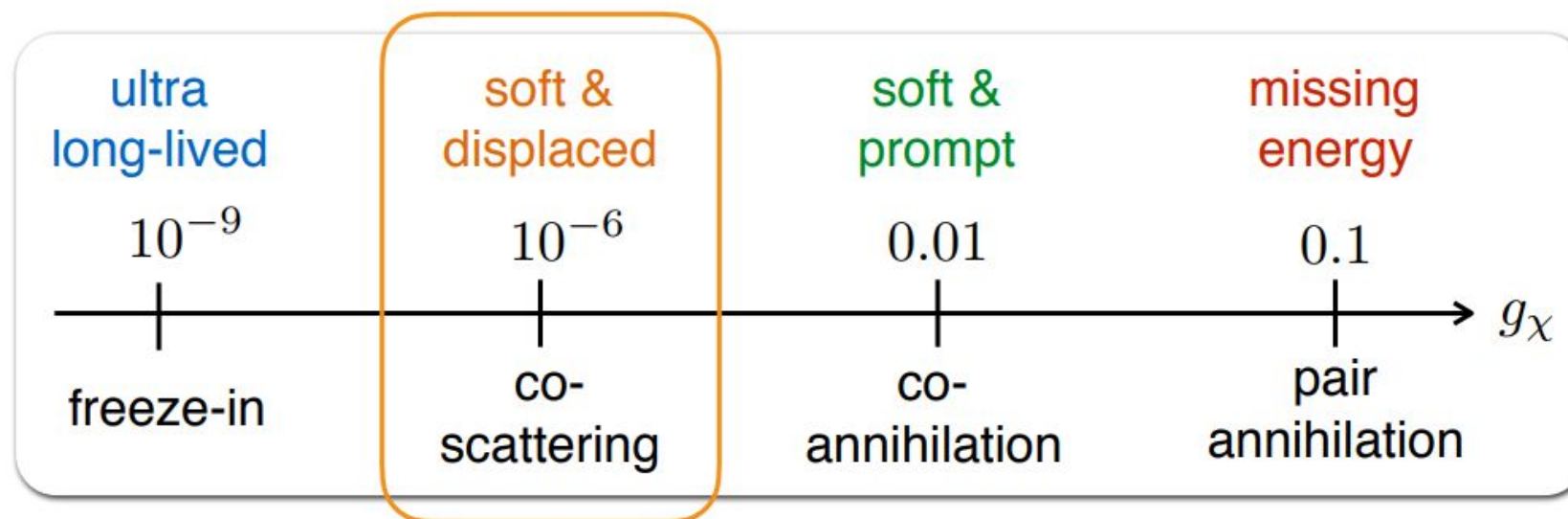


Belle II and fixed-target experiments



Take-home message(s)

- Strong direct detection constraints point us to a very weakly coupled dark sectors.
- Consequently, the “non-conventional” processes set the DM relic abundance.
- This also leads to a natural appearance of the long-lived states at collider scales. The most promising collider signatures involve displaced particles.
- New searches are needed to conclusively test this scenario: displaced soft leptons, appearing tracks, etc.
- Soft objects require new experimental developments (e.g. cross-triggers) .



Open questions

- How powerful are displaced searches?
- Which experiments can probe the co-scattering regime (are the lifetimes at the scale of ATLAS/CMS or beyond i.e. FAZER/MATHUSLA/ShiP...)?
- What happens for even weaker couplings? At which point we switch to the freeze-in scenarios?
- Are there any hints from cosmological observations about the properties of the non-thermal dark matter momentum distribution?

Thank you!

Singlet-triplet model: mass basis

Scalar scenario

$$m_S > \mu^2/m_T$$

$$\begin{pmatrix} \chi_\ell \\ \chi_h \end{pmatrix} = \begin{pmatrix} \cos \theta \chi_S^0 - \sin \theta \chi_T^0 \\ \sin \theta \chi_S^0 + \cos \theta \chi_T^0 \end{pmatrix}$$

$$m_{h,\ell} = \frac{1}{2} \left(m_T + m_S \pm \Delta m_{h\ell} \right)$$

$$m_c = m_T$$

Pseudo-scalar scenario

$$m_S < \mu^2/m_T$$

$$\begin{pmatrix} \chi_\ell \\ \chi_h \end{pmatrix} = \begin{pmatrix} \cos \theta \chi_S^0 + \sin \theta i\gamma_5 \chi_T^0 \\ \sin \theta i\gamma_5 \chi_S^0 + \cos \theta \chi_T^0 \end{pmatrix}$$

$$m'_{h,\ell} = \frac{1}{2} \left(\Delta m_{h\ell} \pm (m_T + m_S) \right) = \pm m_{h,\ell}$$

$$m_c = m_T$$

$$\text{with } \Delta m_{h\ell} = \sqrt{(m_T - m_S)^2 + 4\mu^2} \quad \theta \simeq \frac{\mu}{m_T - m_S}$$

In both scenarios $m_\ell/m'_\ell > 0$

Couplings of dark fermions

Two physical scenarios, depending on parameters of the theory:

Scalar case:

Couplings $\propto 1, \gamma_\mu$

Pseudo-scalar case:

Couplings $\propto \gamma_5, \gamma_\mu \gamma_5$

Connected through
chiral rotation:

$$\chi_l \rightarrow i\gamma_5 \chi_l$$

- Changes the sign of the mass term:

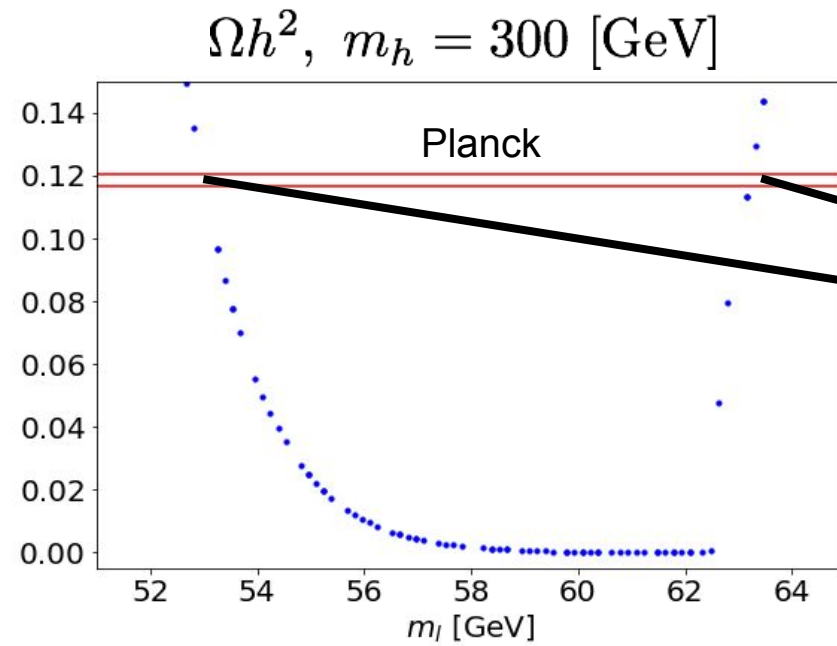
$$-m_l \bar{\chi}_l \chi_l \rightarrow m_l \bar{\chi}_l \chi_l$$

- Leads to pseudo-scalar (axial-vector) interactions:

$$\bar{\chi}_h \chi_l \rightarrow i\bar{\chi}_h \gamma_5 \chi_l$$

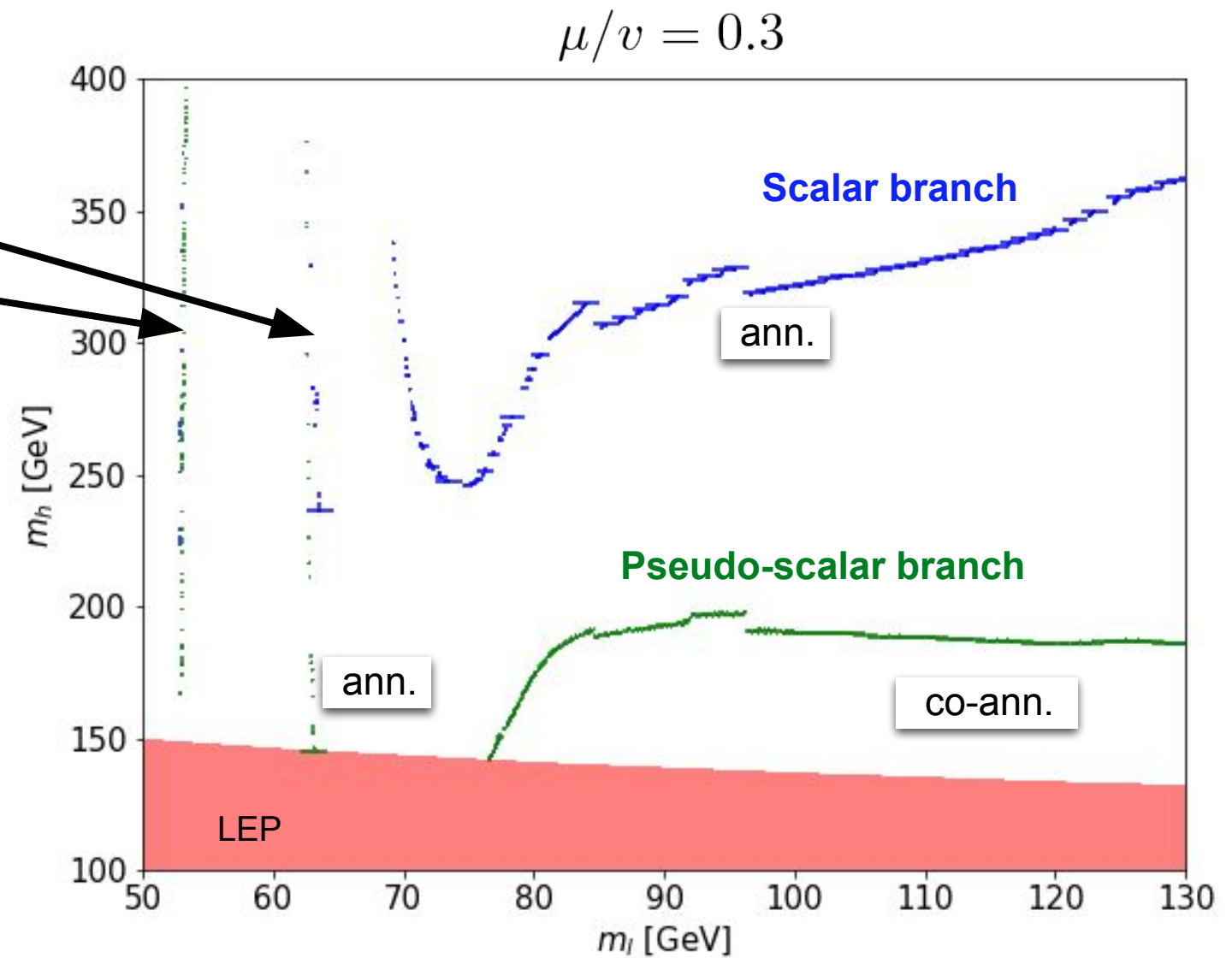
$$\bar{\chi}_+ \gamma^\mu \chi_l \rightarrow i\bar{\chi}_+ \gamma^\mu \gamma_5 \chi_l$$

Relic density: threshold effects



Higgs resonance region

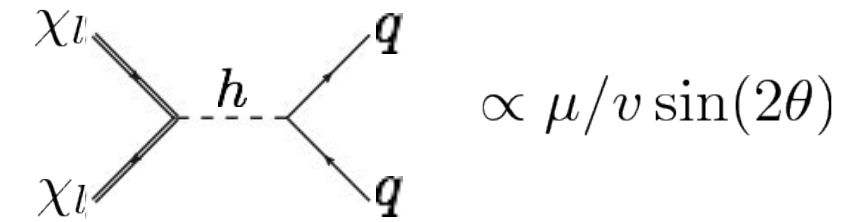
$$\theta \simeq \frac{\mu}{m_T - m_S}$$



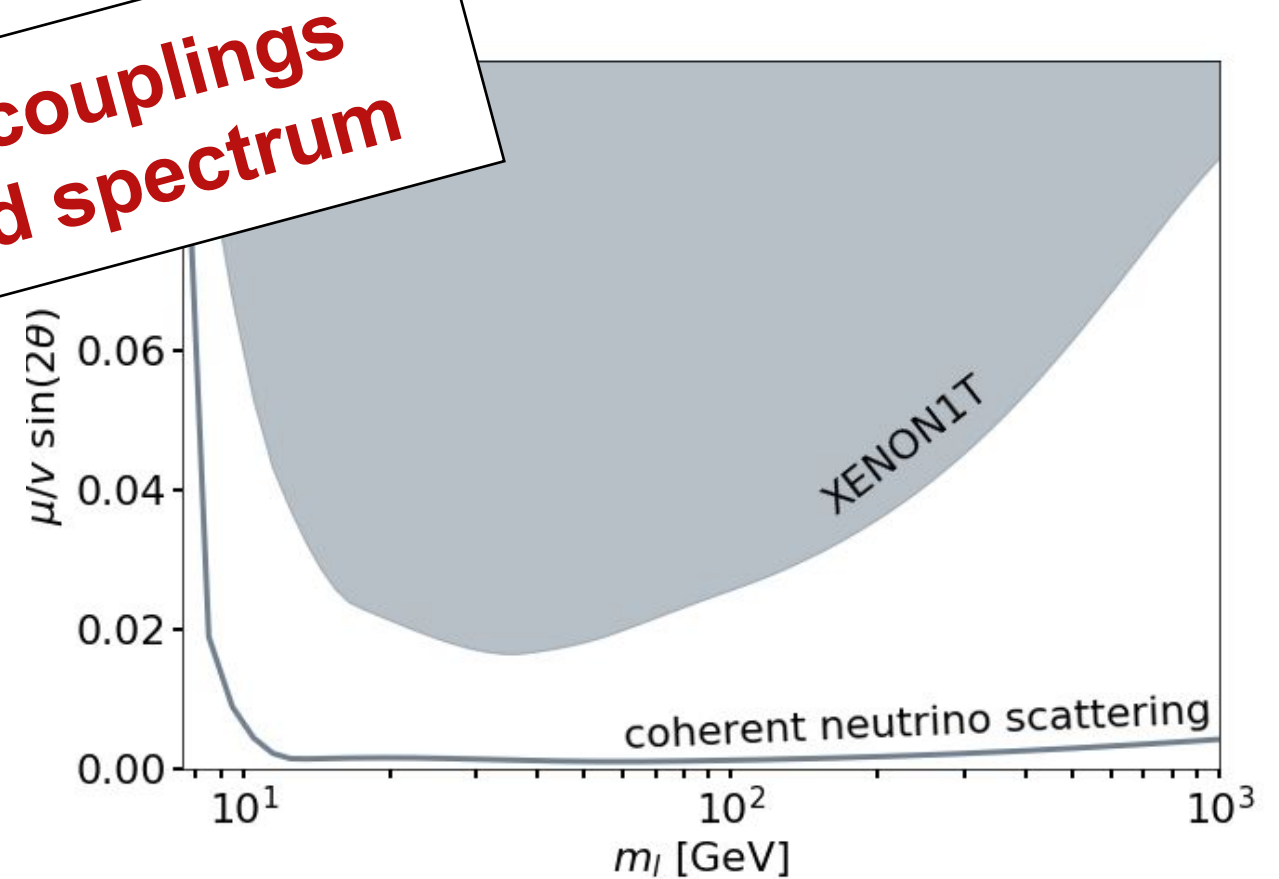
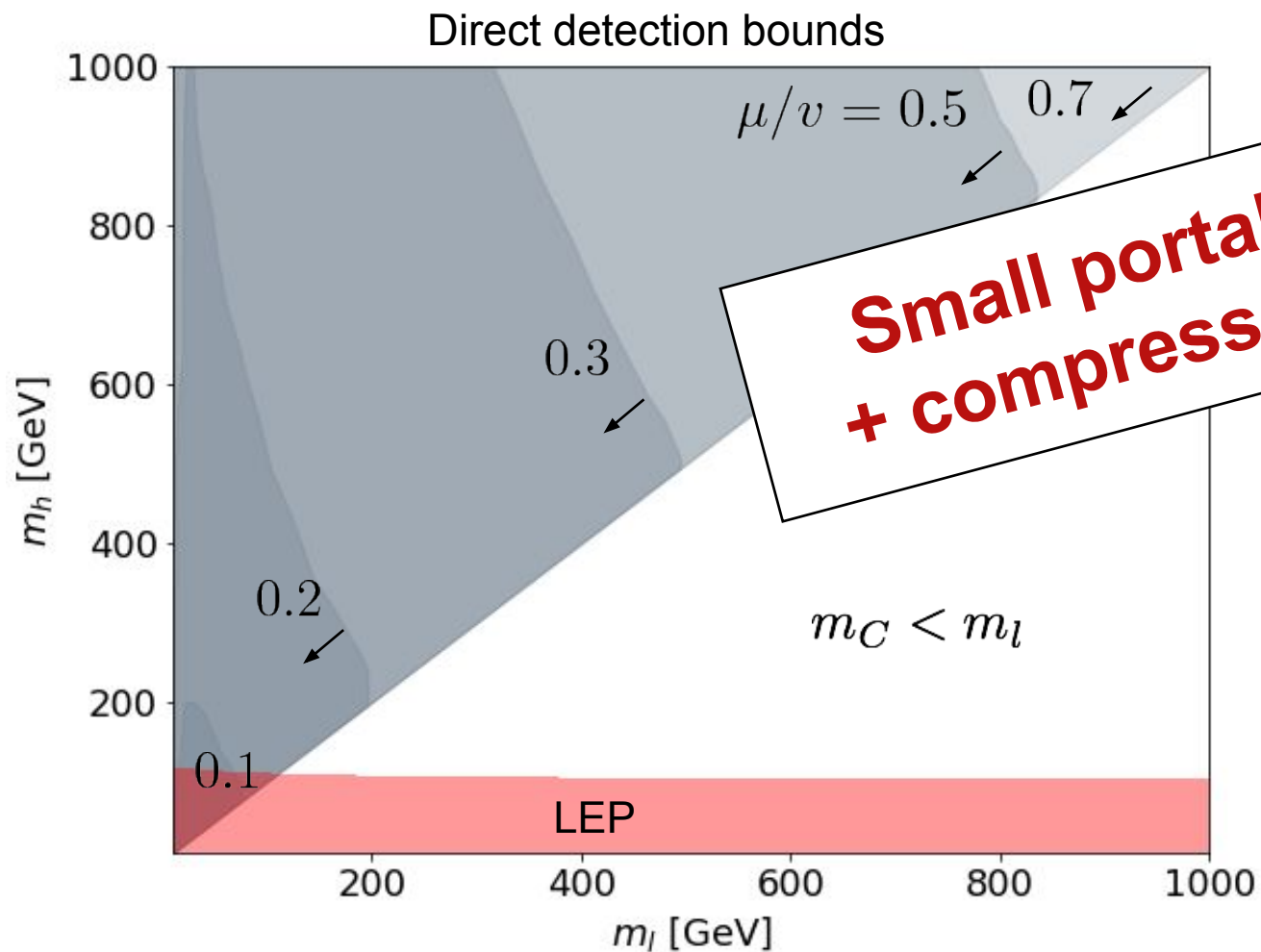
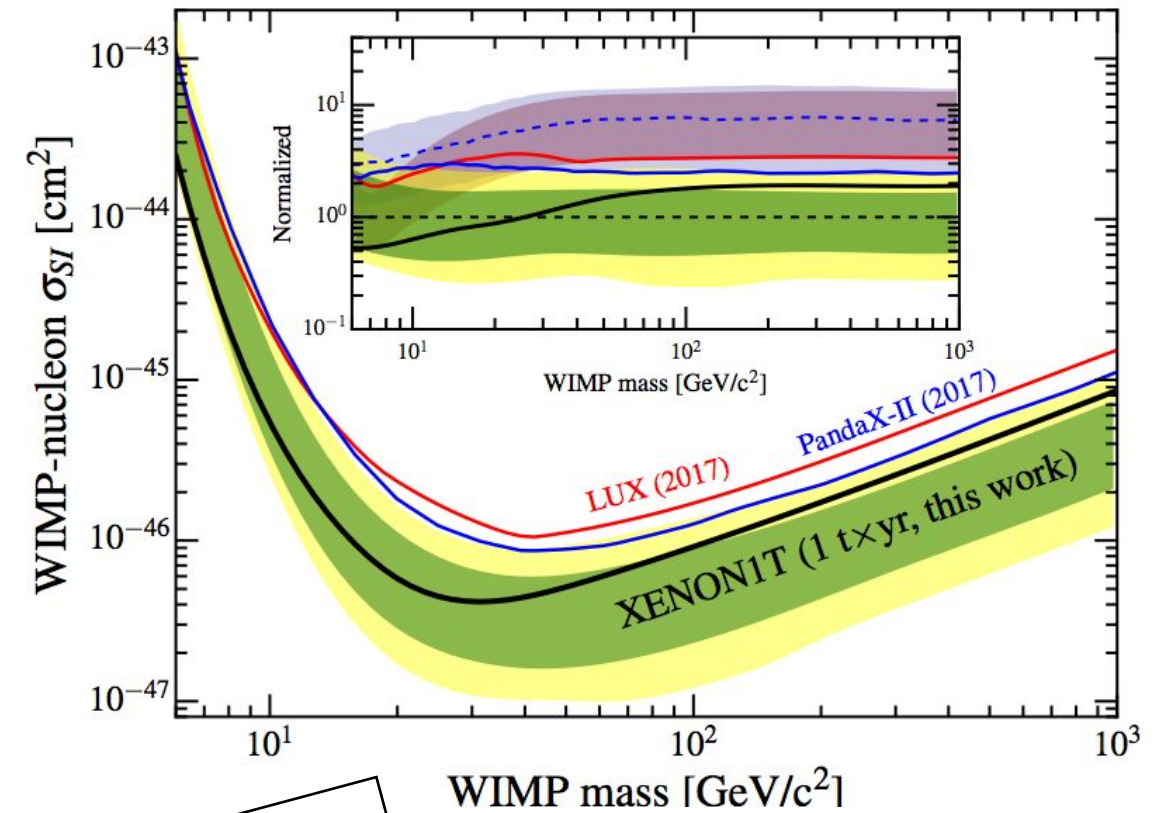
Blue/green: $\Omega_\psi h^2 = 0.1199 \pm 0.0022$

[Planck coll., 1502.01589]

Direct detection

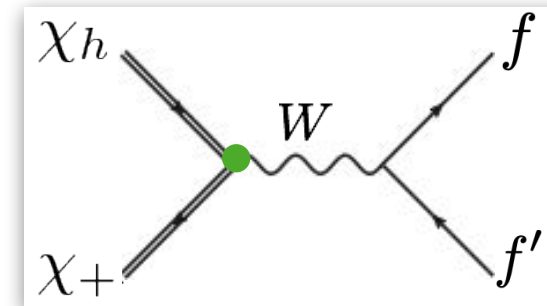


$$\frac{\chi_h}{\chi^+} \quad (\Delta m_{hc})^{\text{mix}} \simeq \mu \sin(2\theta)/2$$

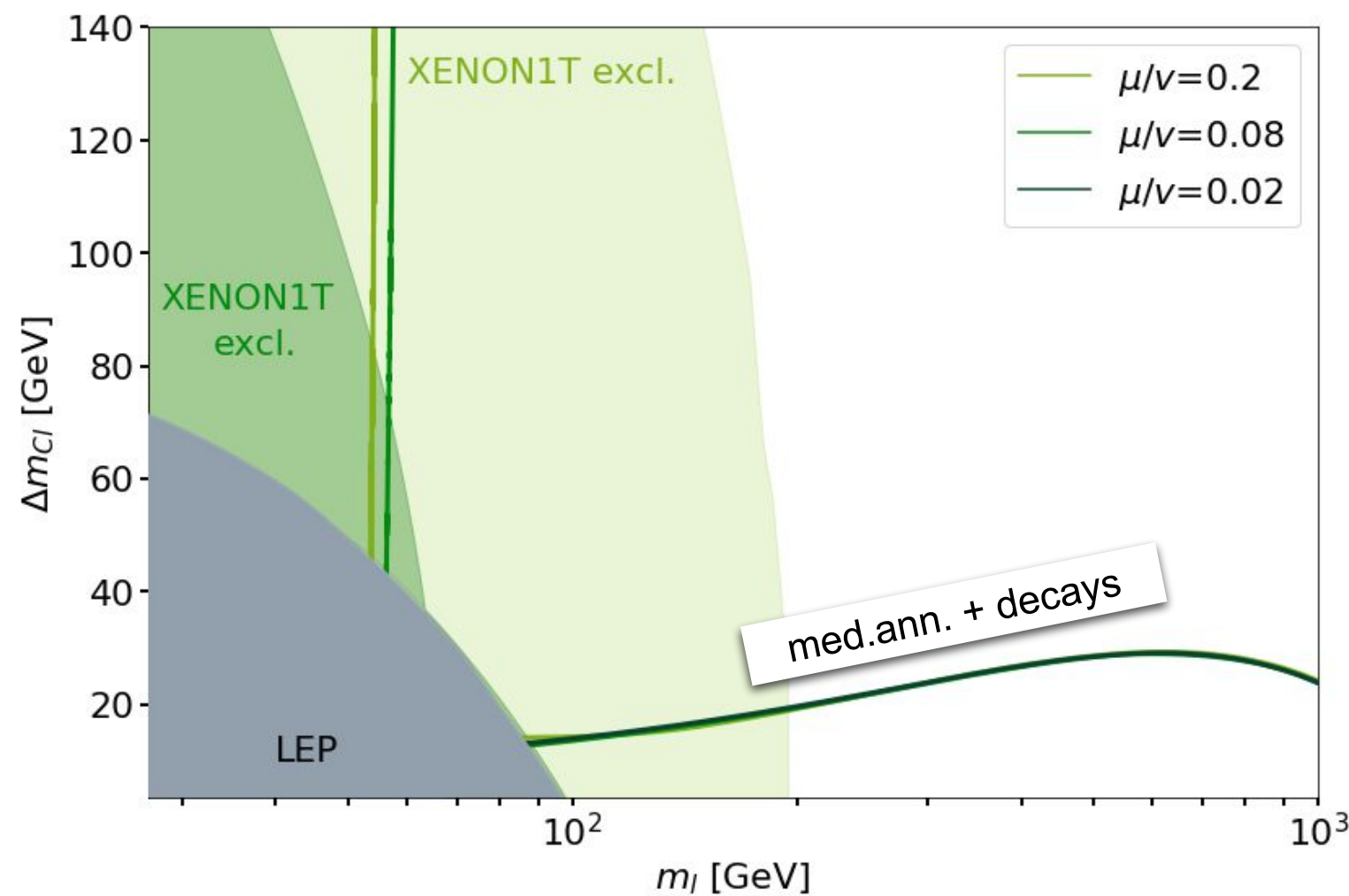


Surviving regions: pseudoscalar case

Mediator annihilation + further decays to χl



$$(g \cos \theta)^2$$



$$\frac{\chi^+}{\chi l} \quad \underline{\quad 15 - 30 \text{ GeV} \quad}$$

Lines: $\Omega_\psi h^2 = 0.1199 \pm 0.0022$ [Planck coll., 1502.01589]

Relic density: implementation

Co-scattering processes are important for accurate prediction of dark matter relic density.

Not included in public codes e.g. MicrOMEGAs, MadDM, DarkSUSY

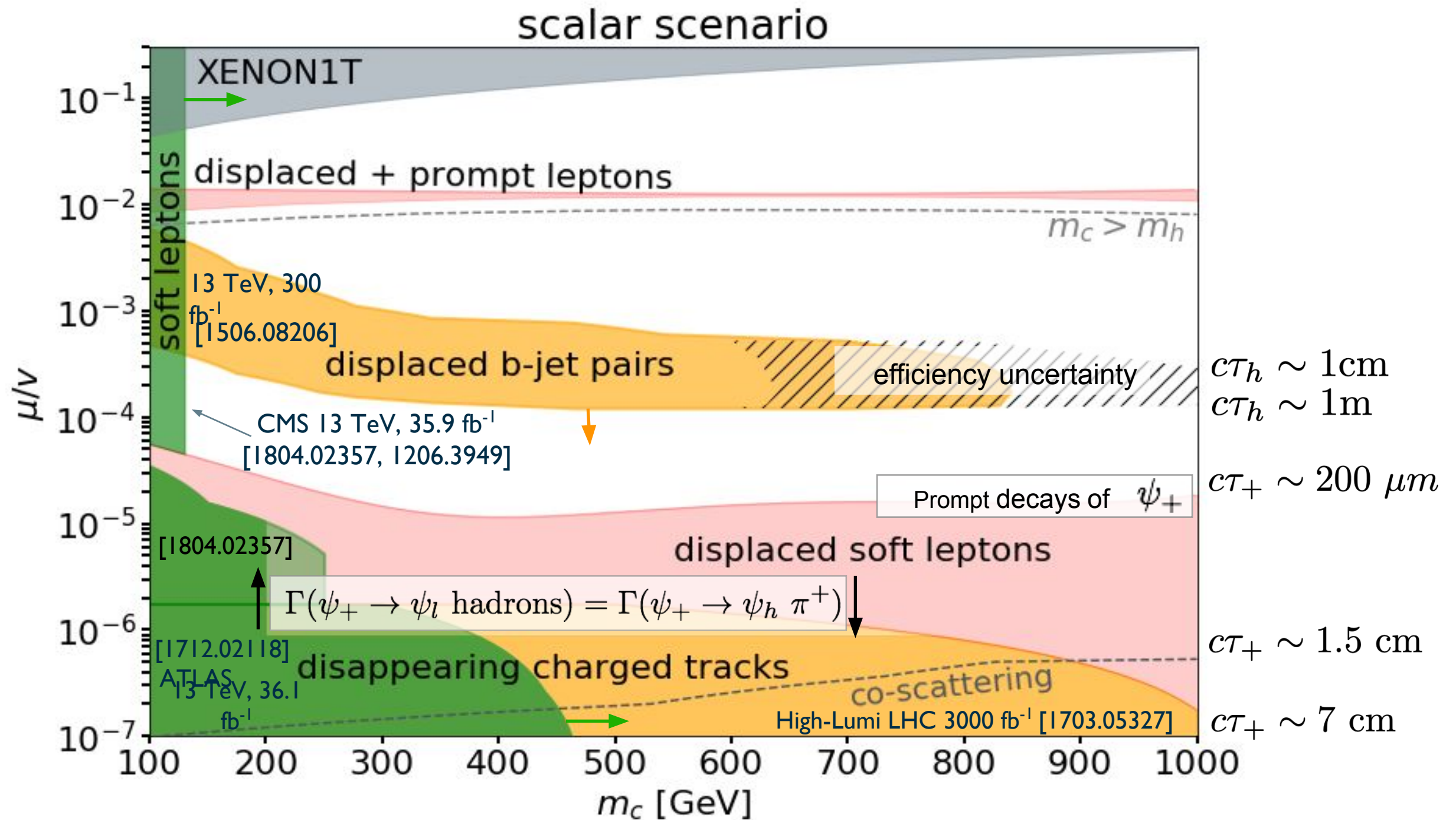
Complication:
the DM particles are frequently not in thermal equilibrium

In principle

the coupled system non-integrated Boltzmann equations for all dark states must be solved

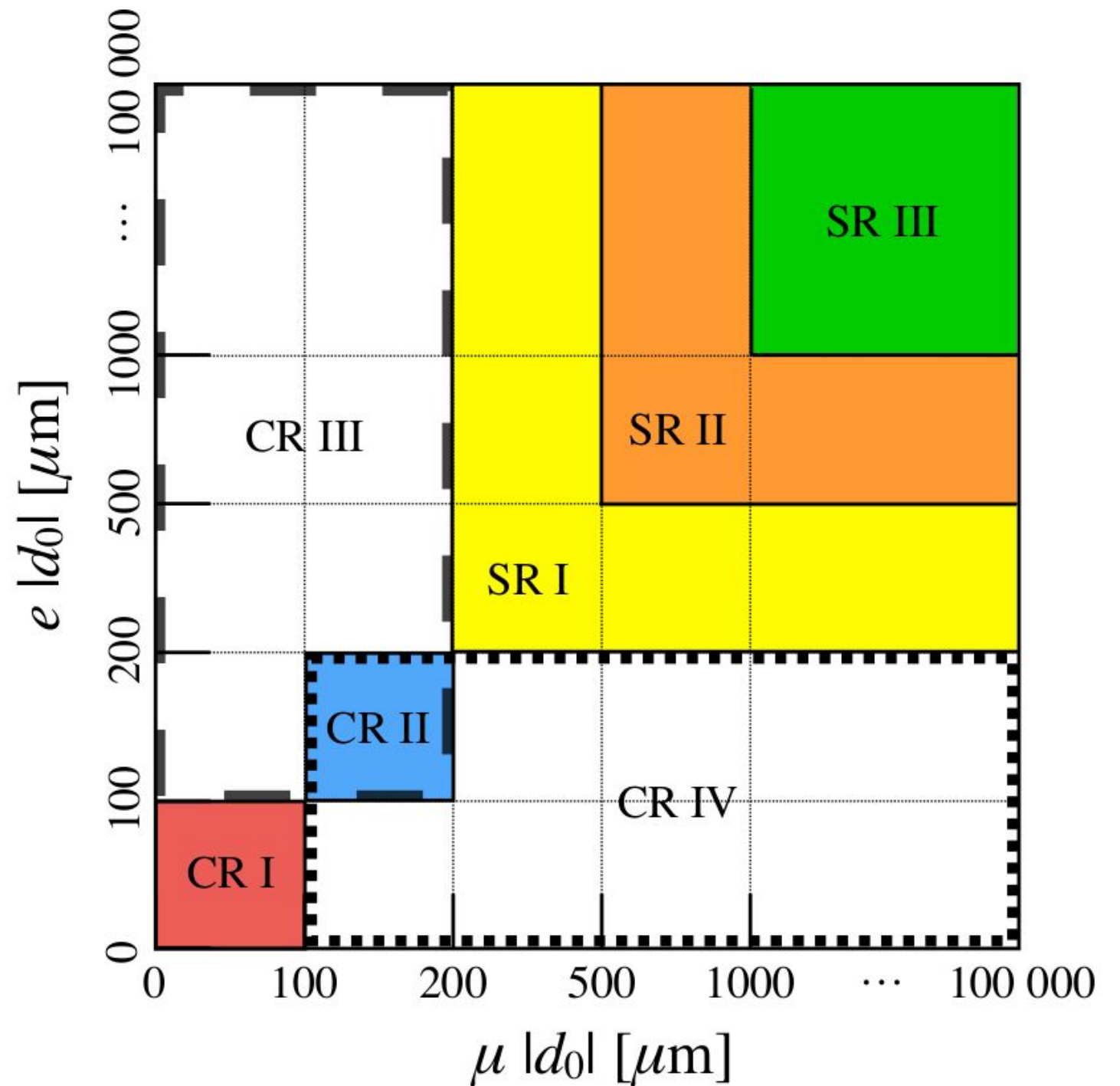
**However, in many cases simplified approaches are possible
(see Binder et al. 1805.00526, D'Agnolo et al. 1906.09269)**

Collider searches: details



CMS-PAS-EXO-16-022 analysis

- Oppositely charged e and μ with $\Delta R > 0.5$
- One μ : $p_T > 40$ GeV, $\eta < 2.4$, Isolation < 0.15
- One e: $p_T > 42$ GeV, $\eta < 2.4$, Isolation < 0.12



NN performance

